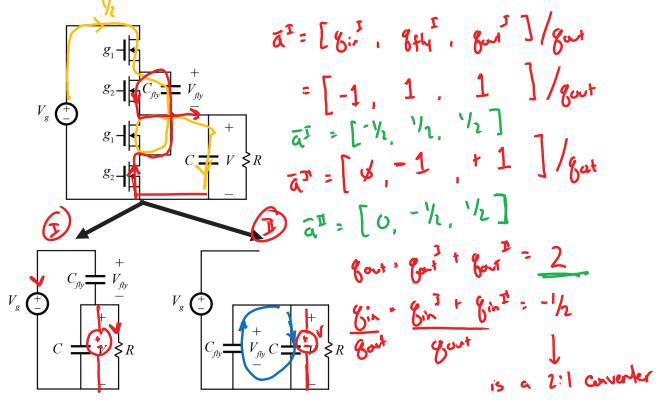
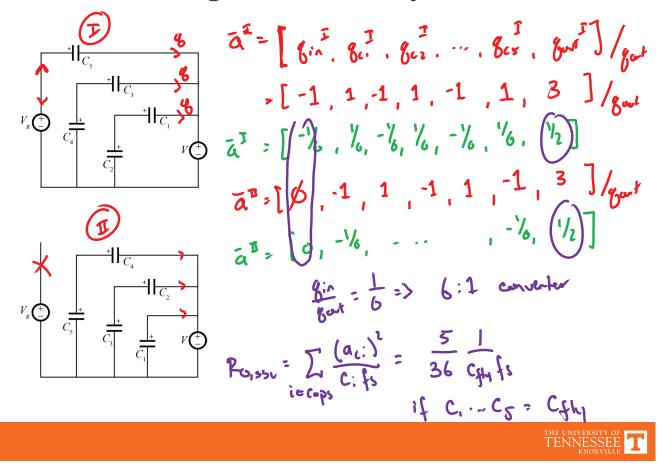
**2:1 Converter Charge Vector Analysis** 



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$$R_{0,ssc} = \sum_{cqps} \frac{(a_{ci})^{2}}{c_{c}h^{2}} = \frac{y_{ij}}{c_{sup}h} = \frac{1}{u_{csu}h} \sqrt{1-u_{csu}h} \sqrt{1-u_{csu$$

## **Dickson Charge Vector Analysis**



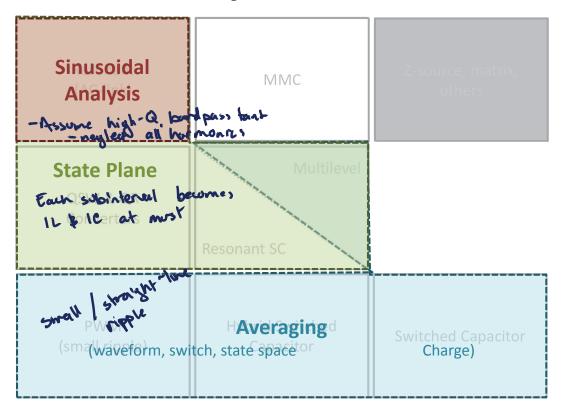
Charge Vector Analysis in FSL  

$$\bar{a}_r = \frac{\bar{b}_r}{\bar{b}_{uvt}} = 7$$
  $g_{r,i} = charge that flows through switch i
when it is conducting
Lo some linear conducting
in FSL, currents constant without I & II
 $i_{r,i} = current$  in switch i when conducting  
 $i_{r,i} = \frac{2}{\bar{b}_r} = \frac{2}{\bar{b}_s}$   
 $P_{r,i} = (i_{r,i})^2 R_{oni} \cdot \frac{1}{2} = (g_{r,i}, \frac{2}{\bar{b}_s})^2 R_{un,i} = \frac{1}{2} = g_{r,i}^2 - \frac{2}{\bar{b}_s} \cdot 2R_{un,i}$   
 $P_{r,i} = a_{r,i}^2 - \frac{2}{\bar{b}_s} \cdot 2R_{un,i}$   
 $F_{r,i} = a_{r,i}^2 - \frac{2}{\bar{b}_s} \cdot 2R_{un,i}$$ 

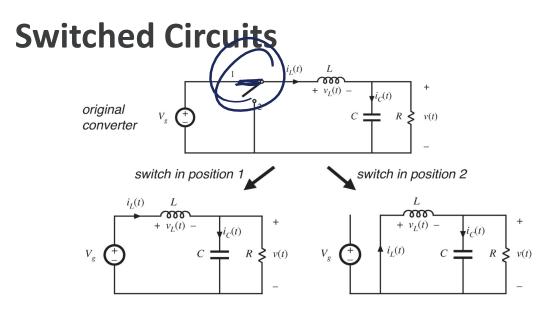
### **DISCRETE TIME MODELING**

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# **Converter Analysis**









# **Historical Perspective**



**Robert D Middlebrook** PhD, Standford, 1955

CalTech Professor, 1955-1998

**Slobodan Cúk** PhD CalTech, 1976 CalTech Prof, 1977-1999

> Modelling, analysis, and design of switching converters

Model a switched system as an averaged, time-invariant system with

 $\dot{\boldsymbol{x}}(t) = \boldsymbol{A}\boldsymbol{x}(t) + \boldsymbol{B}\boldsymbol{u}(t)$ 

where

 $A = DA_1 + D'A_2$  $B = DB_1 + D'B_2$ 

