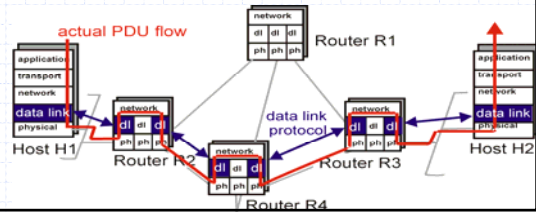


ECE453 – Introduction to Computer Networks

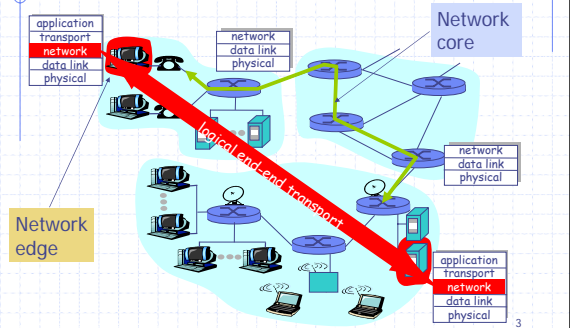
Lecture 9 - The Network Layer (I) - Routing

Recap

- ◆ Framing
- ◆ Error detection and correction
- ◆ Reliable or unreliable data transfer
- ◆ Channel allocation protocol



Network Core and Network Edge



Network Core – Information Transmission

- ◆ Circuit switching
 - Telephone system
- ◆ Message switching
 - Mail delivery
 - The message travels as a complete unit. At any one time, it completely exists in one place.
- ◆ Packet switching
 - The Internet

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Design Issues

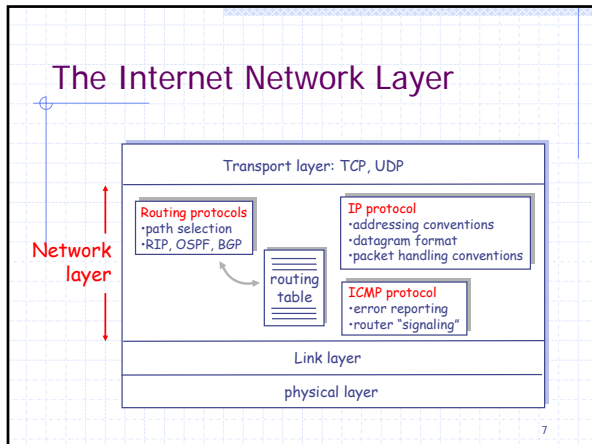
- ◆ Store-and-forward packet switching
- ◆ Services to the transport layer
 - Connection-oriented vs. Connectionless
 - Quality of service (QoS)

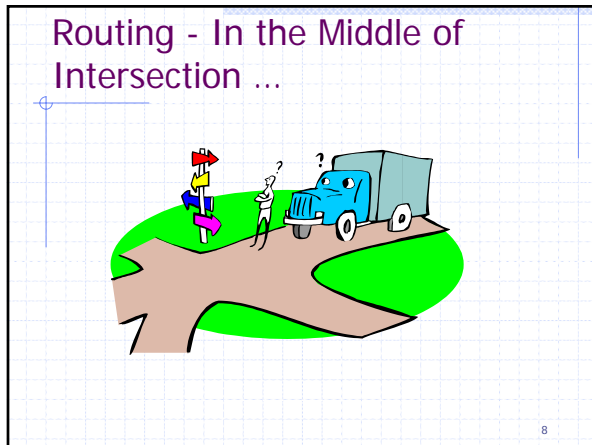
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Network Layer Services

- ◆ **Connectionless**
 - Best-effort
 - No guarantee
 - The Internet
 - No advance setup is needed
 - **Datagram subnet**
- ◆ **Connection-oriented**
 - Guaranteed delivery
 - ATM
 - A path from the source router to the destination router is established before any data packets can be sent
 - **Virtual circuit**

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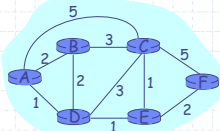




- ### Different Strategies
- ◆ Nonadaptive algorithms (or static routing)
 - ◆ Adaptive algorithms (or dynamic routing)
 - Global algorithm (have a global knowledge – a **map**)
 - Decentralized algorithm (get information only from **neighbor**)

Graph Abstraction for Routing Algorithms

- ◆ Graph nodes \leftrightarrow Routers
- ◆ Graph edge \leftrightarrow Physical links
- ◆ Edge weight \leftrightarrow Link cost
- ◆ Link cost
 - Delay, power consumption, congestion level, \$cost, etc.
- ◆ Good path or optimal path
 - Minimum link cost



Two Fundamental Routing Algorithms

- ◆ Link state routing
 - A global algorithm
- ◆ Distance vector routing (or Bellman-Ford routing, Ford-Fulkerson routing)
 - A decentralized algorithm
 - The original ARPANET routing algorithm, replaced by LS routing in 1979

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A Link State Routing Algorithm

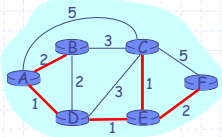
Dijkstra's algorithm

- ◆ Net topology, link costs known to **all nodes**
 - accomplished via "link state broadcast"
 - all nodes have the same info
- ◆ computes least cost paths from the source to all other nodes
- ◆ Iterative algorithm

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Dijkstra's Algorithm: An Example

Step	start N	D(B),p(B)	D(C),p(C)	D(D),p(D)	D(E),p(E)	D(F),p(F)
→ 0	A	2,A	5,A	1,A	infinity	infinity
→ 1	AD	2,A	4,D		2,D	infinity
→ 2	ADE	2,A	3,E			4,E
→ 3	ADEB	2,A	3,E			4,E
→ 4	ADEBC					4,E
5	ADEBCF					



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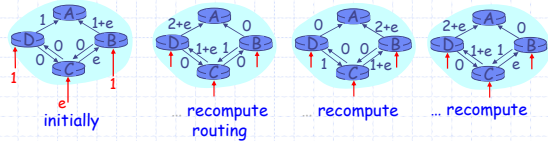
Dijkstra's Algorithm: Discussion

Algorithm complexity: n nodes

- each iteration: need to check all nodes, not in N
- $n^2(n+1)/2$ comparisons: $O(n^3)$
- more efficient implementations possible: $O(n \log n)$

Oscillations possible:

- e.g., link cost = amount of carried traffic



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DV Routing

Each router maintains a **distance table**

Initialization

- 0 for itself
- Infinity for non-neighbor
- Link cost for neighbor

Message exchange between neighbors

- When a neighbor first comes up
- When information changes (e.g. change in link cost)

Distance vector calculation

- Minimize cost to each destination

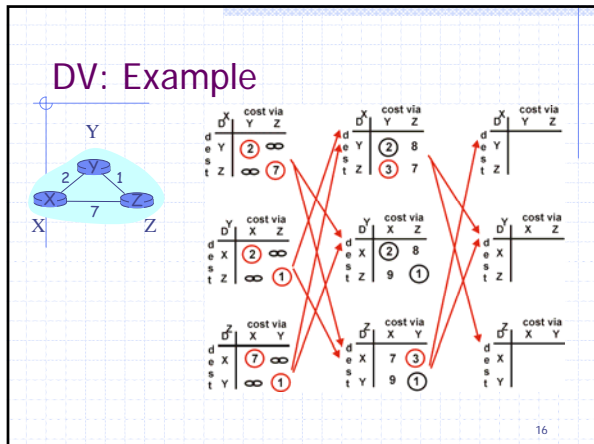
		cost to destination via			
		D	A	B	D
destination	A		1	14	5
	B		7	8	5
	C		6	9	4
	D		4	11	2

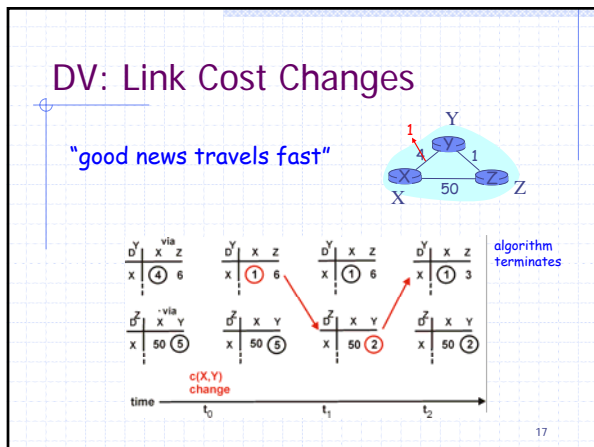
$$D^X(Y,Z) = \text{distance from } X \text{ to } Y, \text{ via } Z \text{ as next hop}$$

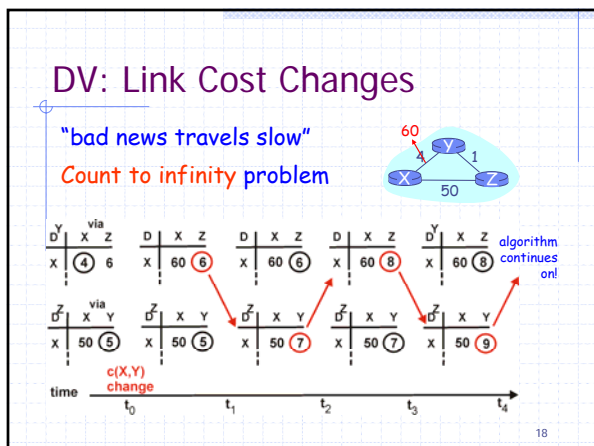
$$= c(X,Z) + \min_w \{D^Z(Y,w)\}$$

Iterative routing
Distributed routing

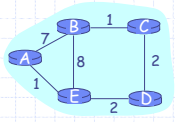
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Distance Table: An Example



$$D^E(C,D) = c(E,D) + \min_w \{D^D(C,w)\}$$

$$= 2+2 = 4$$

$$D^E(A,D) = c(E,D) + \min_w \{D^D(A,w)\}$$

$$= 2+3 = 5 \text{ loop!}$$

$$D^E(A,B) = c(E,B) + \min_w \{D^B(A,w)\}$$

$$= 8+6 = 14 \text{ loop!}$$

		cost to destination via		
		A	B	D
destination	A	1	14	5
	B	7	8	5
	C	6	9	4
	D	4	11	2

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