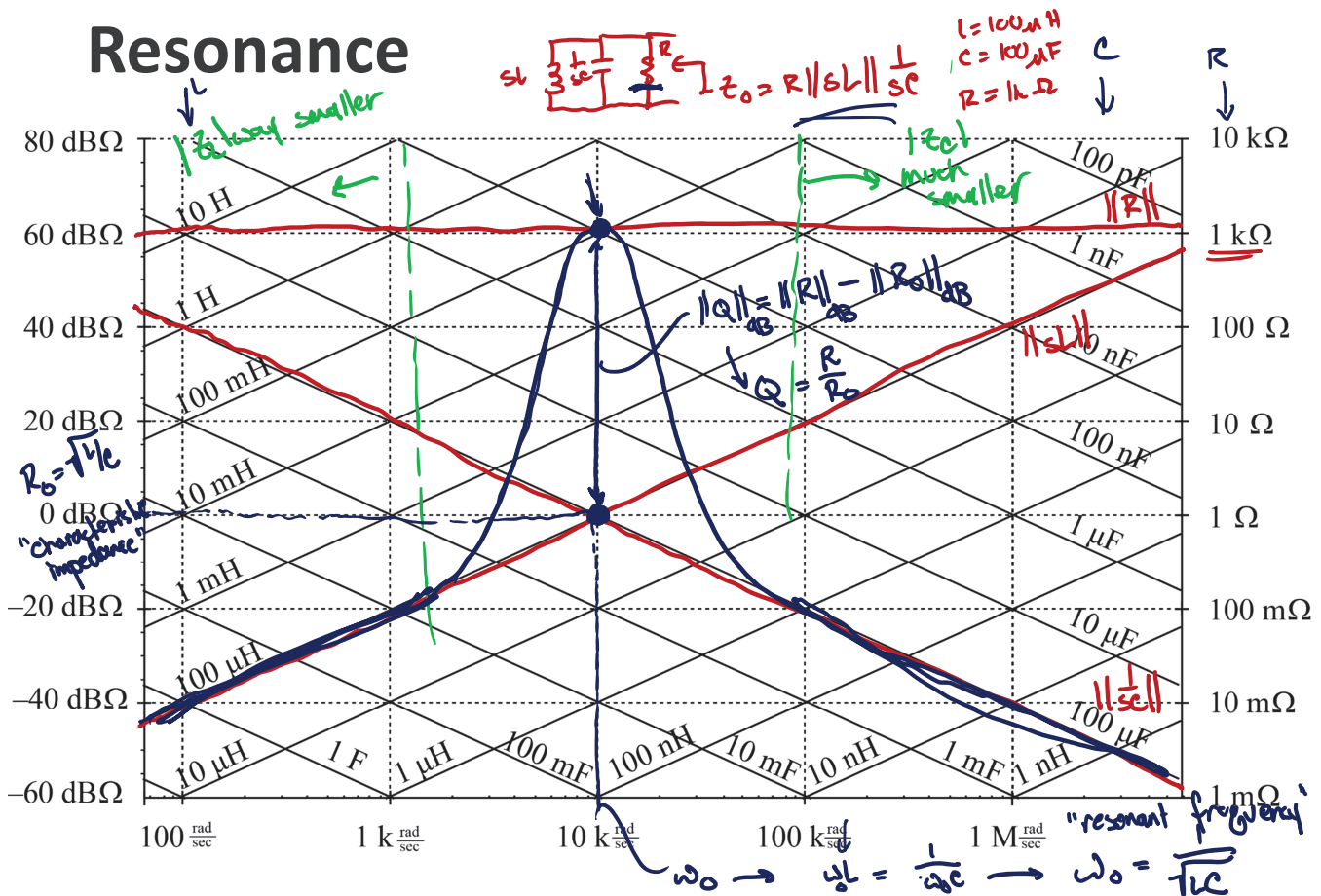


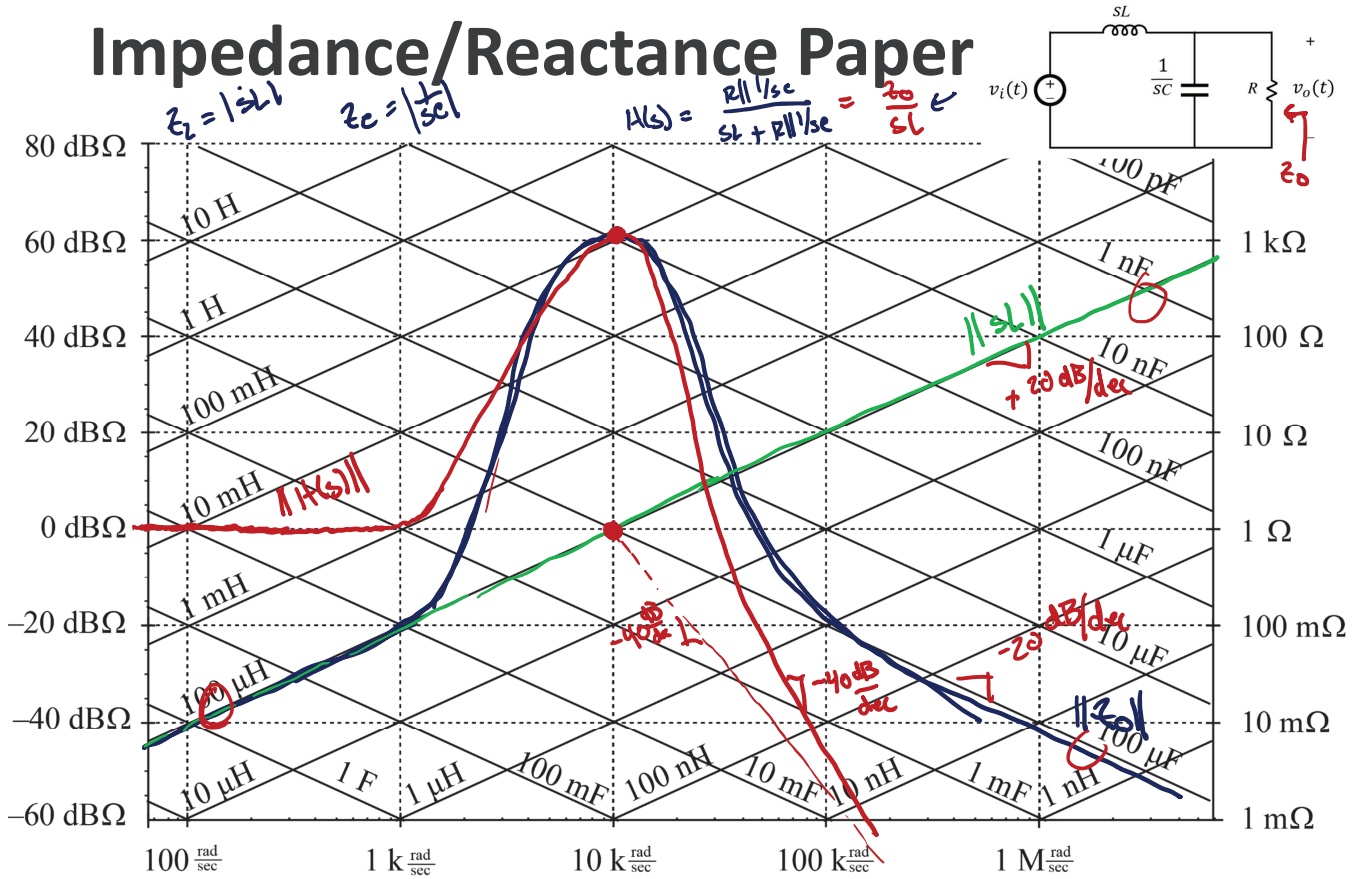
# Approximate Graphical Analysis

- 1) Multiplication (linear)  $\rightarrow$  Addition (log)  $\frac{||z||}{||z_0||} \rightarrow ||z|| - ||z_0||$
- 2)  $||z^n|| \rightarrow 20(n) \log(z) \rightarrow 20(n) \text{ dB/dec slope}$
- 3) "formulas" for pole/zero/complex pair
- 4) Approximation
  - Addition (linear)  $\rightarrow$  max (log)
  - Series  $|z_1 + z_2| = \begin{cases} |z_1|, & |z_1| \gg |z_2| \\ \text{depends} & |z_1| = |z_2| \\ |z_2|, & |z_1| \ll |z_2| \end{cases}$
  - Parallel  $|z_1||z_2| = \begin{cases} |z_2|, & |z_1| \gg |z_2| \\ \text{depends}, & |z_1| = |z_2| \\ |z_1|, & |z_1| \ll |z_2| \end{cases}$

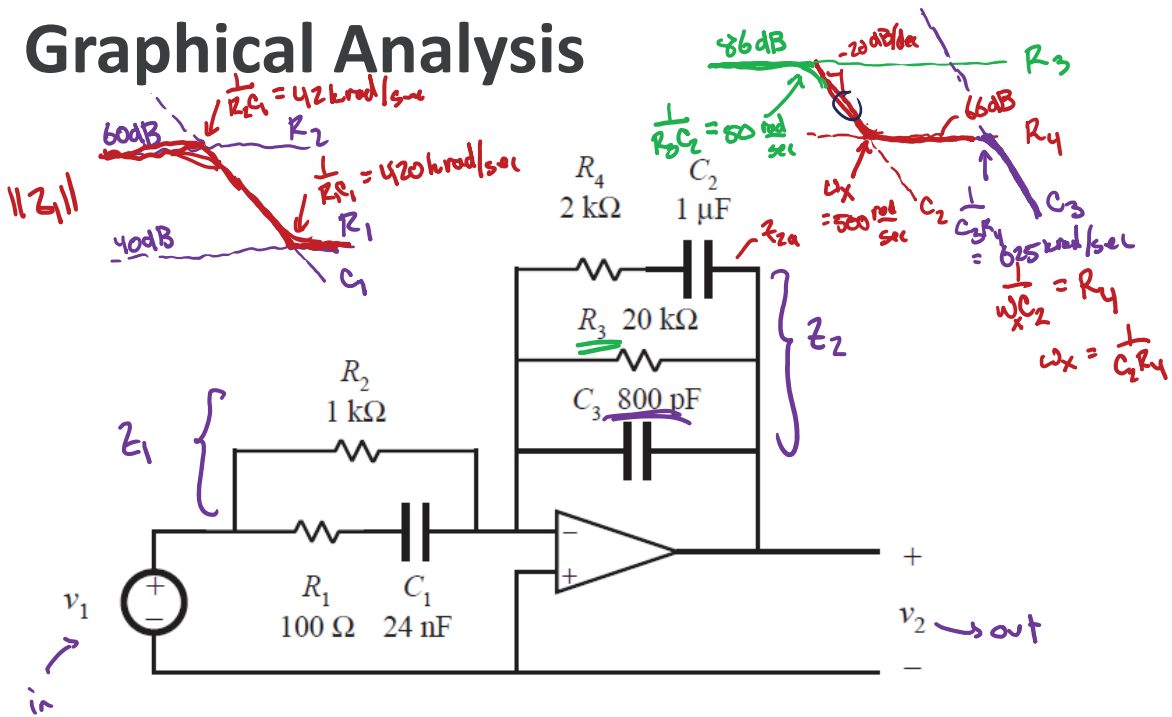
## Resonance



# Impedance/Reactance Paper

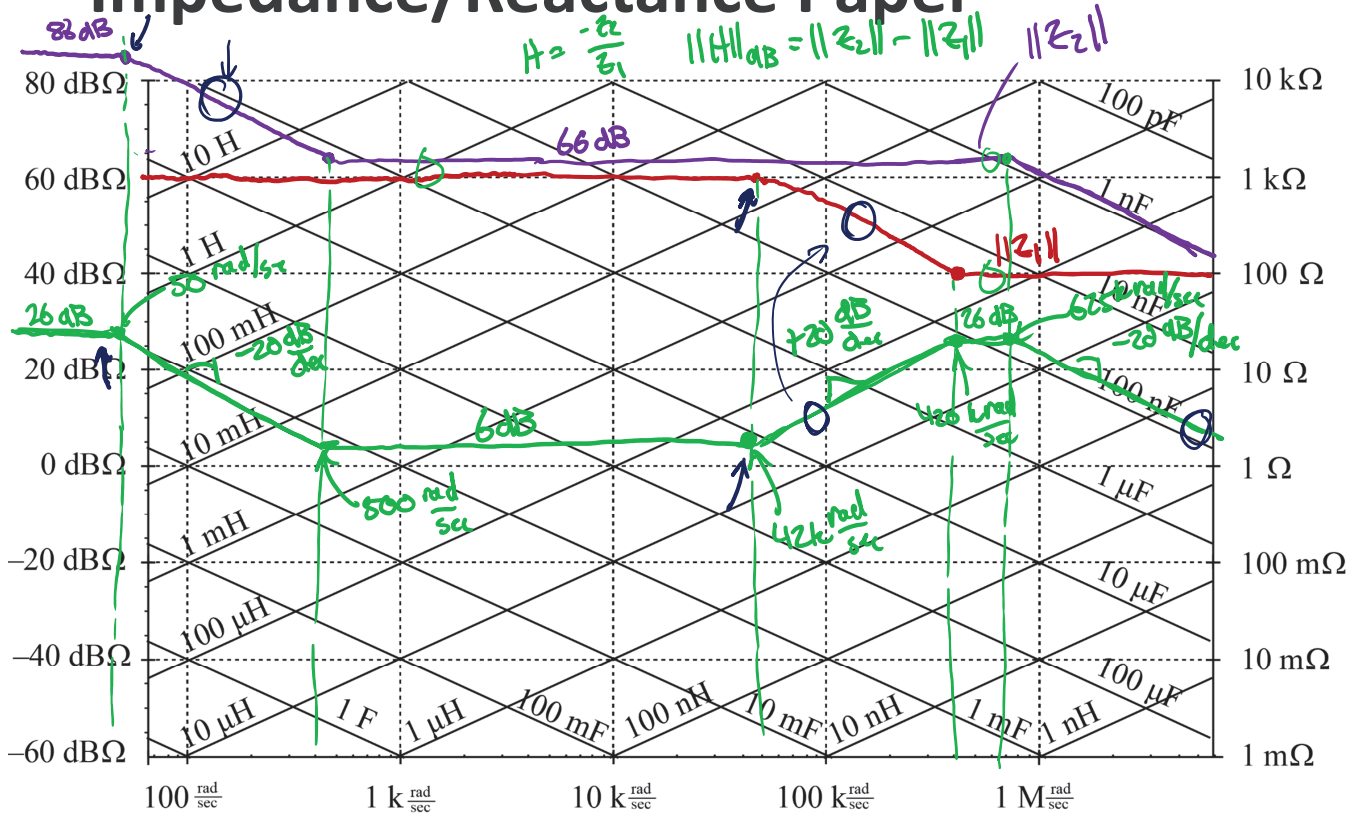


# Graphical Analysis



$$H(s) = \frac{V_2(s)}{V_1(s)} = \frac{-Z_2}{Z_1}$$

# Impedance/Reactance Paper



## Transfer Function Synthesis

Have some  $H(s)$  & want to realize it with a circuit  
 if all poles & zeros are real  $\rightarrow$  can use just op-amp,  $R, C$



$$H(s) = \frac{-z_2}{z_1}$$

any asymptotes going down at 20dB/dec realized with caps in  $z_2$

any asymptotes going up at +20dB/dec realized with caps in  $z_1$

"Height" depends on  $\|z_2\| - \|z_1\|$  so  $H(s) = \frac{z_2}{z_1} = \frac{10z_2}{10z_1} = \frac{kz_2}{kz_1}$

General design guidelines:   
 very small  $R$  & large  $C$  increases power   
 very large  $R$  & small  $C$  increases noise sensitivity