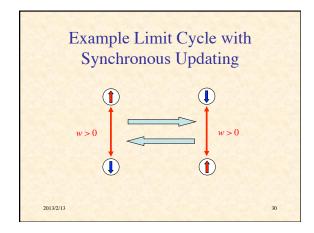
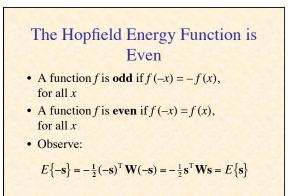


Lyapunov Functions

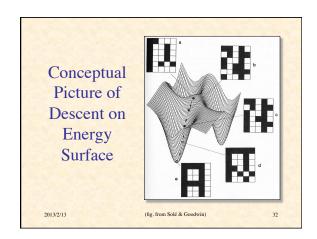
- A way of showing the convergence of discreteor continuous-time dynamical systems
- For discrete-time system:
 - need a Lyapunov function *E* ("energy" of the state)
 - *E* is bounded below $(E{\mathbf{s}} > E_{\min})$
 - $\Delta E < (\Delta E)_{\text{max}} \le 0$ (energy decreases a certain minimum amount each step)
 - then the system will converge in finite time
- Problem: finding a suitable Lyapunov function

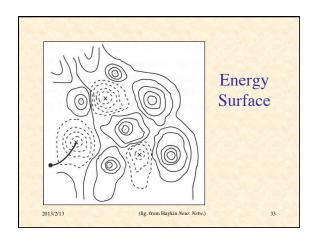


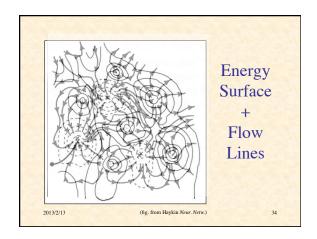
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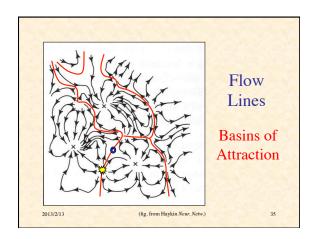


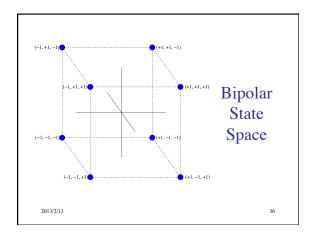
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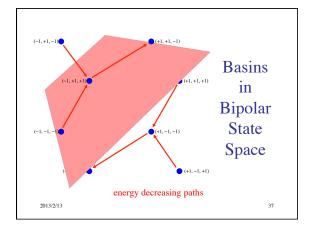


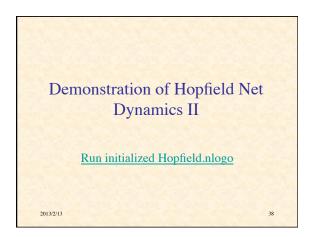


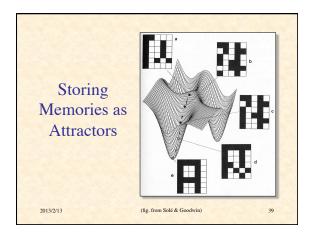


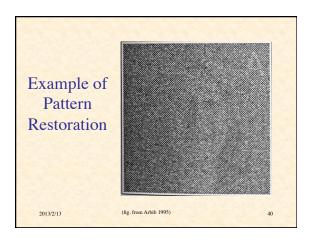


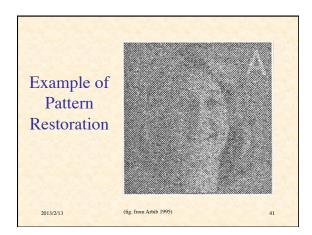


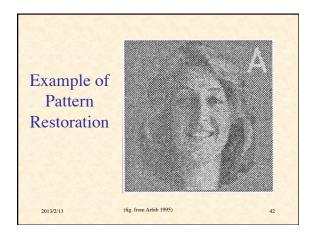


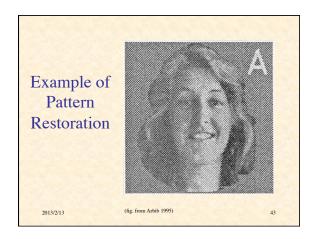


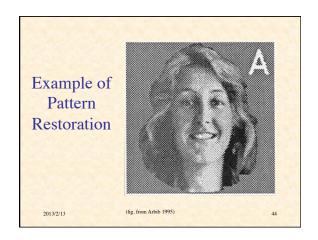


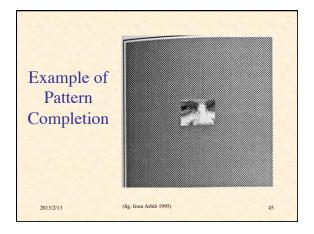


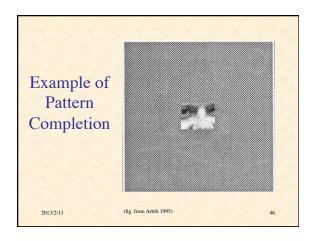


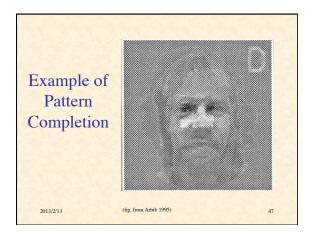


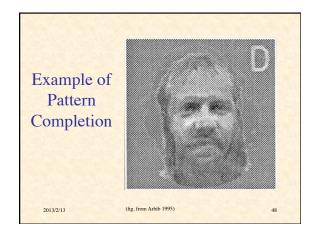


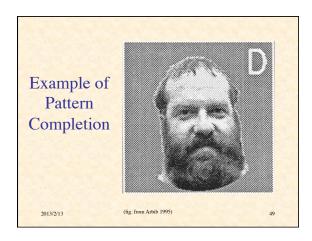


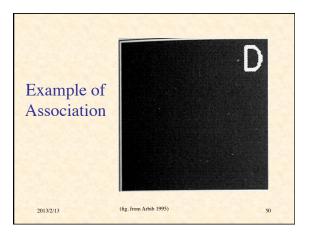


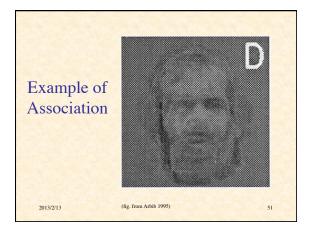


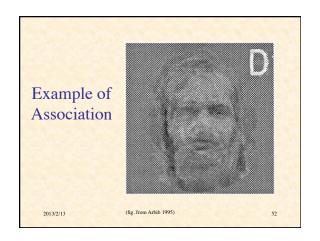


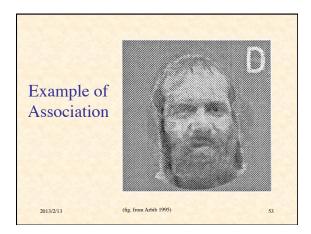


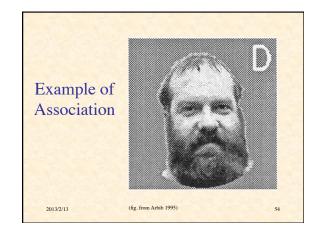


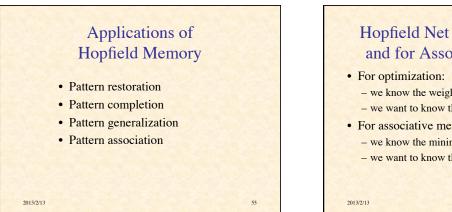








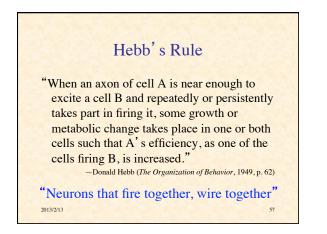


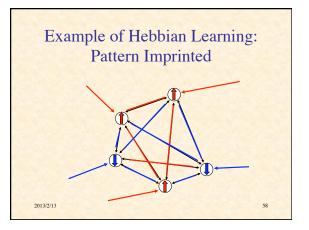


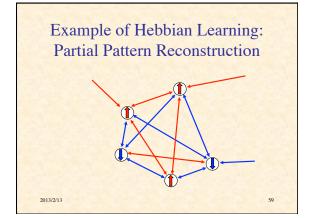
Hopfield Net for Optimization and for Associative Memory

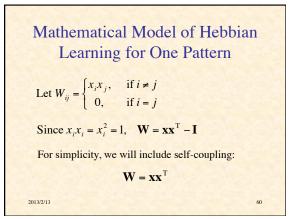
- we know the weights (couplings) - we want to know the minima (solutions)
- For associative memory: - we know the minima (retrieval states)

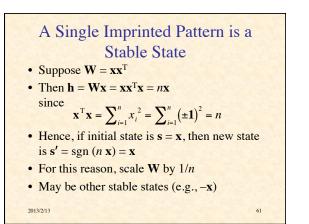
- we want to know the weights

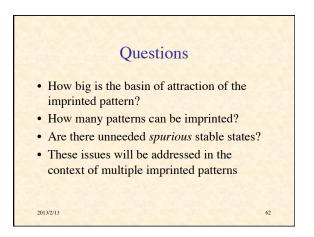


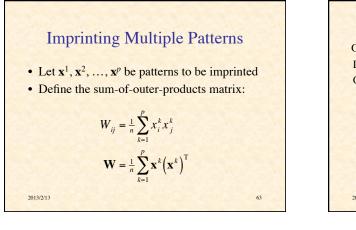


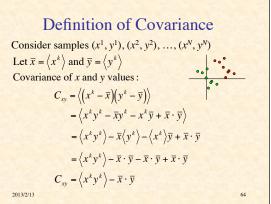


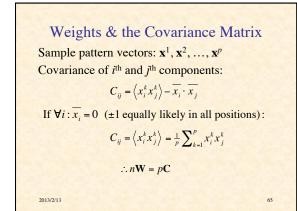


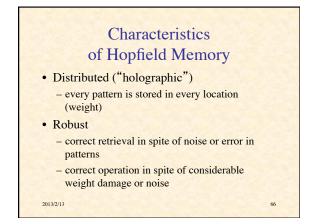




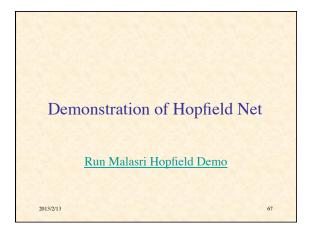


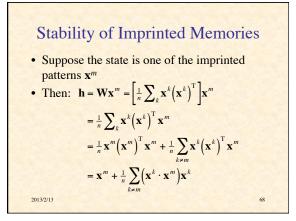


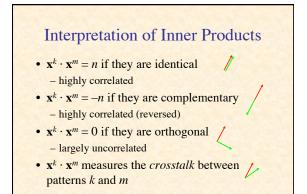


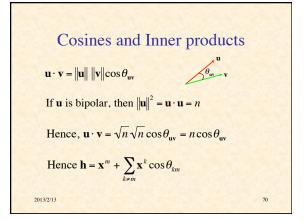


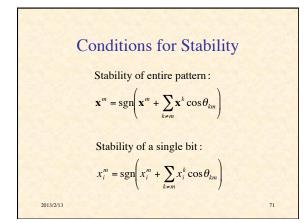
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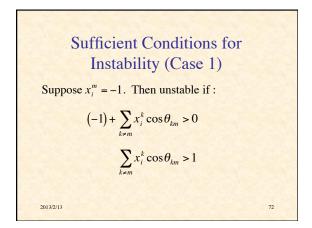


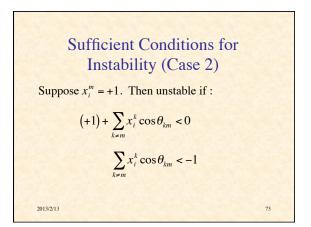


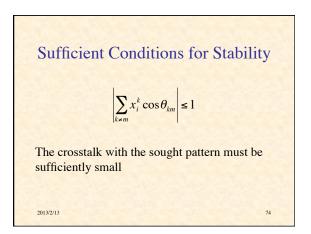


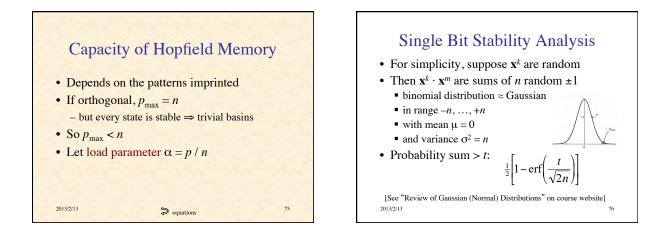


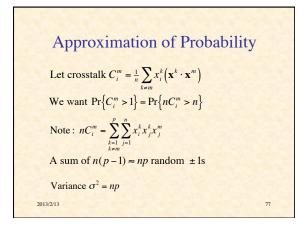


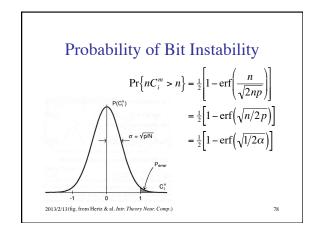












	Probability of Bit Instability	
P _{error}	α	
0.1%	0.105	
0.36%	0.138	
1%	0.185	12.10
5%	0.37	
10%	0.61	



