



Inhibitory Competition and Activity Regulation

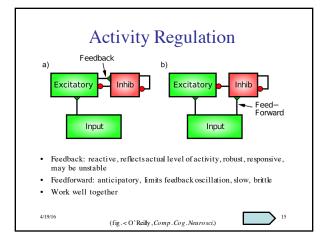
- Activity regulation
- Selective attention
- Competition

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- K winners take all
- can be implemented algorithmically

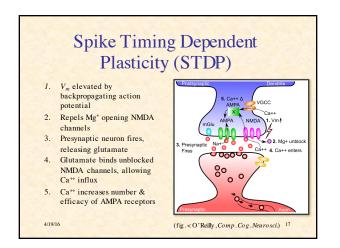
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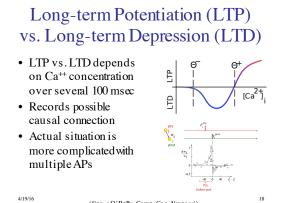
• Sparse distributed representation



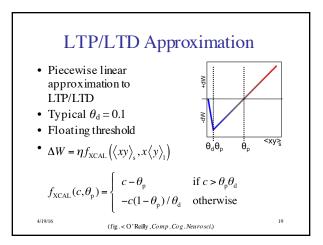


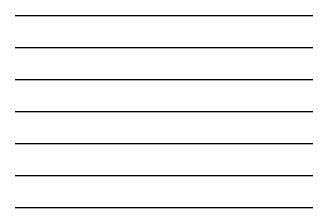


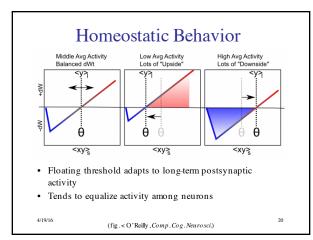


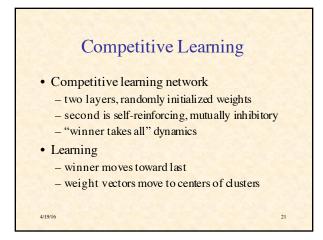


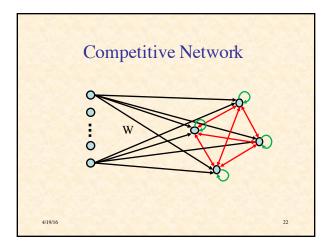
 $(\mathit{fig\,s.<O'Reilly}, \mathit{Comp}.\mathit{Cog}.\mathit{Neurosci.})$



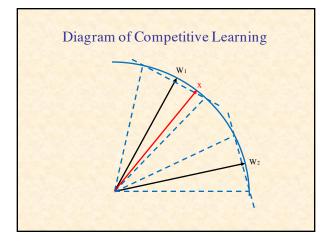












Self-Organizing Learning

• Inhibitory competition

- ensures sparse representationHebbian "rich get richer"
- adjustment toward last pattern matched
- Slow threshold adaptation
 - adjusts receptive fields
 - equalizes cluster probabilities
- Homeostasis
 - distributes activity among neurons
- more common patterns are more precisely representedGradually develops statistical model of environment

24

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Error-Driven Learning

- For achieving intended outcomes
- Fast threshold adaptation
- Short-term outcome medium-term expectation
 ✓ "plus phase" "minus phase"
- Contrastive Attractor Learning (CAL)
- ✓ approximately equivalent to BP when combined with bidirectional connections

25

27

Contrastive Attractor Learning · Network learns contrast attracto between: - early phase/expectation (minus) early minus - late phase/outcome (plus) · Gets more quickly to late phase, which has integrated late plus more constraints $f_{\rm XCAL}(c,\theta_{\rm p}) = \begin{cases} c - \theta_{\rm p} & \text{if } c > \theta_{\rm p} \theta_{\rm d} \\ -c(1 - \theta_{\rm p})/\theta_{\rm d} & \text{otherwise} \end{cases}$ $\Delta W = \eta f_{\rm XCAL} \left(\left\langle xy \right\rangle_{\rm s}, x \left\langle y \right\rangle_{\rm m} \right)$ $\approx \eta (x_{\rm s} y_{\rm s} - x_{\rm m} y_{\rm m})$ 4/19/16 26



Learning Signals?

- What constitutes an "outcome"?
- Dopamine bursts arise from unexpected rewards or punishments (reinforcers)
 - violation of expectation
 - needs correction

4/19/16

- Dopamine modulates synaptic plasticity
- controls λ : $\Delta W = \eta f_{\text{XCAL}} \left(x_s y_s, x_m \left(\lambda y_1 + (1 \lambda) y_m \right) \right)$
- Probably not the whole story

