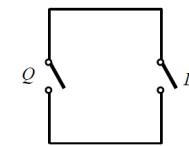
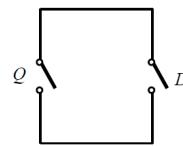
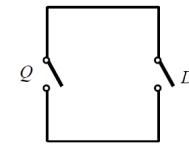
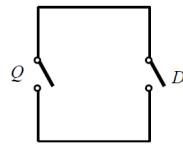




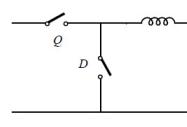
## Classification of Resonant-Switch Converters



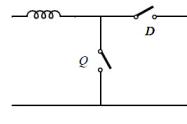
## ZVS-QR

Converter examples

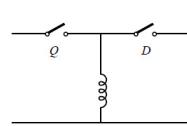
Buck



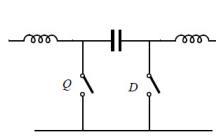
Boost



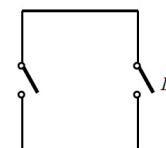
Buck-Boost



Cuk



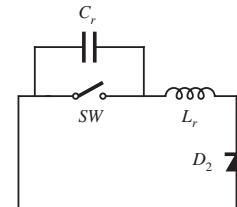
High-frequency view of the switch network



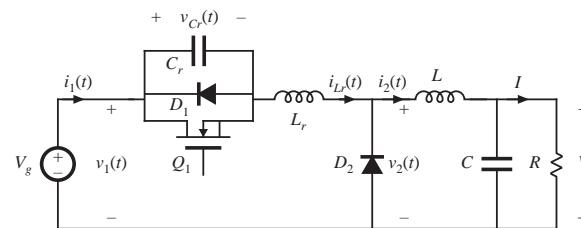


### 20.3.1 The zero-voltage-switching quasi-resonant switch cell

When the previously-described operations are followed, then the converter reduces to



A full-wave version based on the PWM buck converter:



### ZVS-QR

Switch conversion ratio

$$\mu = 1 - FP \frac{1}{2} \left( \frac{1}{J_s} \right) \quad \text{half-wave}$$

$$\mu = 1 - FP \frac{1}{2} \left( \frac{1}{J_s} \right) \quad \text{full-wave}$$

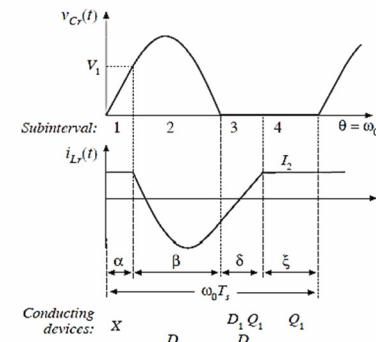
ZVS boundary

$$J_s \geq 1$$

peak transistor voltage  $V_{cr,pk} = (1 + J_s) V_1$

A problem with the quasi-resonant ZVS switch cell: peak transistor voltage becomes very large when zero voltage switching is required for a large range of load currents.

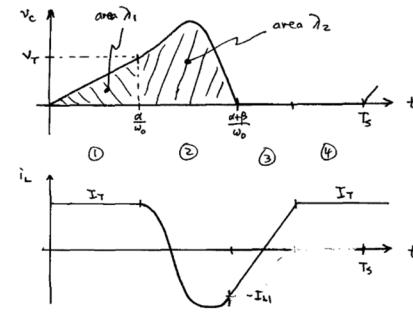
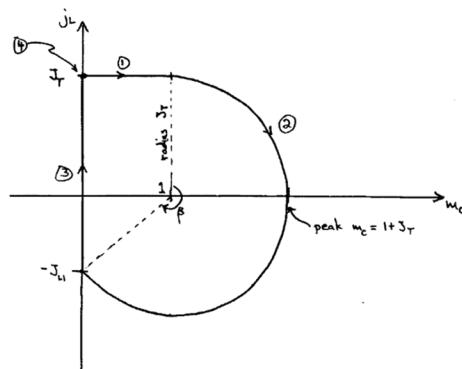
Tank waveforms





## ZVS-QR State Plane Trajectory

normalized phase plane:



## The average output voltage

Average output voltage:

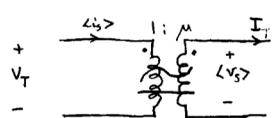
$$\langle v_s \rangle = 1 - \langle m_c \rangle$$

$$\langle v_s \rangle = \mu V_T \quad \text{with} \quad \mu = 1 - F(\bar{J}_T)$$

$$P = \frac{1}{2\pi} \left[ \frac{1}{2} \frac{1}{\bar{J}_T} + \pi r + \sin^{-1} \frac{1}{\bar{J}_T} + \bar{J}_T + \sqrt{\bar{J}_T^2 - 1} \right]$$

$$\text{type b } P(\bar{J}_T) = \text{type a } P\left(\frac{1}{\bar{J}_T}\right)$$

$$\begin{bmatrix} \langle v_s \rangle \\ \langle i_s \rangle \\ x_s \end{bmatrix} = \mu \begin{bmatrix} V_T \\ I_T \\ Y_T \end{bmatrix}$$



dc transformer  
 $\mu$  controlled by  $F$ , but  
also depends on  
 $V_T$  and  $I_T$



## Results: Quasi-resonant switches

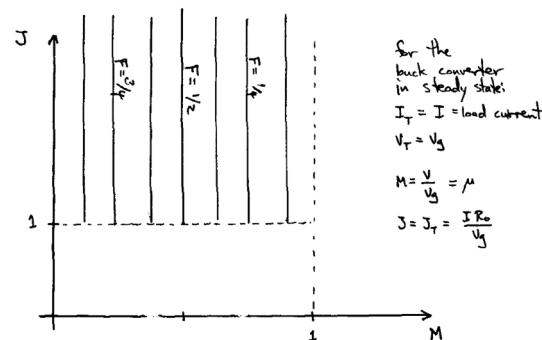
<u>Switch</u>	<u><math>\mu</math></u>	<u><math>P(J_T)</math></u>	<u>load current range</u>	<u>voltage conversion range</u>
PWM	D	—	nearly infinite	$0 \leq \mu \leq 1$
type a $\frac{1}{2}$ wave	$F P(\frac{\cdot}{\cdot})$	$k_{\frac{1}{2}}(J_T)$	$0 \leq J_T \leq 1$	$0 \leq \mu \leq 1$
type a full wave	$F P \approx F$	$k_1(J_T) \approx 1$	$0 \leq J_T \leq 1$	$0 \leq \mu \leq 1$
type b $\frac{1}{2}$ wave	$1 - FP(J_T)$	$k_{\frac{1}{2}}\left(\frac{1}{J_T}\right)$	$1 \leq J_T \leq \infty$	$0 \leq \mu \leq 1$
type b full wave	$1 - FP \approx 1 - F$	$k_1\left(\frac{1}{J_T}\right) \approx 1$	$1 \leq J_T \leq \infty$	$0 \leq \mu \leq 1$

with  $k_{\frac{1}{2}}(x) = \frac{1}{2\pi} \left[ \frac{1}{2}x + \pi + \sin^{-1}x + \frac{1}{x} \left( 1 + \sqrt{1-x^2} \right) \right]$

$k_1(x) = \frac{1}{2\pi} \left[ \frac{1}{2}x + 2\pi - \sin^{-1}x + \frac{1}{x} \left( 1 - \sqrt{1-x^2} \right) \right]$



## Output characteristics: Full-wave ZVS buck



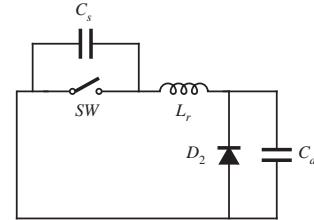
$$V = \left(1 - \frac{f_s}{f_o}\right) V_o \quad \text{with } I \geq \frac{V_o}{R_o}$$

with resistive load  $R$ :  $I = V/R \geq V_o/R_o$   
 $\Rightarrow R \leq \left(1 - \frac{f_s}{f_o}\right) R_o$

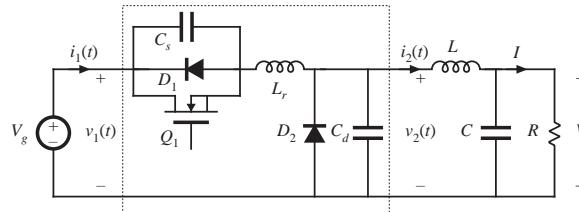


## 20.3.2 The ZVS multiresonant switch

When the previously-described operations are followed, then the converter reduces to

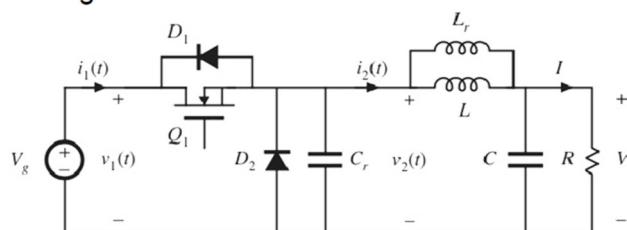


A half-wave version based on the PWM buck converter:

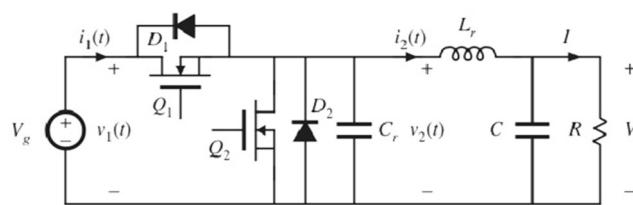


## ZVS QSW Converters: Already Studied

Original one-switch version

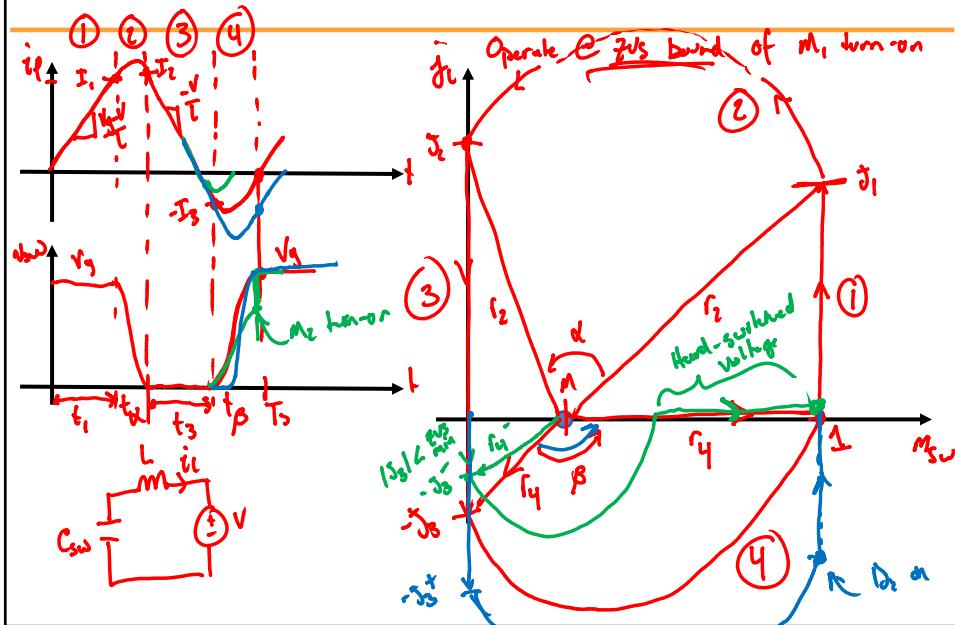


Add synchronous rectifier





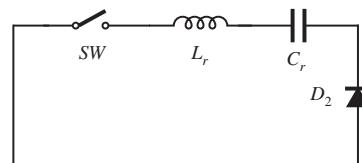
## Lecture 21



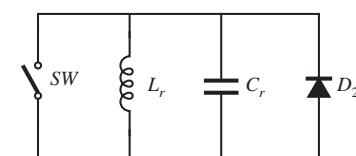
### 20.2.3 Quasi-square-wave resonant switches

When the previously-described operations are followed, then the converter reduces to

ZCS

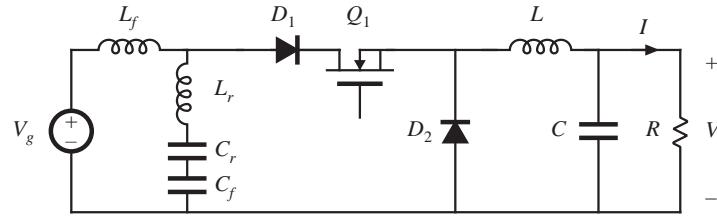


ZVS





## A quasi-square-wave ZCS buck with input filter



- The basic ZCS QSW switch cell is restricted to  $0 \leq \mu \leq 0.5$
- Peak transistor current is equal to peak transistor current of PWM cell
- Peak transistor voltage is increased
- Zero-current switching in all semiconductor devices