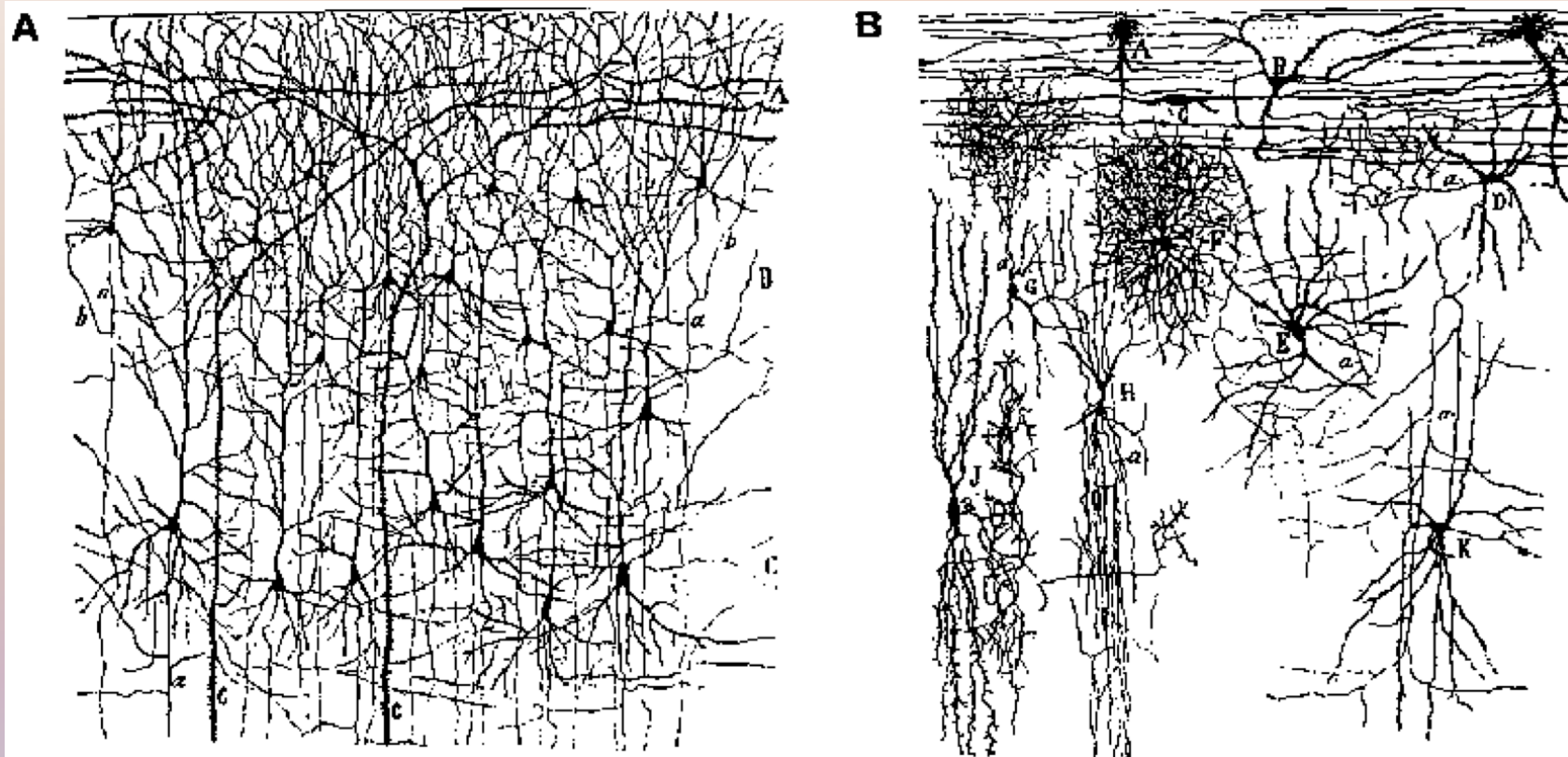


# 3. Networks

# Networks

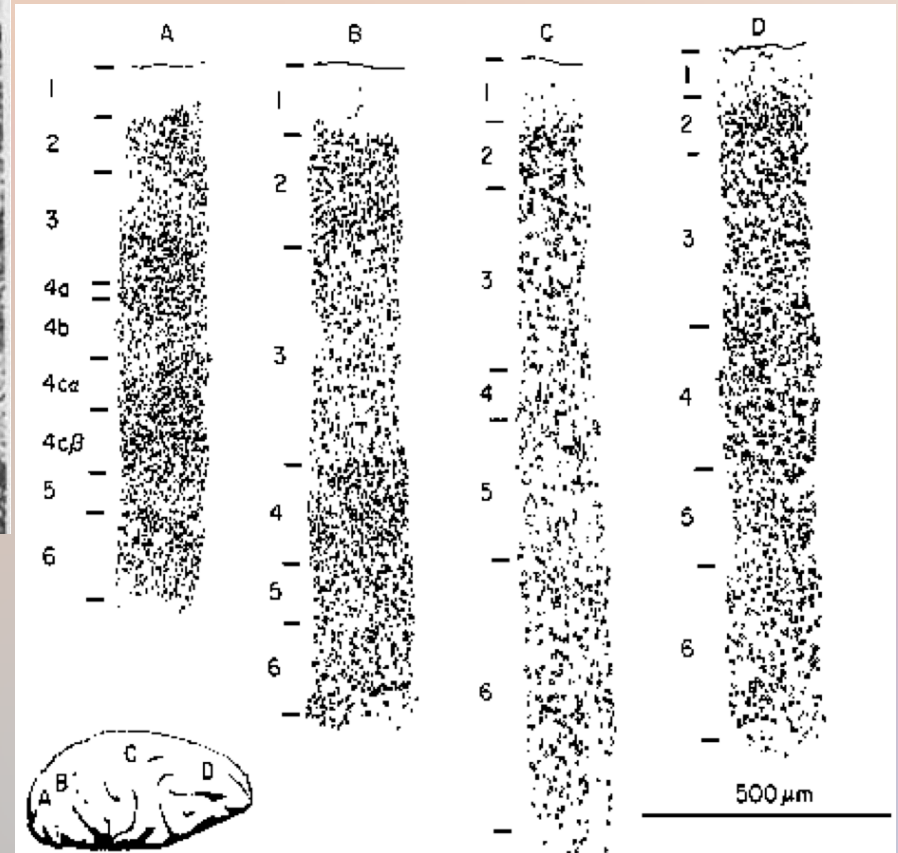
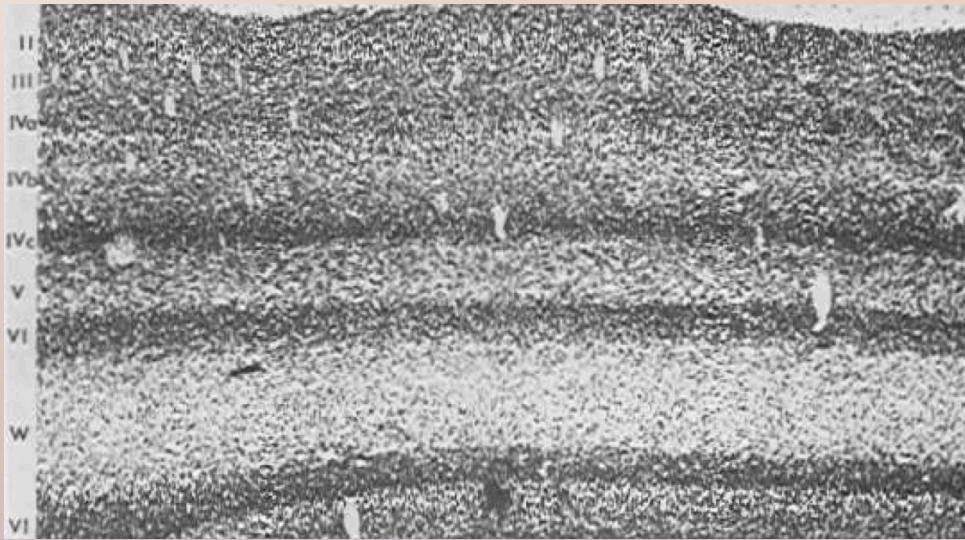
1. Biology of Neocortex (“cortex”)
2. Categorization and Distributed Reps
3. Bidirectional Excitation and Attractors
4. Inhibitory Competition and Activity Regulation

# Neurons: Excitatory and Inhibitory



Excitatory = main info processing, long-range connections  
Inhibitory = local, activity regulation and competition

# The 6 Cortical Layers



(slide < O'Reilly)

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# Functions of Layers

## Input

layer 4

from sensation or other areas

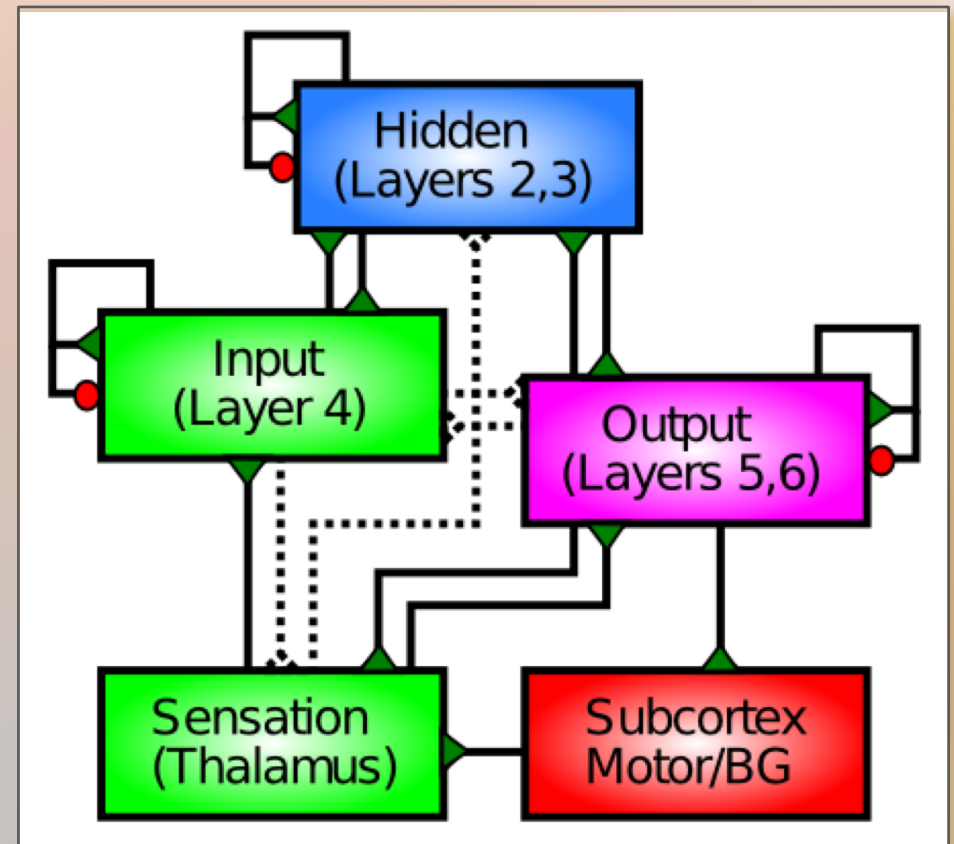
## Hidden

layers 2 & 3

## Output

layers 5 & 6

to motor systems or other areas



(fig. < O'Reilly, *Comp. Cog. Neurosci.*)

# Connection Directions

## Feedforward

- from Hidden in lower area to Input in higher area

## Feedback

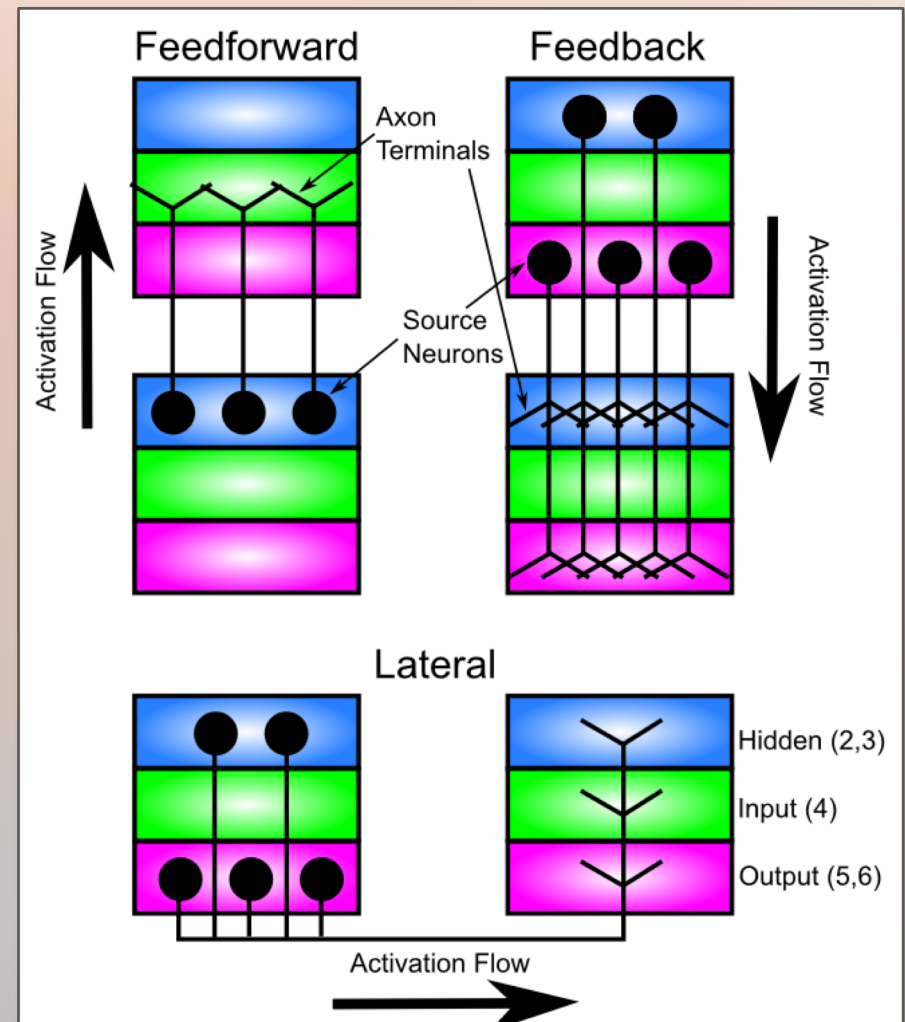
- from Hidden & Output in higher area to Hidden & Output in lower area

## Lateral

- from Hidden and Output to all three layers in same area

## Bidirectionality

- pervasive





# Biology $\Rightarrow$ Function

- Feedforward excitation = categorization of inputs
  - larger patterns, more invariant w.r.t instances & space
- Feedback excitation = attractor dynamics
  - ambiguity resolution & constraint satisfaction
- Lateral inhibition = competition, activity regulation
  - sharpens response



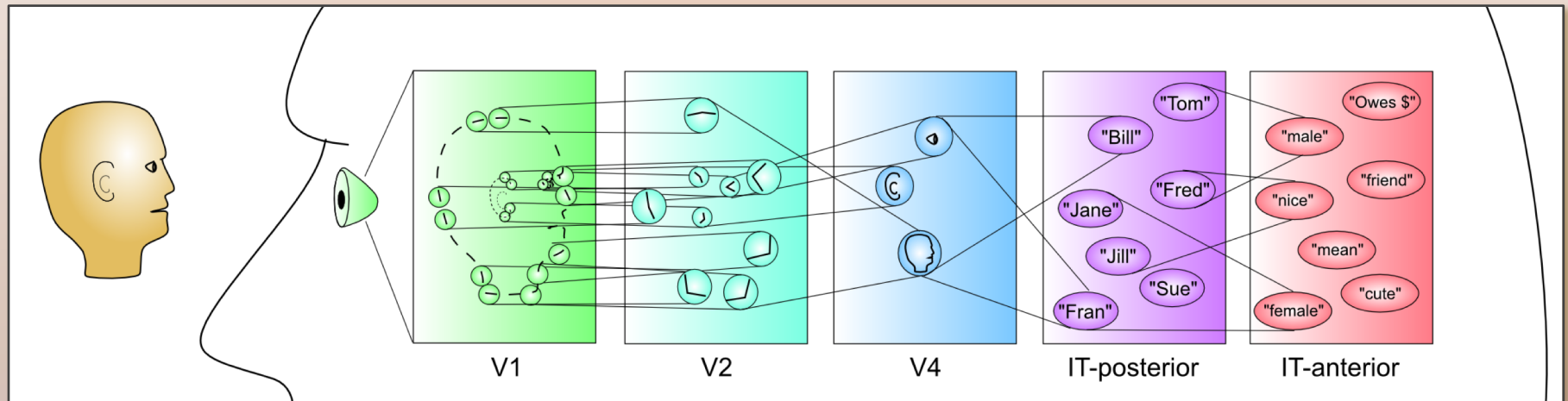
# Ambiguity Resolution



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(fig. < O'Reilly, *Comp. Cog. Neurosci.*)

# Hierarchical Categorical Representations



- Successive layers of neural detectors
- Progressively more abstract

# Getting the right representation is key

- Two men are dead in a cabin in the woods.
- The cabin itself is not burned, but the forest all around is burned to cinders.
- How did the men die?

# The Chair Category

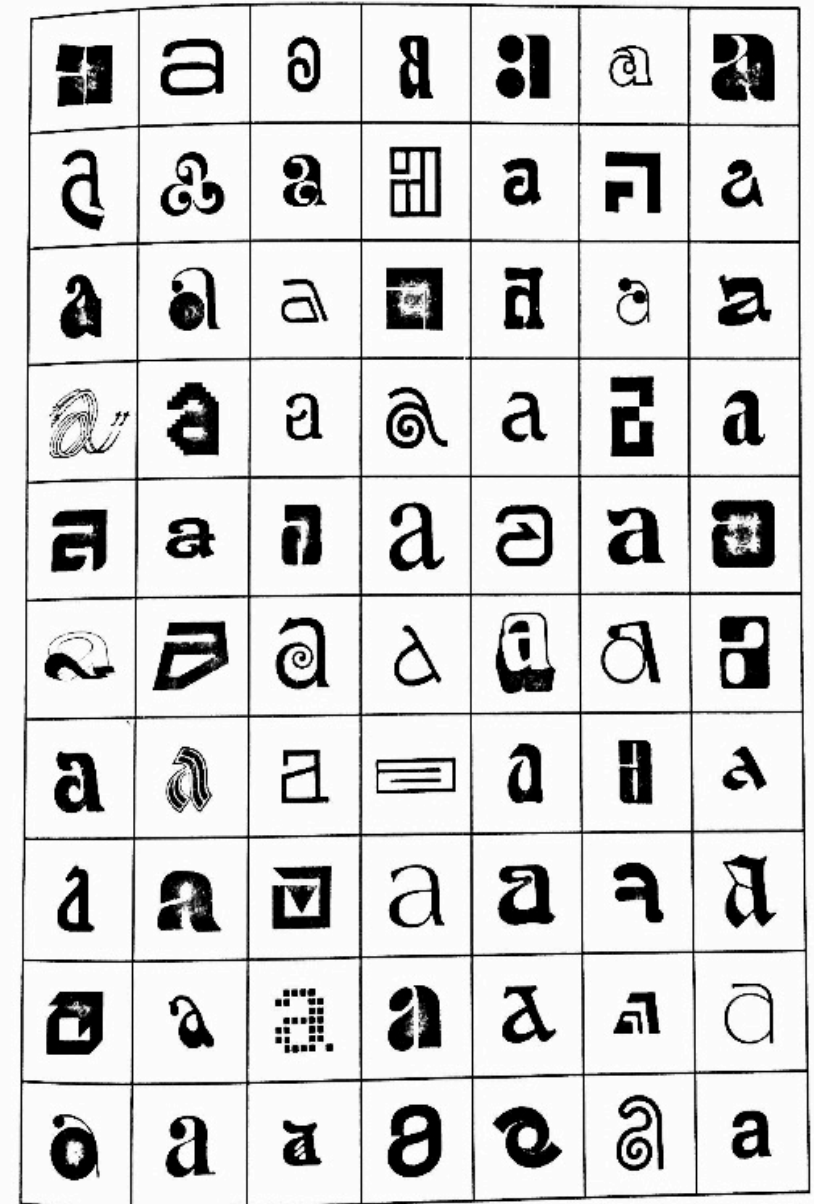
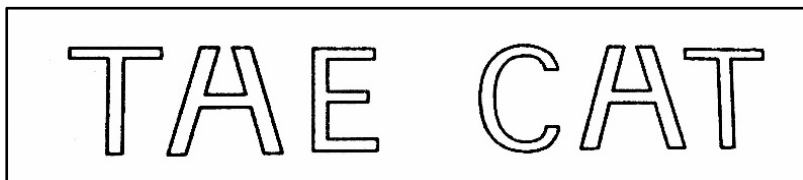
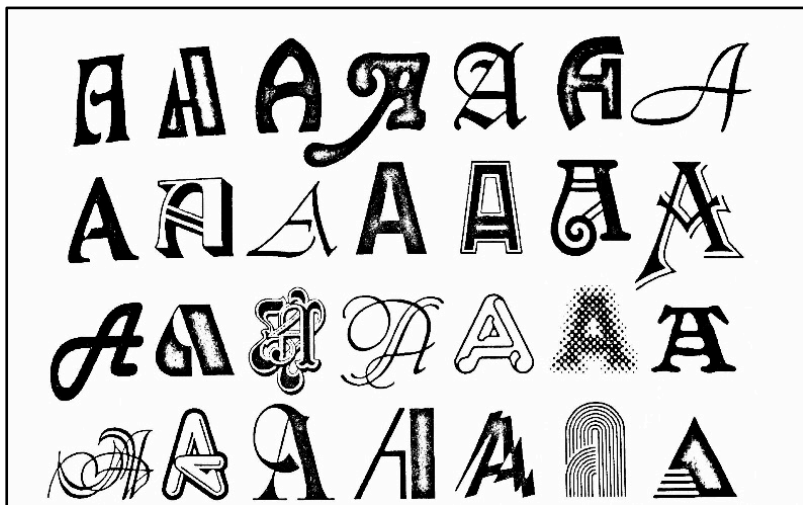
How would you define “chair”?

Socrates asks, “what is that common quality, which is the same in all these cases, and which is called courage?” (*Laches* 191e)



# The central problem of AI is: What are *a* and *i*?

— Douglas Hofstadter



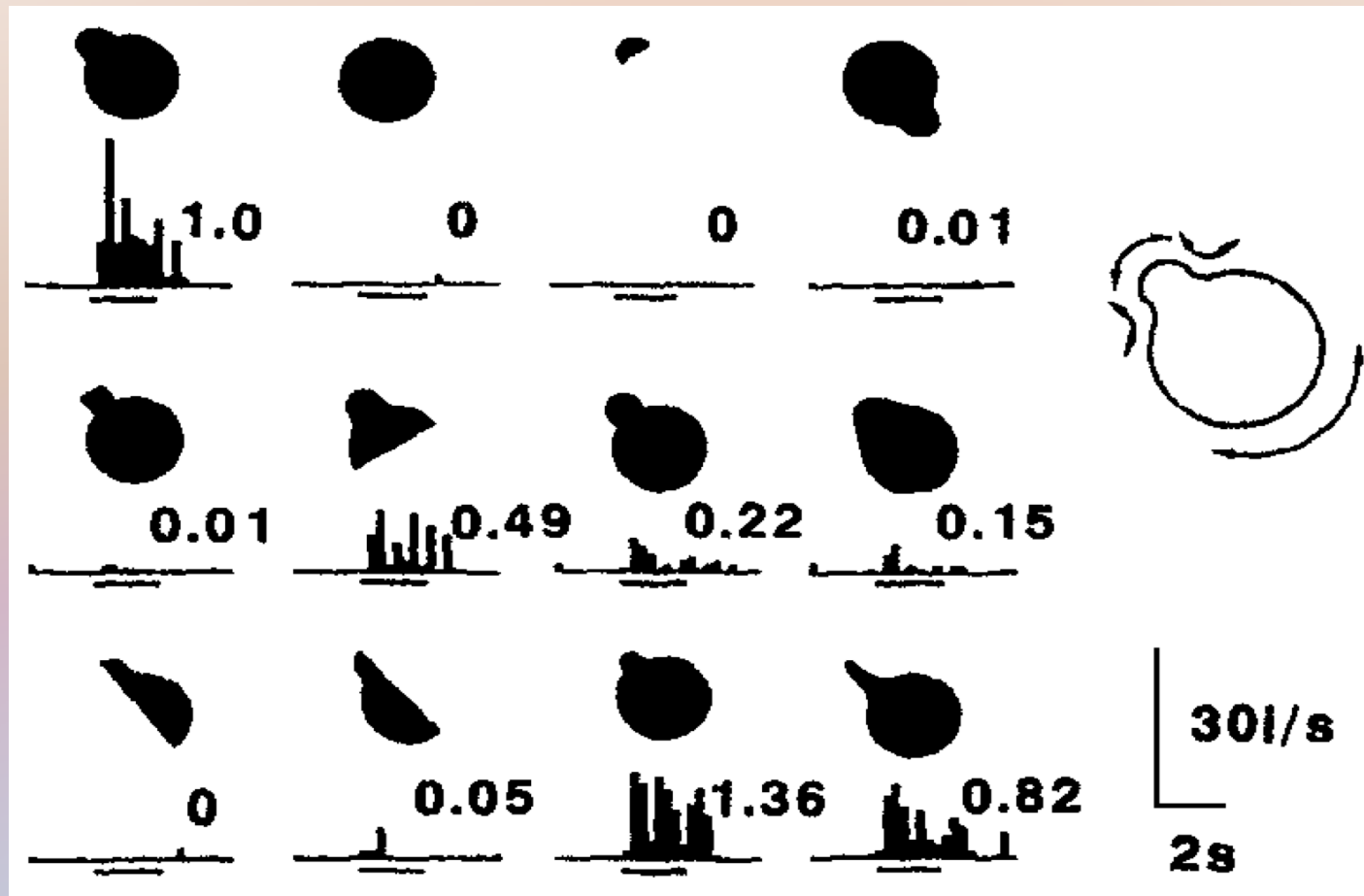
# Categories: A Philosophical Problem

- A long-standing problem:
  - Socrates (d. 399 BCE) says, “that which we know we must surely be able to tell.” (*Laches* 190c)
  - Must knowledge be encoded in language-like structures?
- What makes a mental categorization accurate? Is there something “real” about a “chair”?
- Stereotypes are mental categories...
- Can you encode multiple categories at the same time?

# Distributed Representations

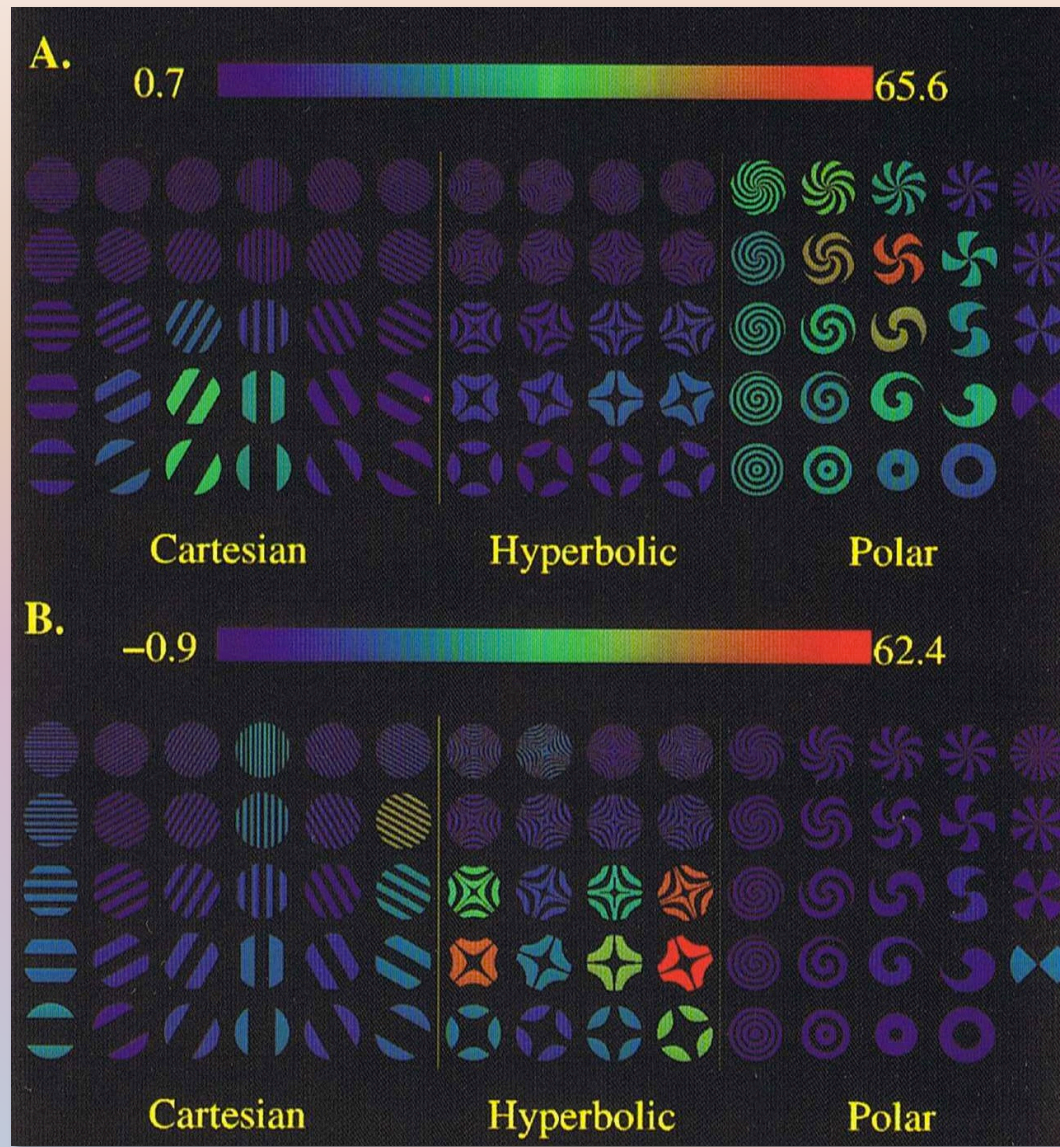
- Let a 1,000 categories bloom... You've got the room in your head (billions of neurons)
- Each neuron can respond to multiple things (graded similarity)
- And each thing activates many neurons (who knows what is going to be relevant this time?)

# Graded Responses





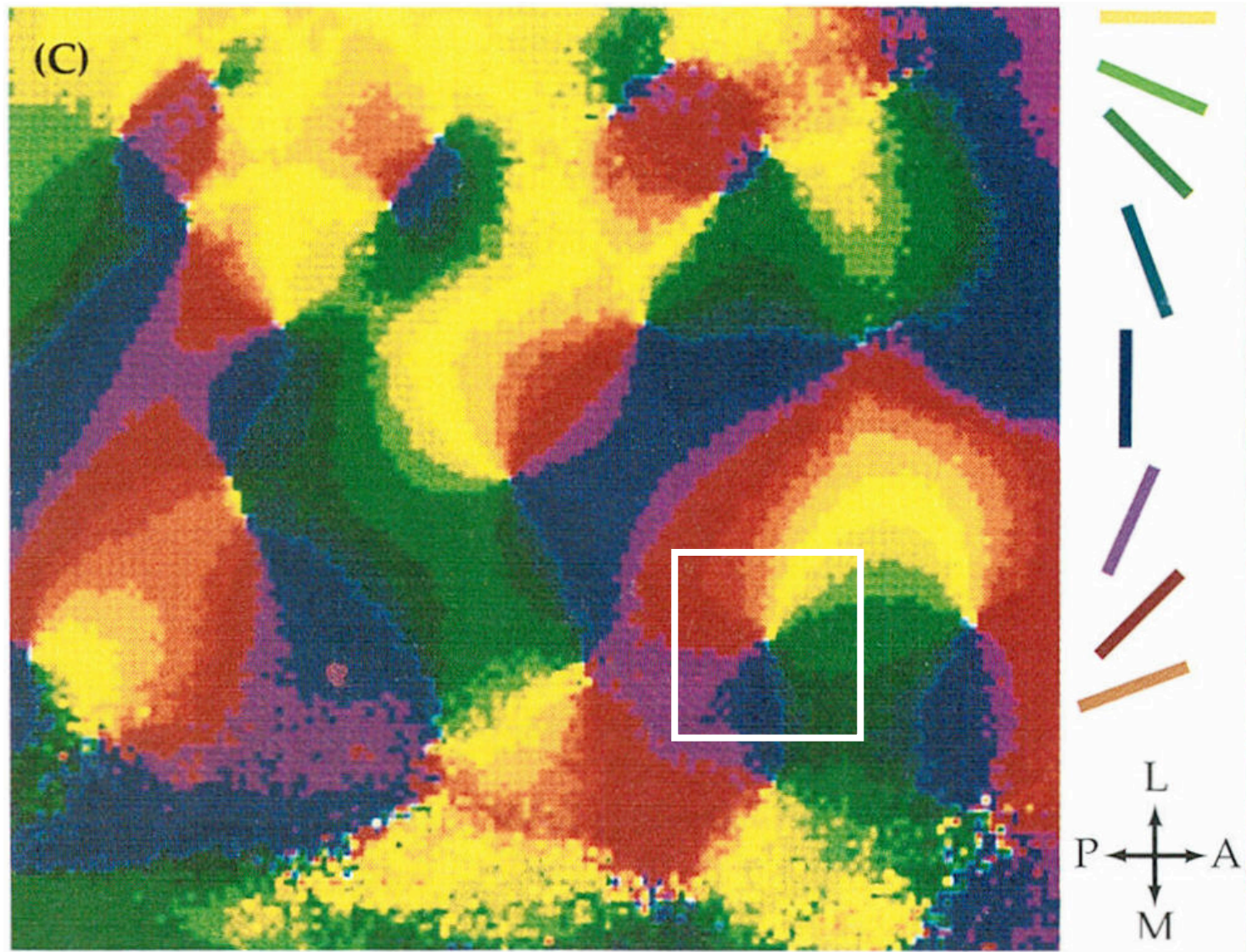
# Cell Responses in V4



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(fig. < Clark, *Being There*, 1997)

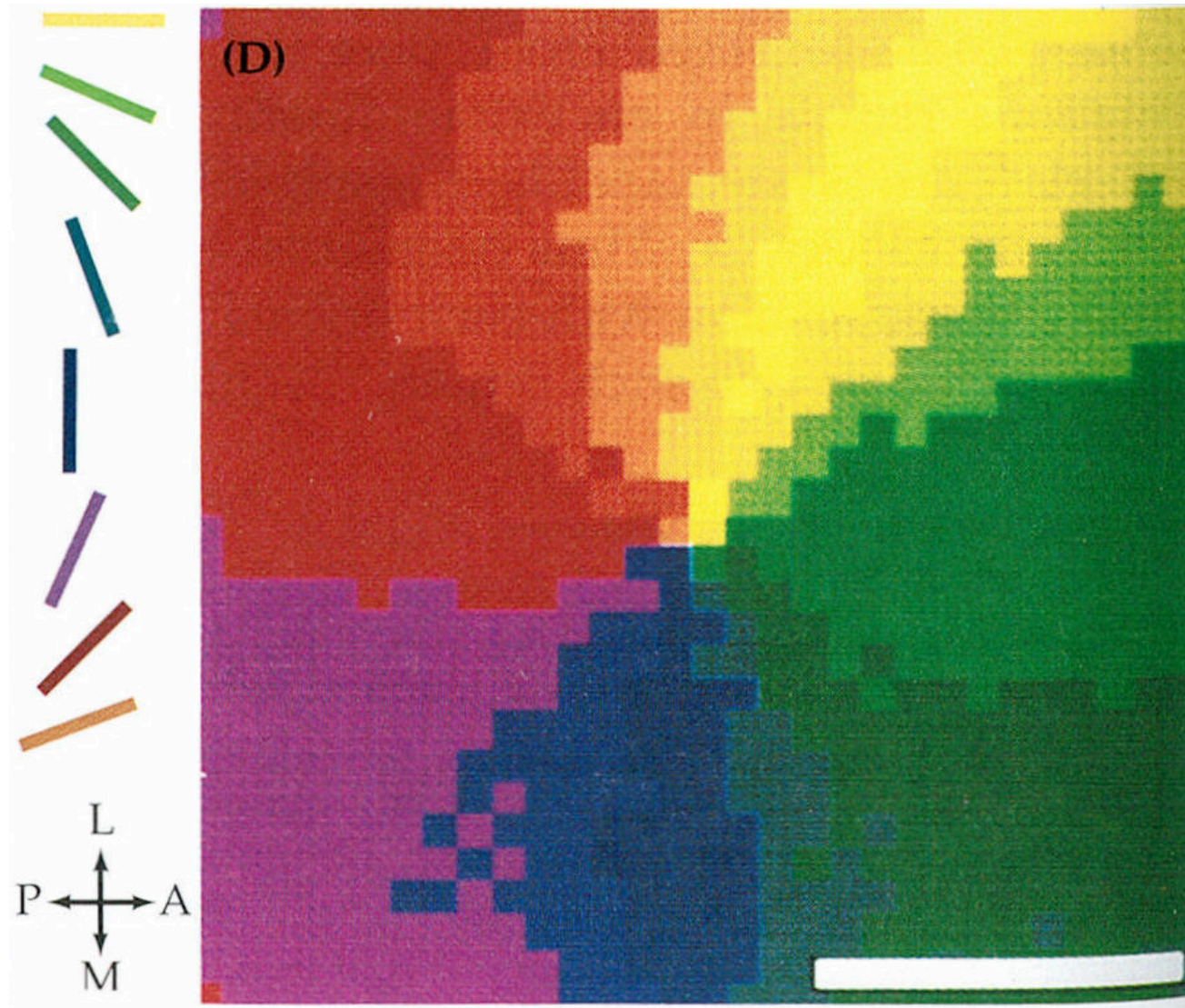
# Orientation Columns



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(fig. < Nicholls & al., *Neur. to Brain*)

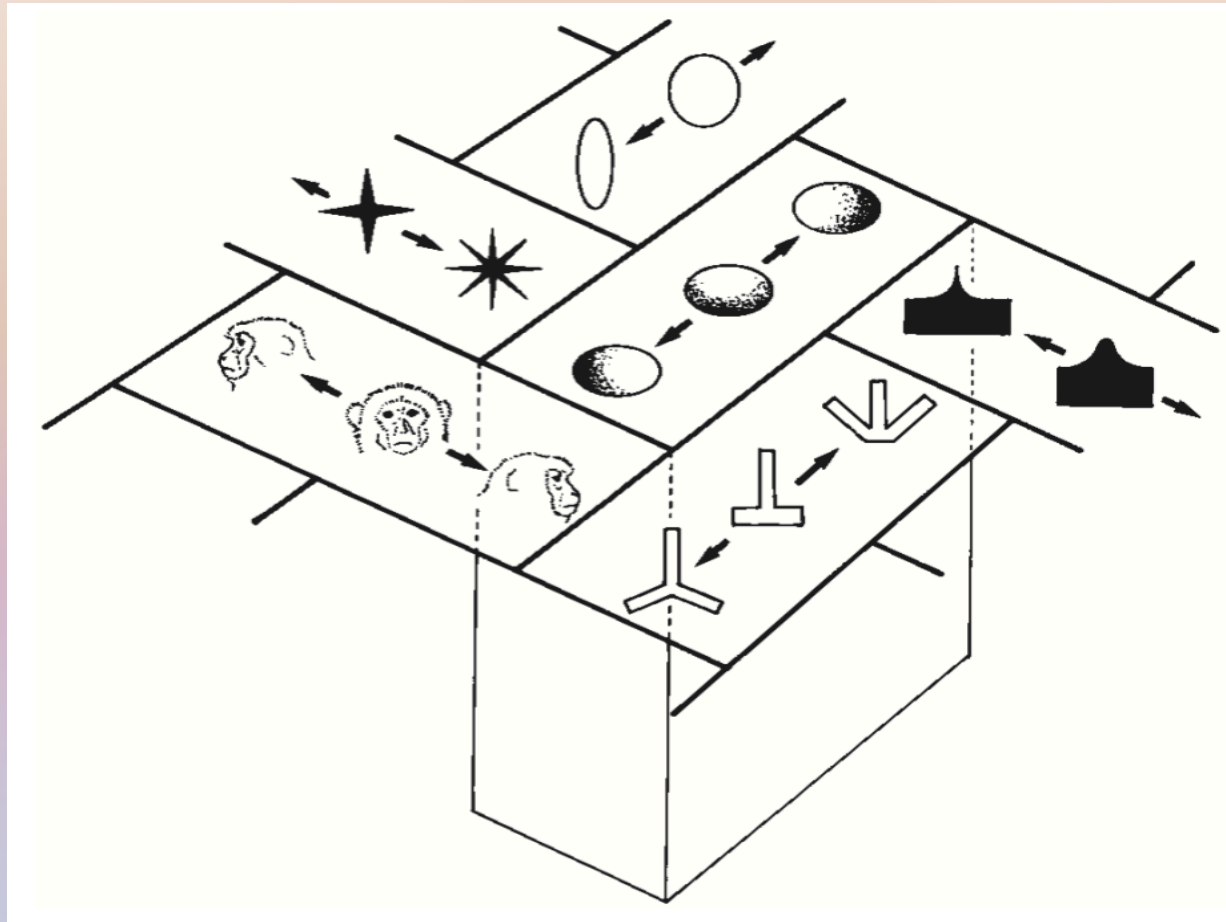
# Orientation Columns



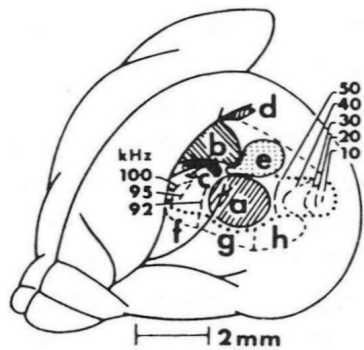
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(fig. < Nicholls & al., *Neur. to Brain*)

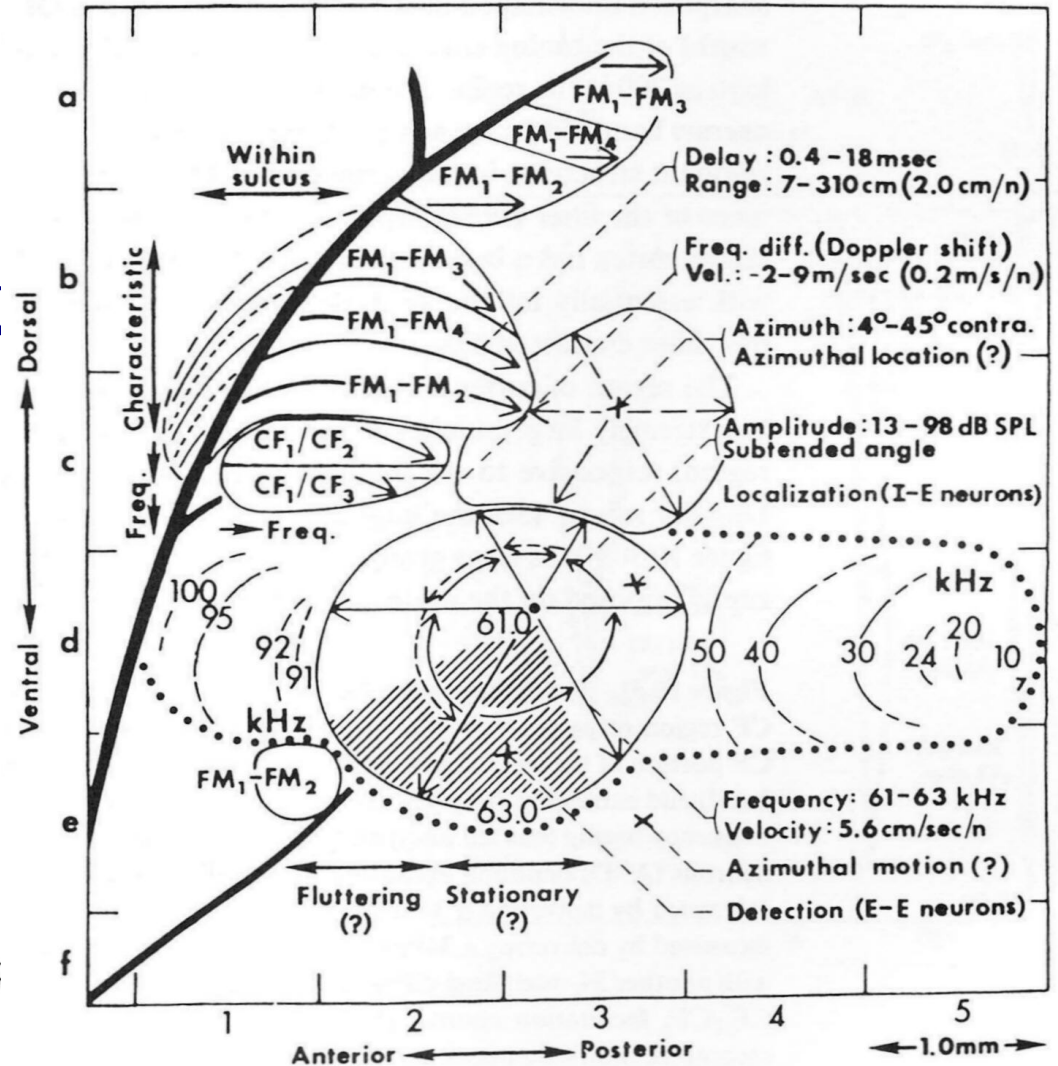
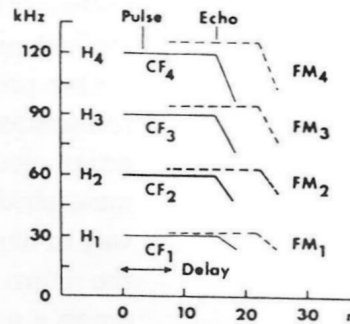
# Topographic Organization



# Topographic Maps: Bat Auditory Cortex



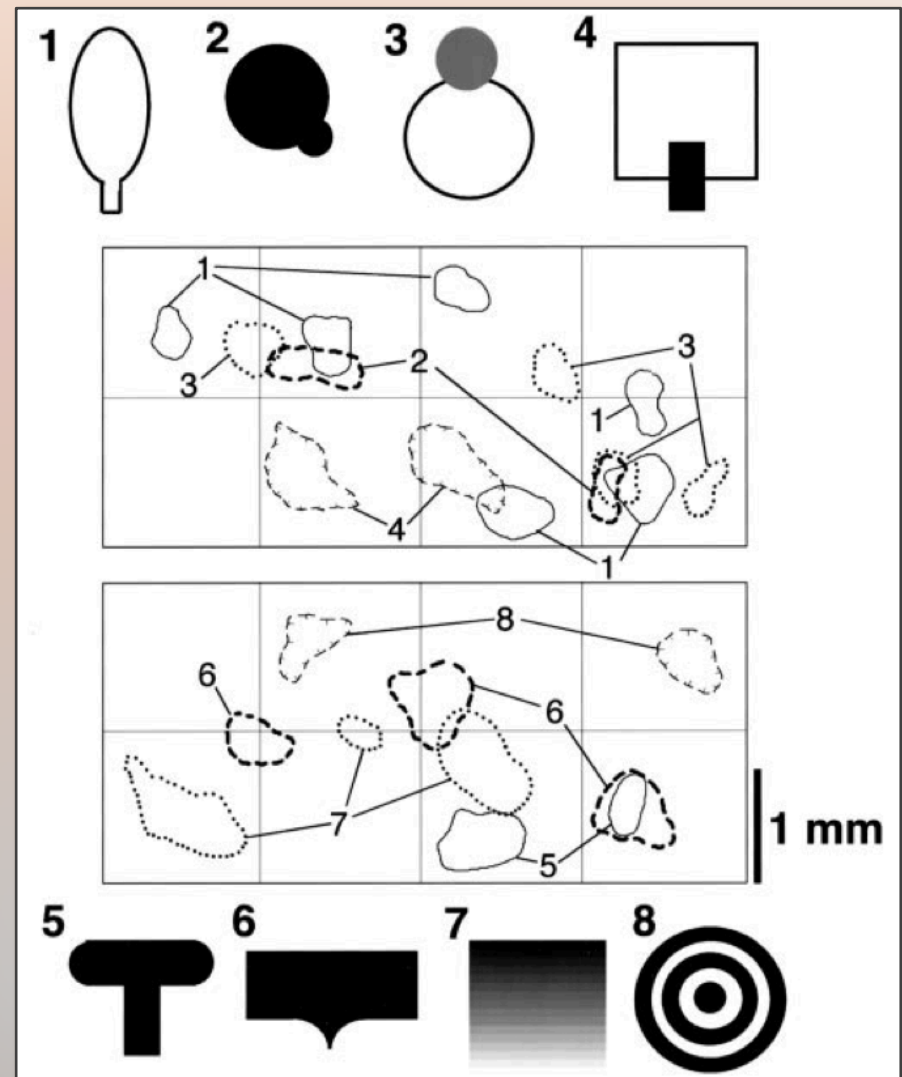
- a: DSCF
- b: FM-FM
- c: CF/CF
- d: DF
- e: DM
- f: AV
- g: VL
- h: VP



# Sparse Distributed Representation

- Localist representation
  - “grandmother cells”
  - unlikely in brain
- K-out-of-N detectors
  - typically 15–25% of neurons active
- Approximate orthogonality

(monkey IT cortex)

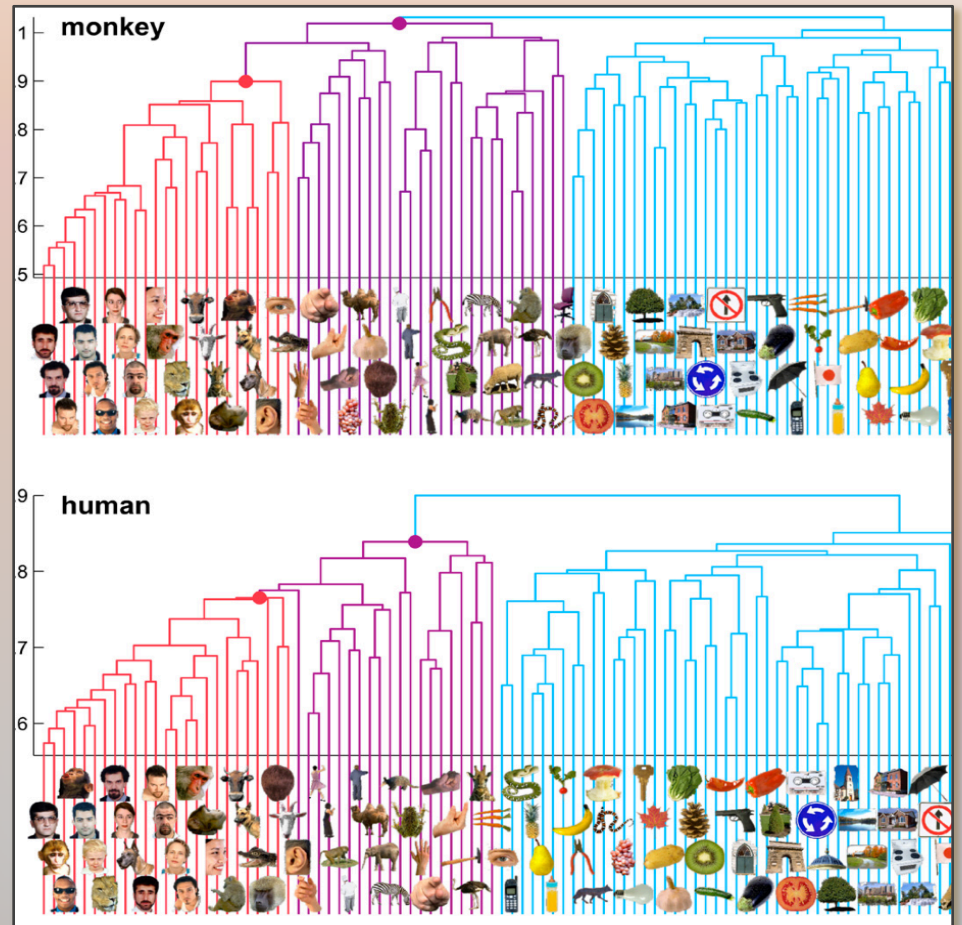
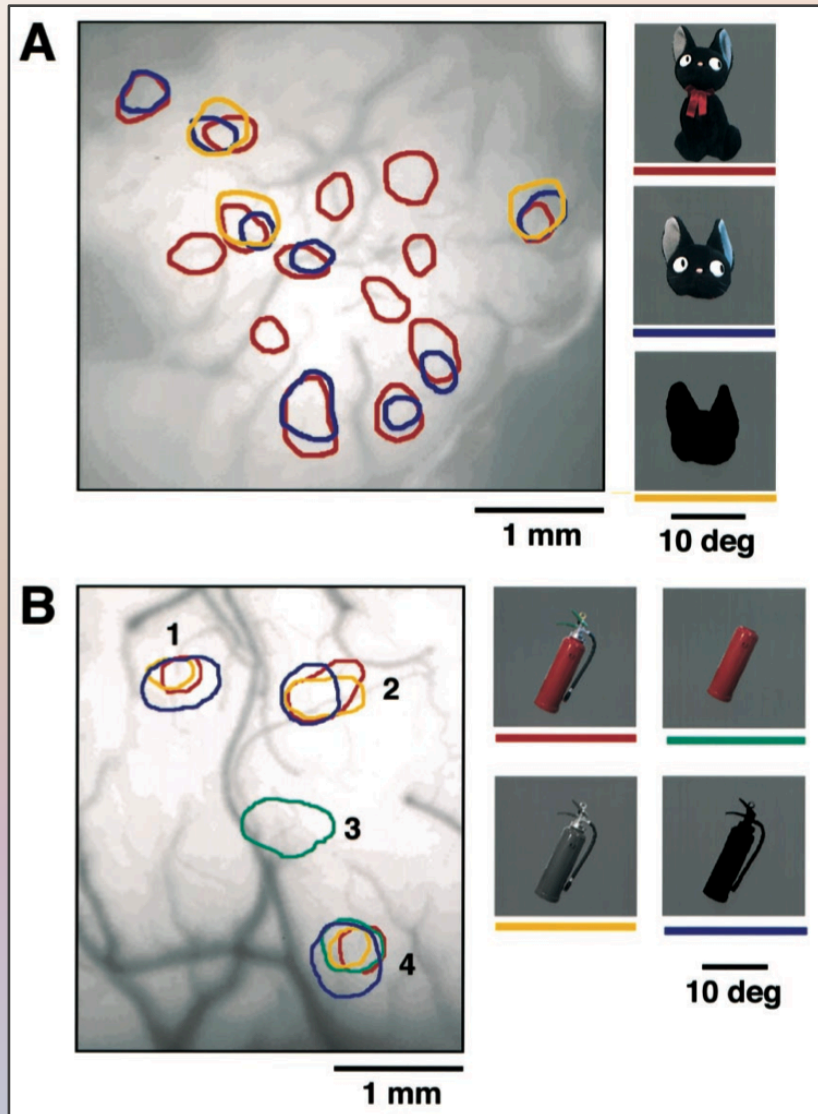


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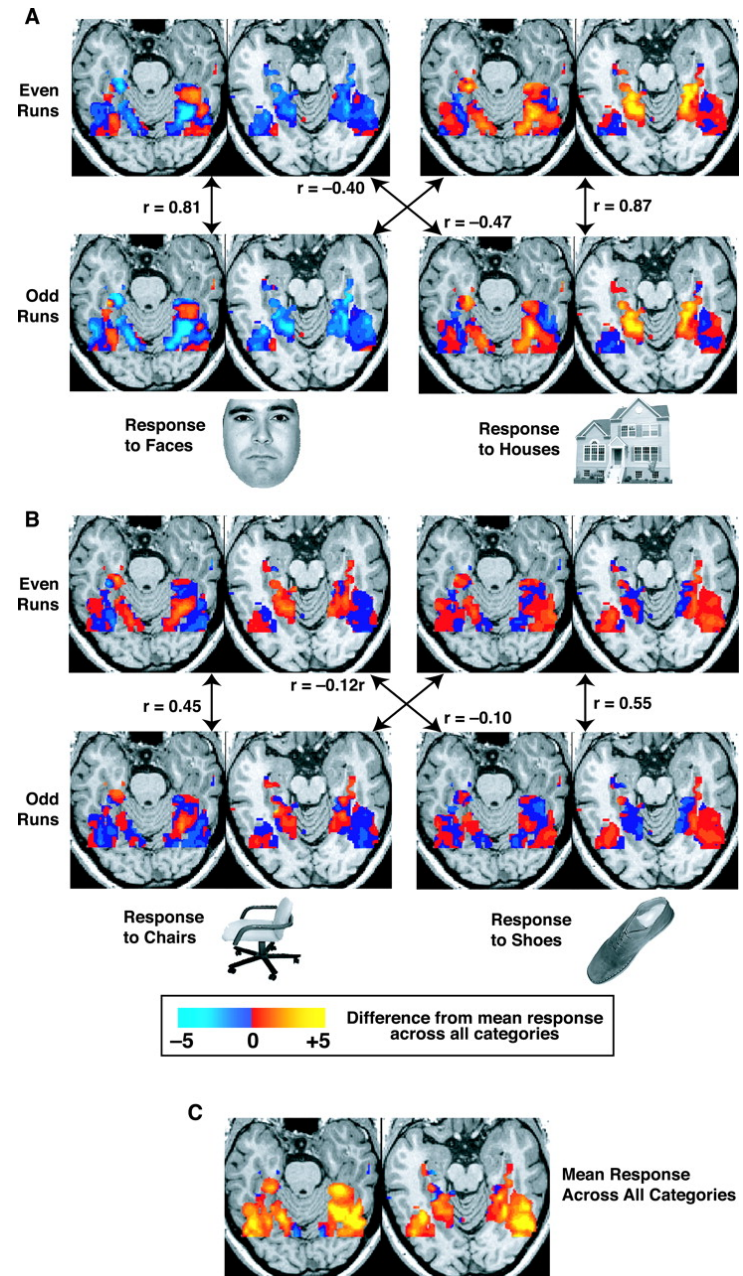
(fig. < O'Reilly, *Comp. Cog. Neurosci.*, from Tanaka, 2003)

# Sparse Distributed Representations



# Not Just Monkeys

- Maps of neural activity in the human brain in response to different visual input stimuli
- (as shown — faces, houses, chairs, shoes)
- Recorded using functional magnetic resonance imaging (fMRI)
- There is a high level of overlap in neural activity across these different stimuli, in addition to some level of specialization
- This is the hallmark of a distributed representation

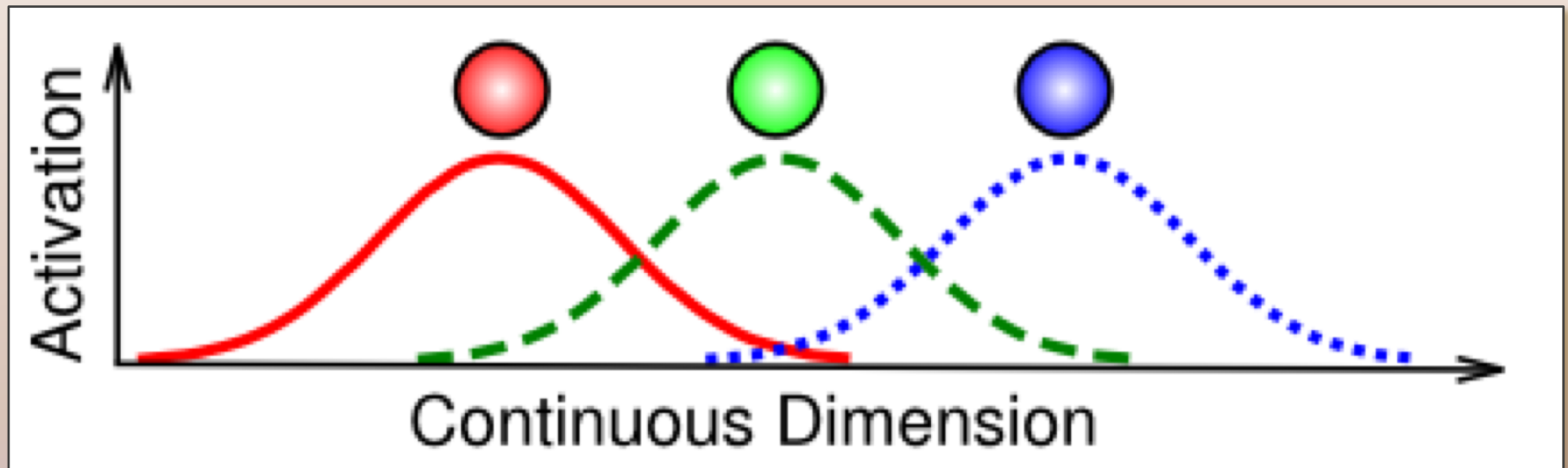


(slide based on O'Reilly)

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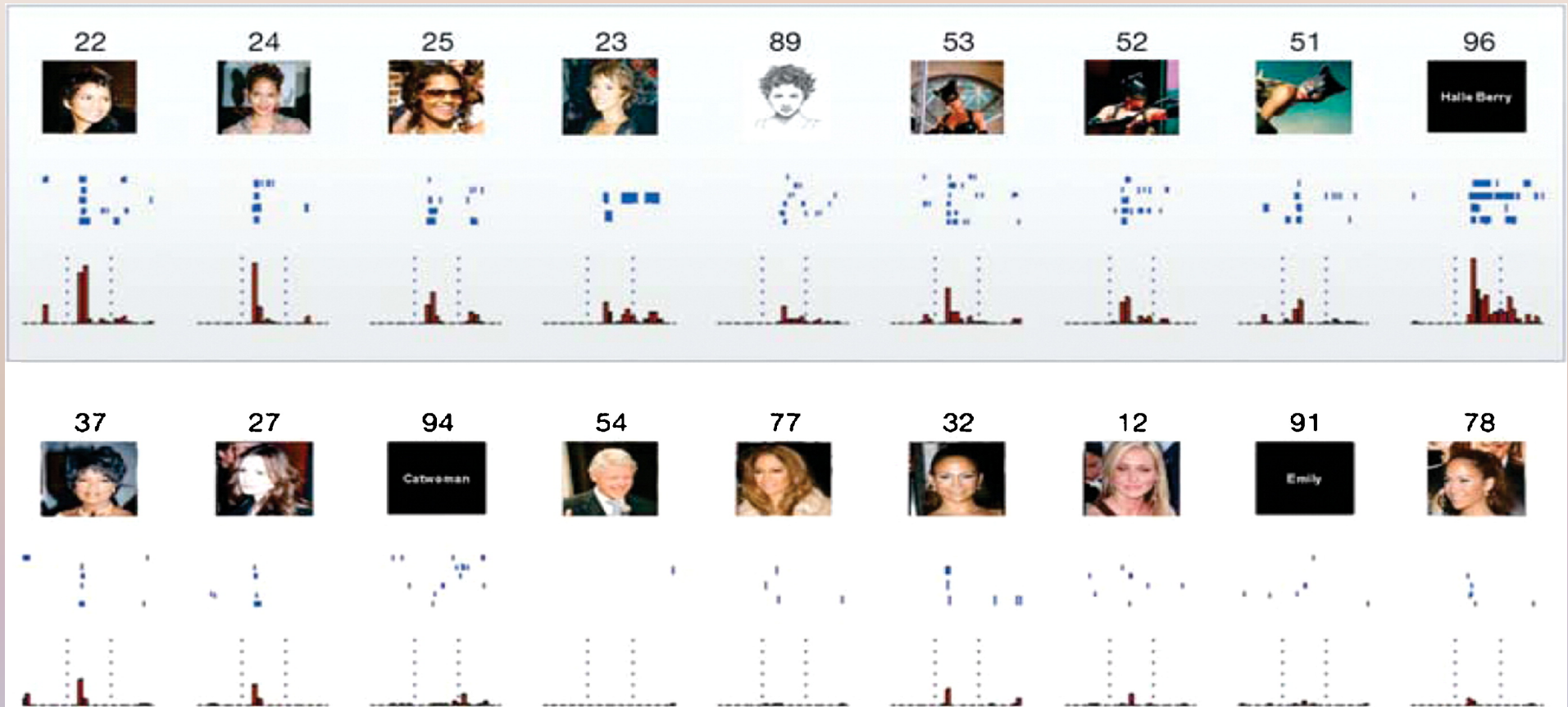


# Coarse Coding



- Broadly-tuned receptive fields
- Population-coding of precise values
- Common throughout sensory and motor areas

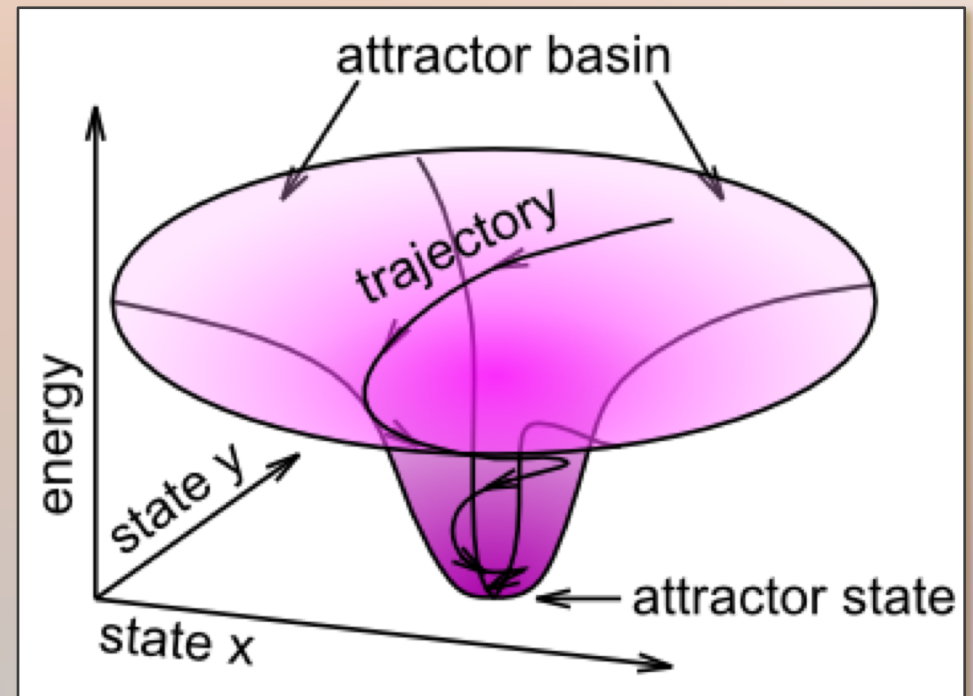
# Localist Representations?



# emergent demonstration: Face Categorization I

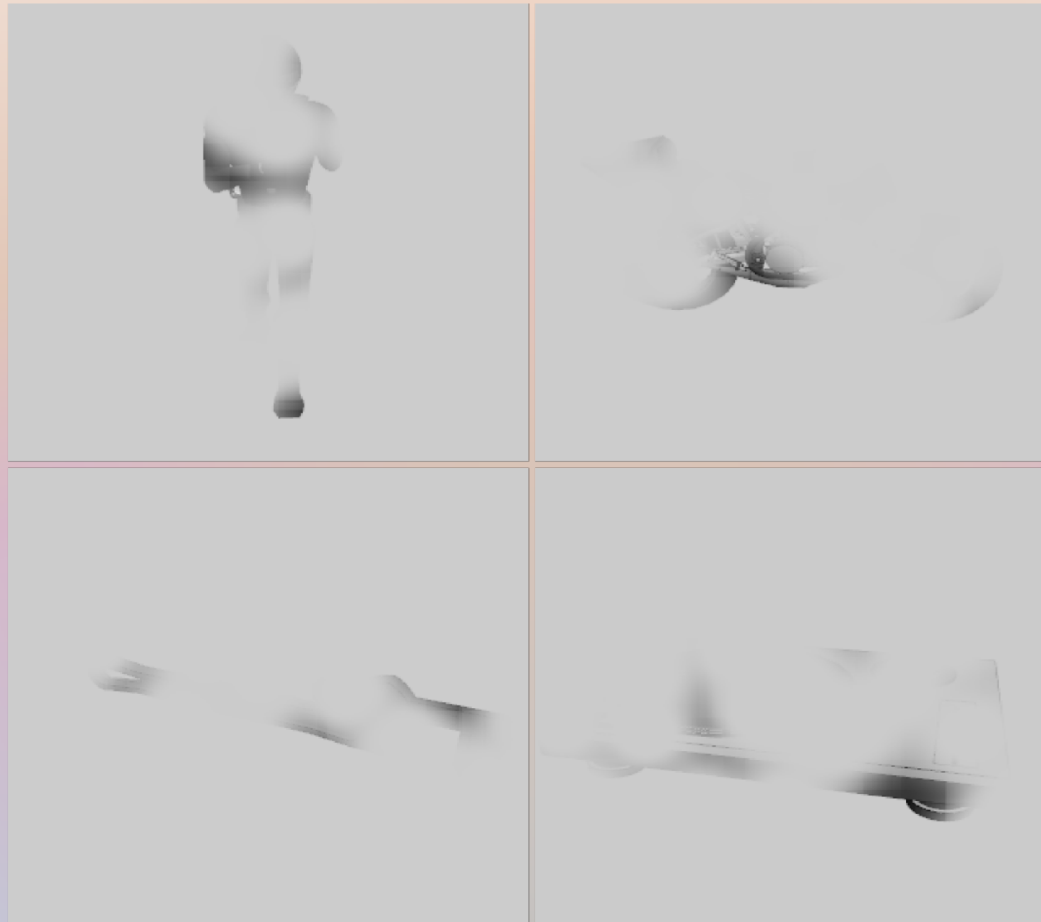
# Bidirectional Excitation

- Functions
  - recognition
  - top-down imagery
  - ambiguity resolution
  - pattern completion
- Attractor dynamics
  - convergence on good representation
  - energy vs. harmony



(fig. < O'Reilly, *Comp. Cog. Neurosci.*)

# What Are These?

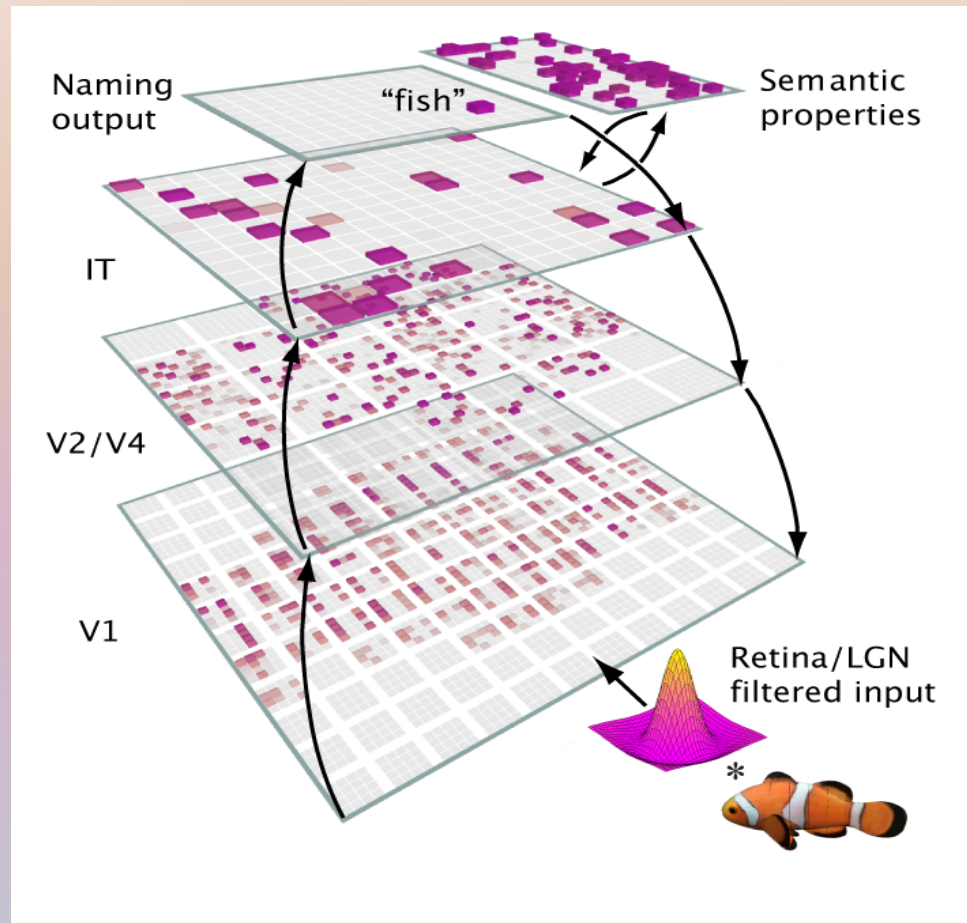


(slide < O'Reilly)

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# A Big Network Model...

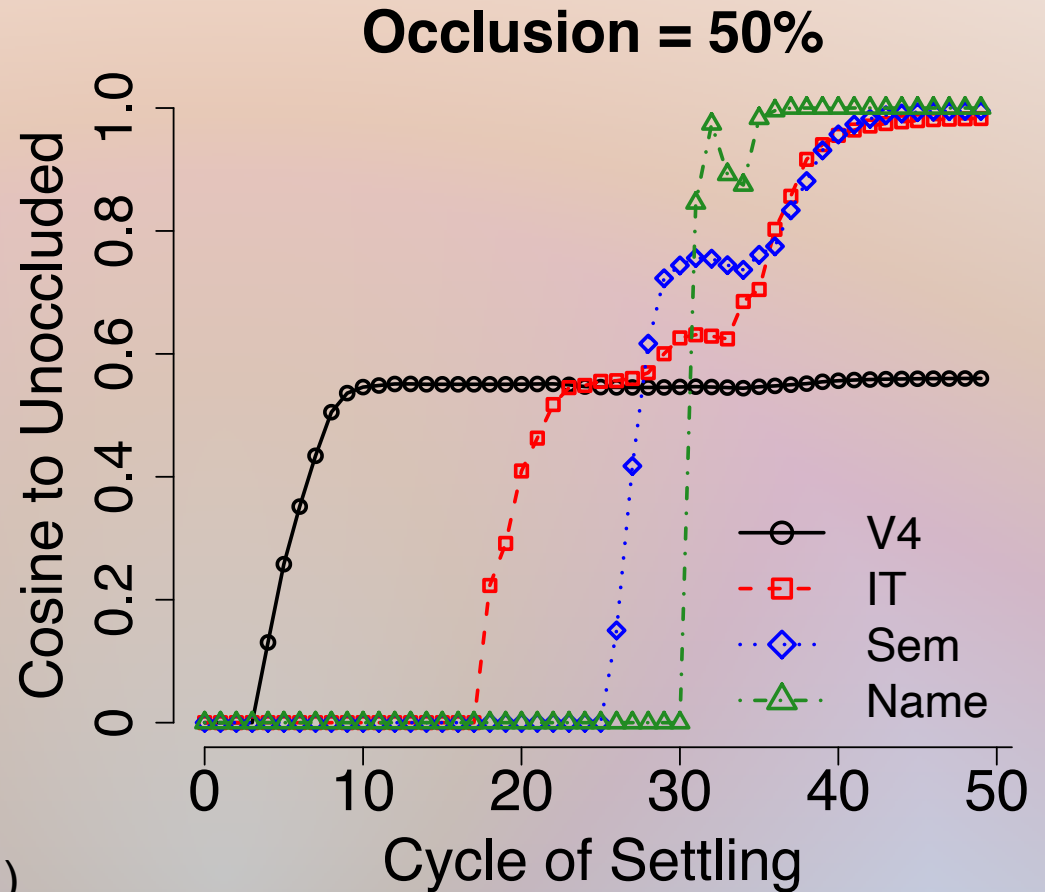


# Bidirectional Dynamics



Wyatte, Herd, Mingus, O'Reilly (2012)

(slide < O'Reilly)



emergent demonstration:  
Face Categorization II



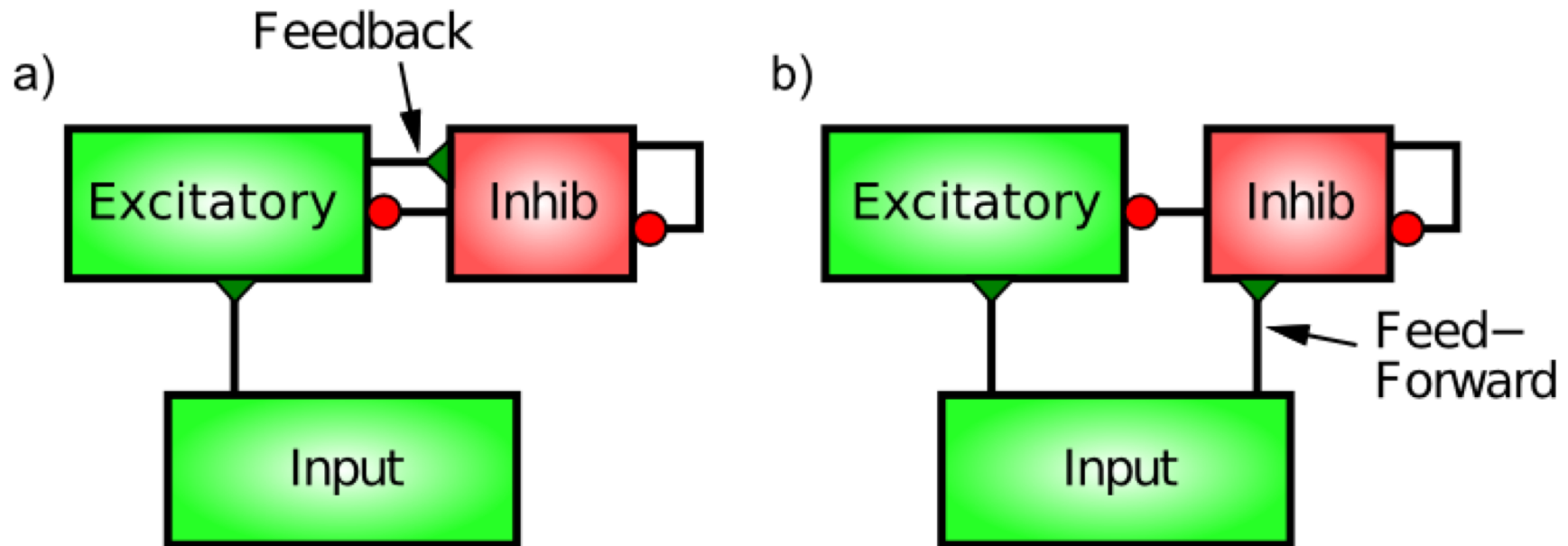
emergent demonstration:  
Cats and Dogs

emergent demonstration:  
Necker Cube

# Inhibitory Competition and Activity Regulation

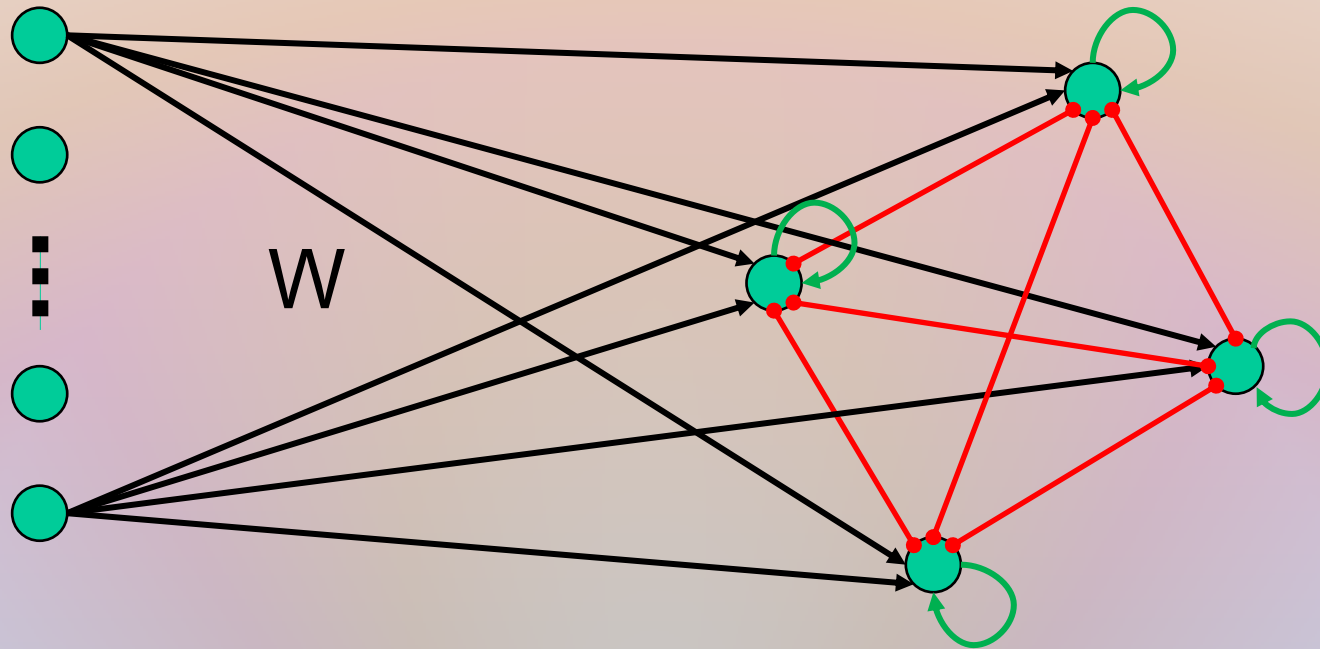
- Activity regulation
- Selective attention
- Competition
- Sparse distributed representation

# Activity Regulation



- Feedback: reactive, reflects actual level of activity, robust, responsive, may be unstable
- Feedforward: anticipatory, limits feedback oscillation, slow, brittle
- Work well together

# Competitive Network



# Competitive Classification

- two layers
- first layer of detectors
- second is self-reinforcing, mutually inhibitory
- “winner takes all” dynamics
- implements nearest neighbor classification

# FFFB Inhibition Approximation

- Approximates total effect of all inhibition in a layer
- Inhibition determined by feedforward and feedback terms:

$$g_i(t) = g_i[\text{FF}(t) + \text{FB}(t)]$$

- FF term is excess average input over set point:

$$\text{FF}(t) = \text{ff}[\langle \eta \rangle - \text{ff0}]^+$$

where  $\langle \eta \rangle = n^{-1} \sum_{i=1}^n \eta_i$  is average input

- FB term varies with average activity:

$$\dot{\text{FB}}(t) = \text{dt}[\text{fb}\langle y \rangle - \text{FB}(t)]$$

where  $\langle y \rangle = n^{-1} \sum_{i=1}^n y_i$  is average activity

- Will stabilize with  $\text{FB}(t) = \text{fb}\langle y \rangle$

# emergent demonstration: Inhibition

