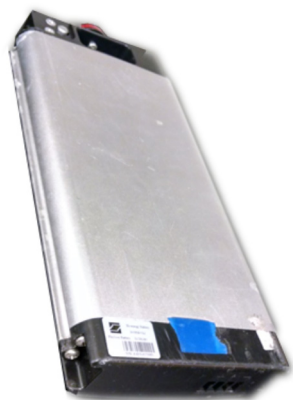


Lab 1



Introduction to Battery Modeling

Example EV Batteries



Cutaway battery of Nissan Leaf electric vehicle. The Leaf includes a 24kWh lithium-ion battery with a city driving range of 160km (100 miles). The battery fits under the floor of the car, weighs 272kg (600lb) and is estimated to cost \$15,600 (2010).



Tesla Model S frame-integrated battery. The Model S includes a 60-85kWh lithium-ion battery with a city driving range of 480km (300miles). The battery weighs 544kg (1200lb) and is estimated to cost \$24-34,000.

Toyota Prius HEV Battery. The 2004 Prius included a 1.3 kWh NiMH battery consisting of 168 cells and with a \$3K retail replacement cost



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Cell Equivalent-Circuit Models

Objective:

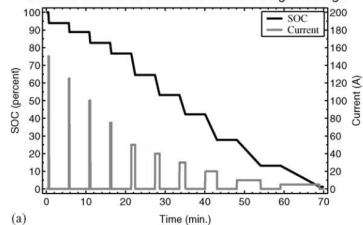
- Dynamic circuit model capable of predicting cell voltage in response to charge/discharge current, temperature

Further key techniques discussed in [Plett 2004-Part 2] and [Plett 2004-Part 3]

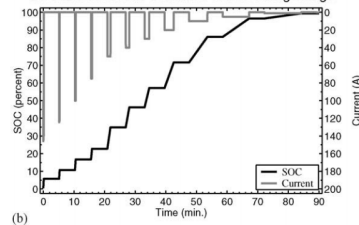
- Model parameters found using least-square estimation or Kalman filter techniques based on experimental test data
- Run-time estimation of state of charge (SOC)

Approach: Pulsed current tests

SOC and current as a function of time during discharge



SOC and current as a function of time during charge



[Plett 2004-2] G. Plett, "Extended Kalman Filtering for Battery Management Systems of LiPB-Based HEV Battery Packs—Part 2: Modeling and Identification," Journal of Power Sources, Vol. 134, No. 2, August 2004, pp. 262–76.

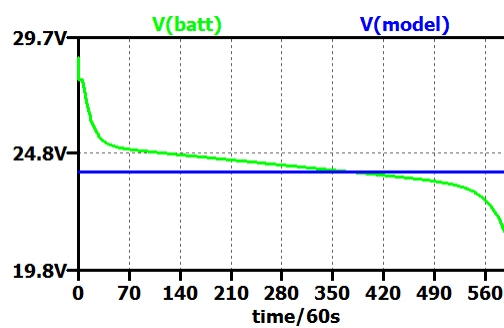
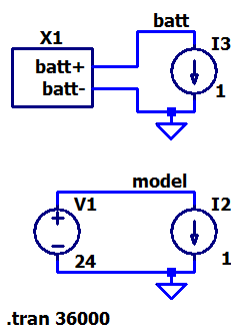
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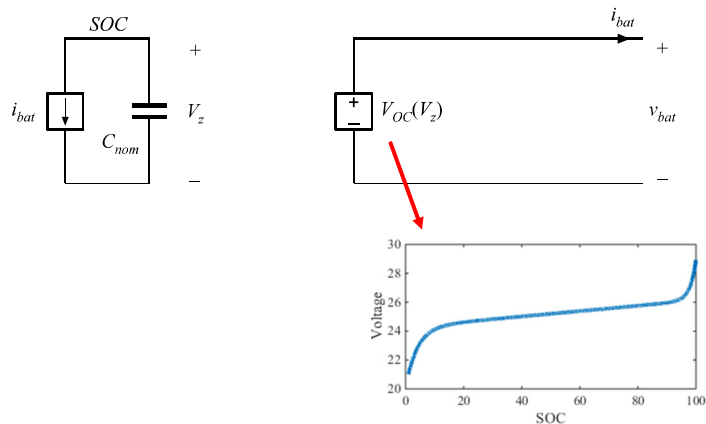
Battery Capacity and C-rate

- Known beforehand:

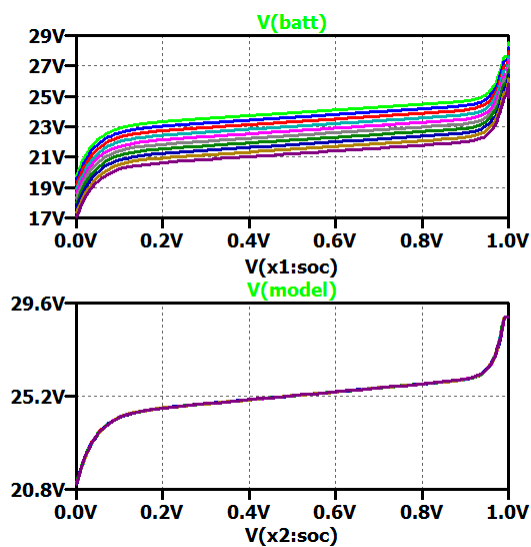
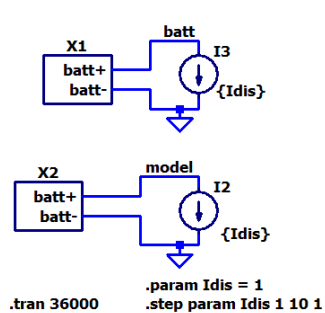
Model 0: Voltage Source



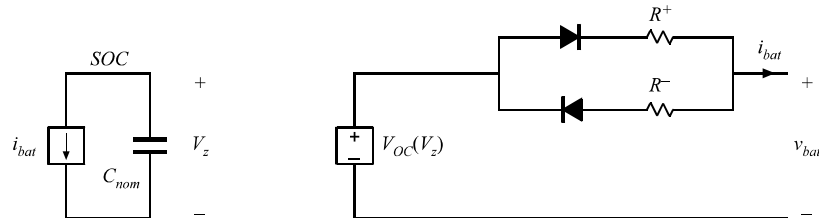
Model A: SOC and V_{oc}



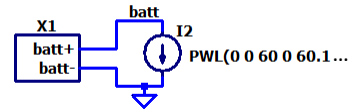
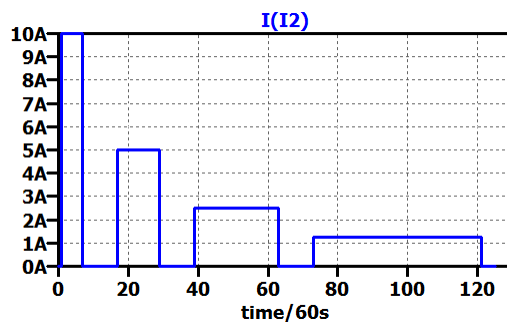
Model B: Series Resistance



Model B: Series Resistance

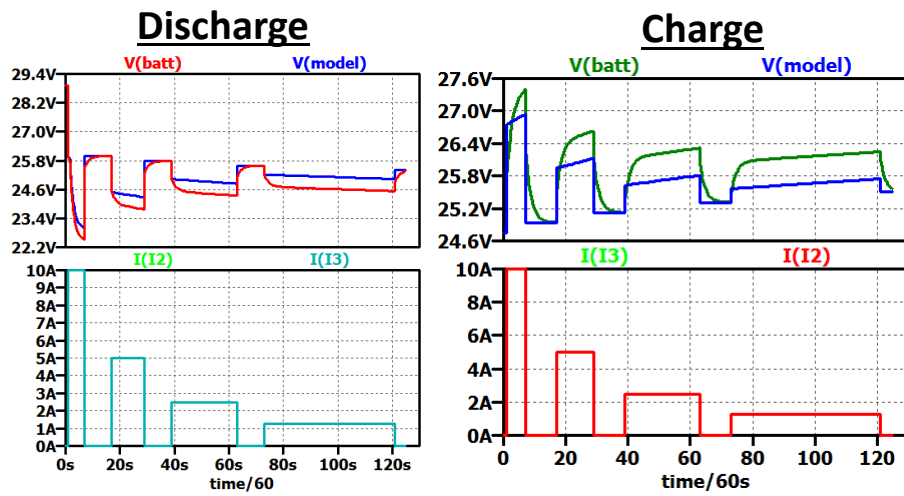


Dynamic Performance



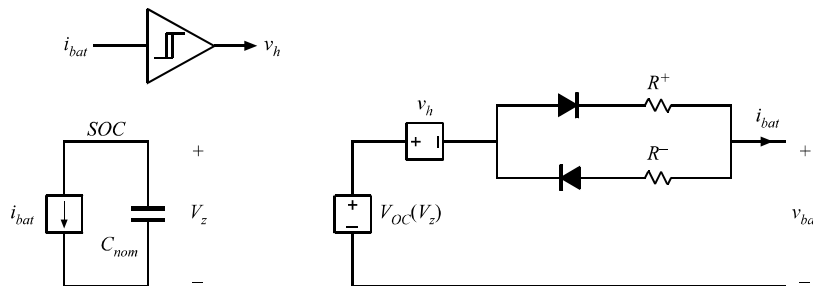
- Dynamic performance characterized by pulse train
- Constant percent of capacity per pulse [%Ahr]

Dynamic Performance

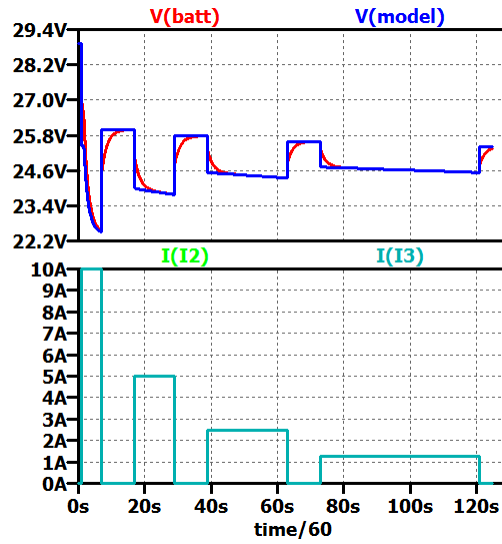


Model C: Zero-state Hysteresis

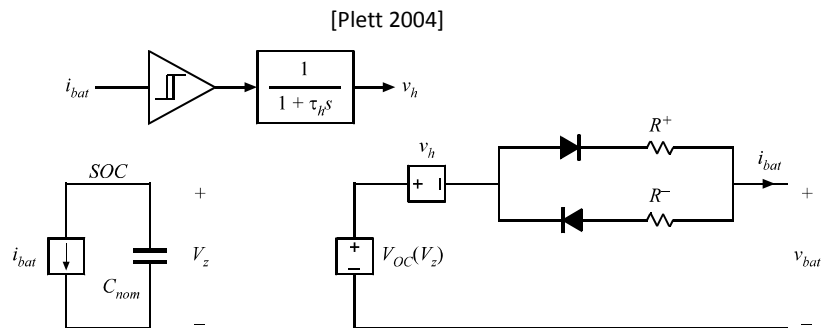
[Plett 2004]



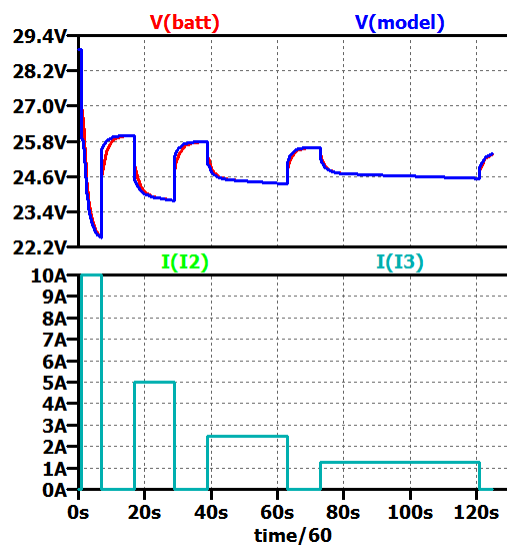
Model C Performance



Model C1: One-state Hysteresis

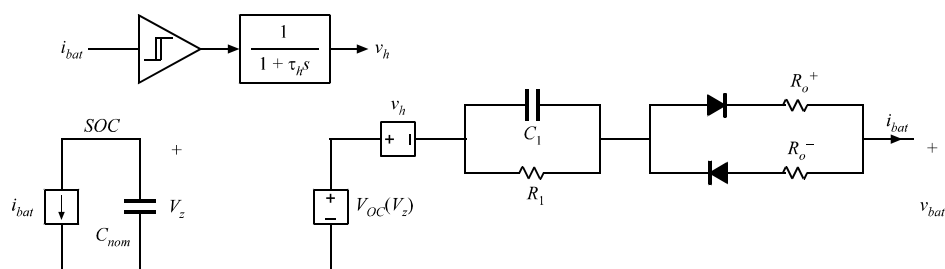


Model C1 Performance

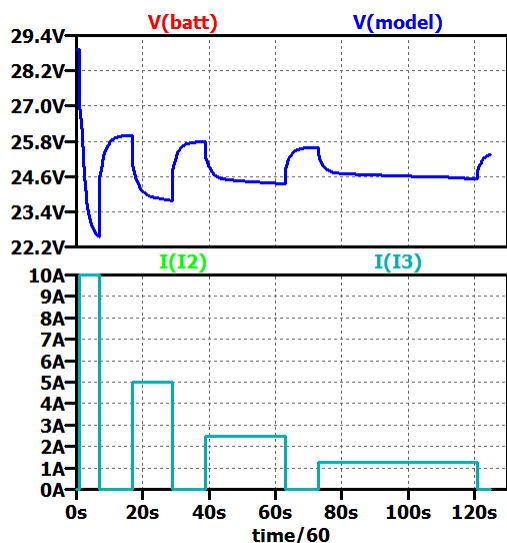


Model D: Diffusion (one-state)

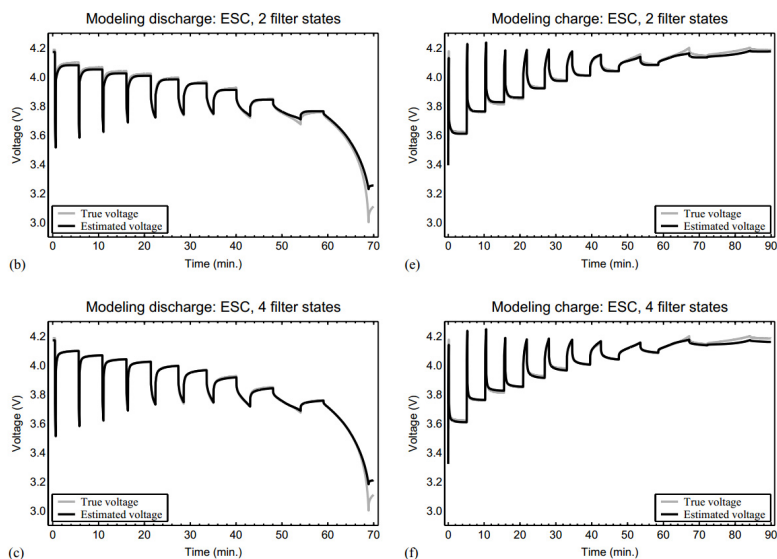
[Plett 2004]



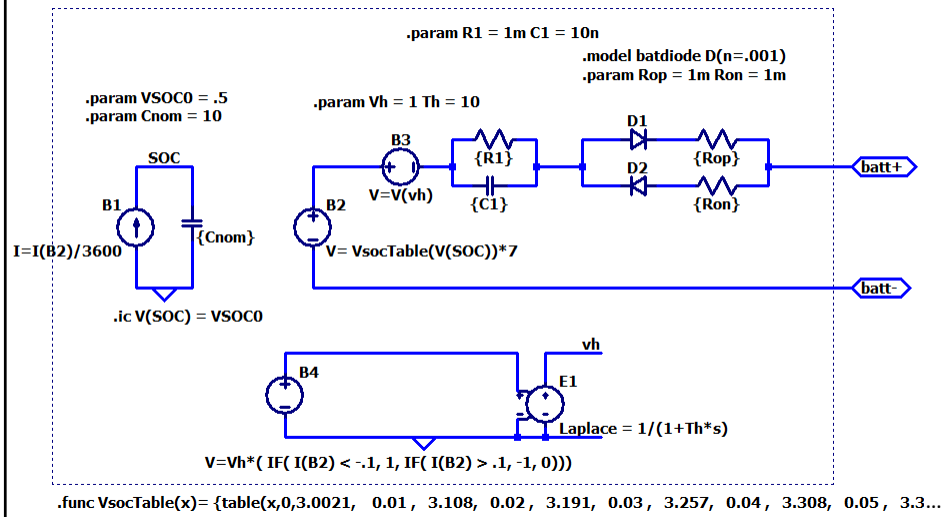
Model D Performance



Experimental Results

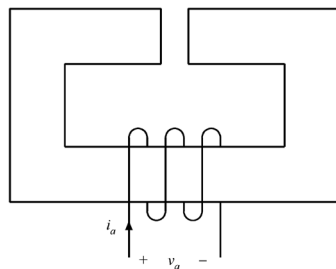


Implementation in LTSpice

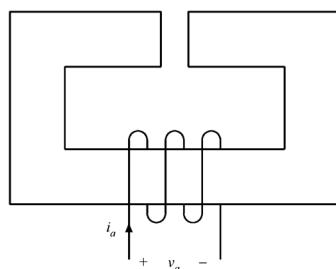


PM Motor Operation

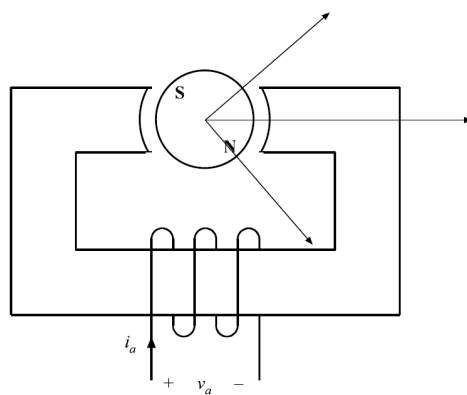
Magnetic Circuit



Equivalent Circuit



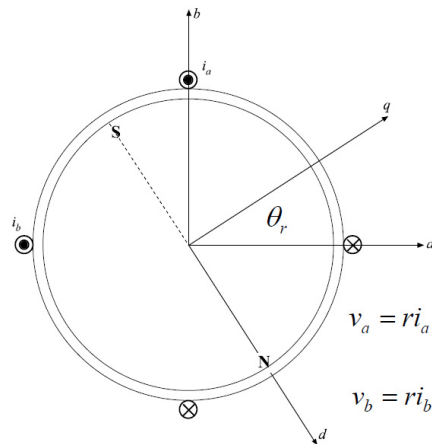
Single Phase Motor (Simplified)



Winding Voltage Equation

Electromechanical Conversion

2-Pole, 2-Phase PMSM



Two-pole, two-phase PMSM
terminal characteristics in
stator reference frame

$$\lambda_a(\theta_r) = \lambda_M \sin(\theta_r)$$

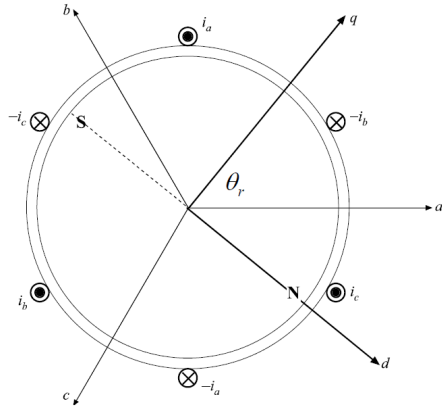
$$\lambda_b(\theta_r) = -\lambda_M \cos(\theta_r)$$

$$v_a = ri_a + \frac{d\lambda_a}{dt} = ri_a + L \frac{di_a}{dt} + \lambda_M \omega_r \cos(\theta_r)$$

$$v_b = ri_b + \frac{d\lambda_b}{dt} = ri_b + L \frac{di_b}{dt} + \lambda_M \omega_r \sin(\theta_r)$$

$$T_m = \lambda_M (i_a \cos(\theta_r) + i_b \sin(\theta_r))$$

3-Phase, 2-Pole PMSM



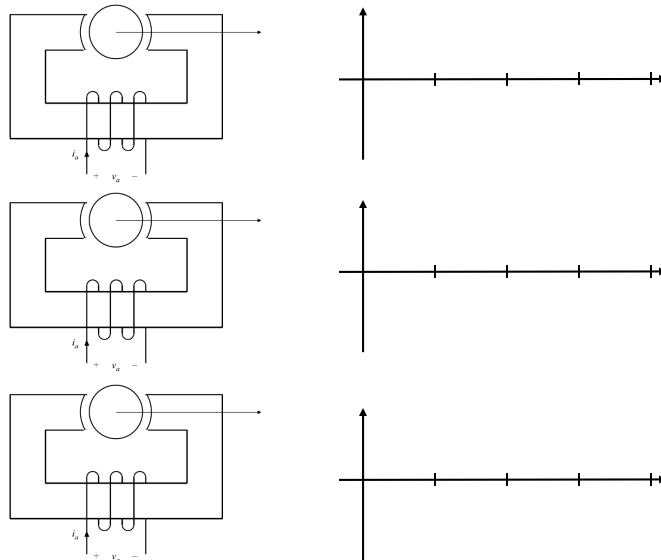
$$\lambda_a(\theta_r) = \lambda_m \sin(\theta_r)$$

$$\lambda_b(\theta_r) = \lambda_m \sin\left(\theta_r - \frac{2\pi}{3}\right)$$

$$\lambda_c(\theta_r) = \lambda_m \sin\left(\theta_r - \frac{4\pi}{3}\right)$$

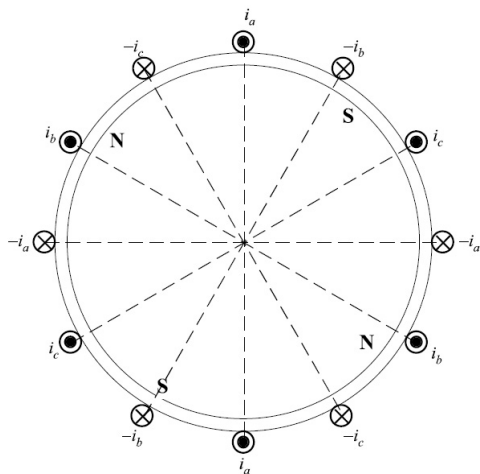
$$T_m = i_a \lambda_m \omega_r \cos(\theta_r) + i_b \lambda_m \omega_r \cos\left(\theta_r - \frac{2\pi}{3}\right) + i_c \lambda_m \omega_r \cos\left(\theta_r - \frac{4\pi}{3}\right)$$

Different Number of Poles



3-Phase, P-Pole PMSM

$P = 4$ example



Electrical and mechanical angle

$$\theta_r = \frac{P}{2} \theta_{rm}$$

Electrical and mechanical speed

$$\omega_r = \frac{P}{2} \omega_{rm}$$

Max torque per amp

$$T_m \leq \lambda_m \frac{P}{2} \frac{3}{2} I$$