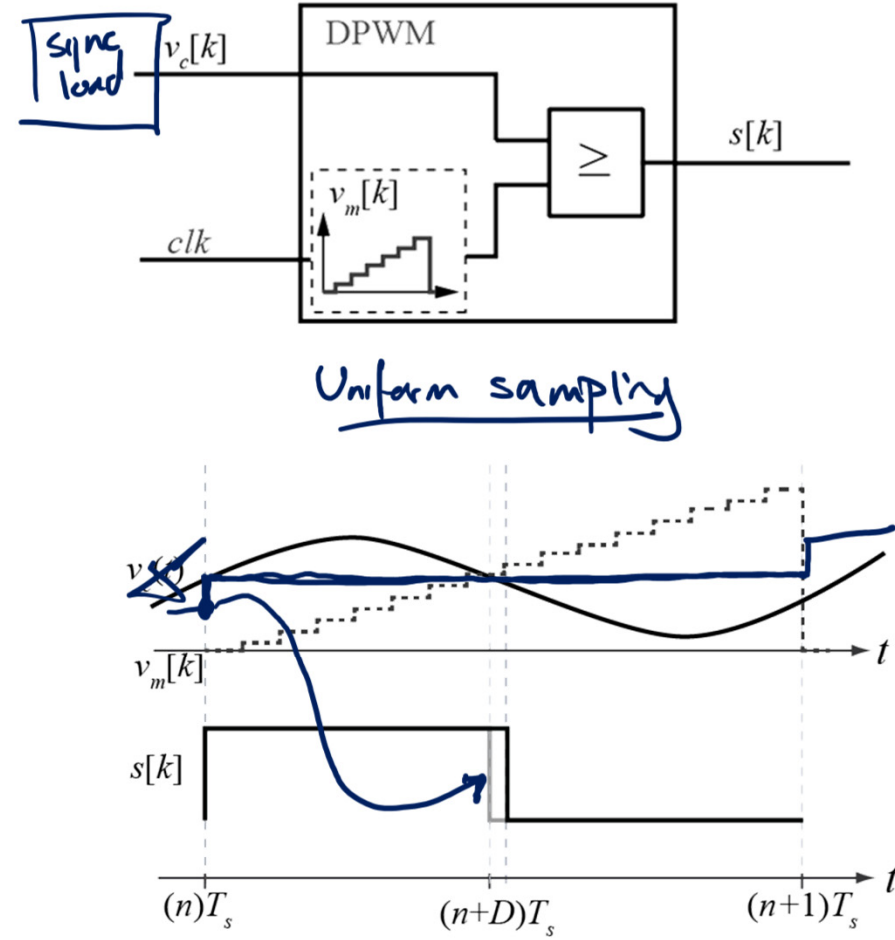
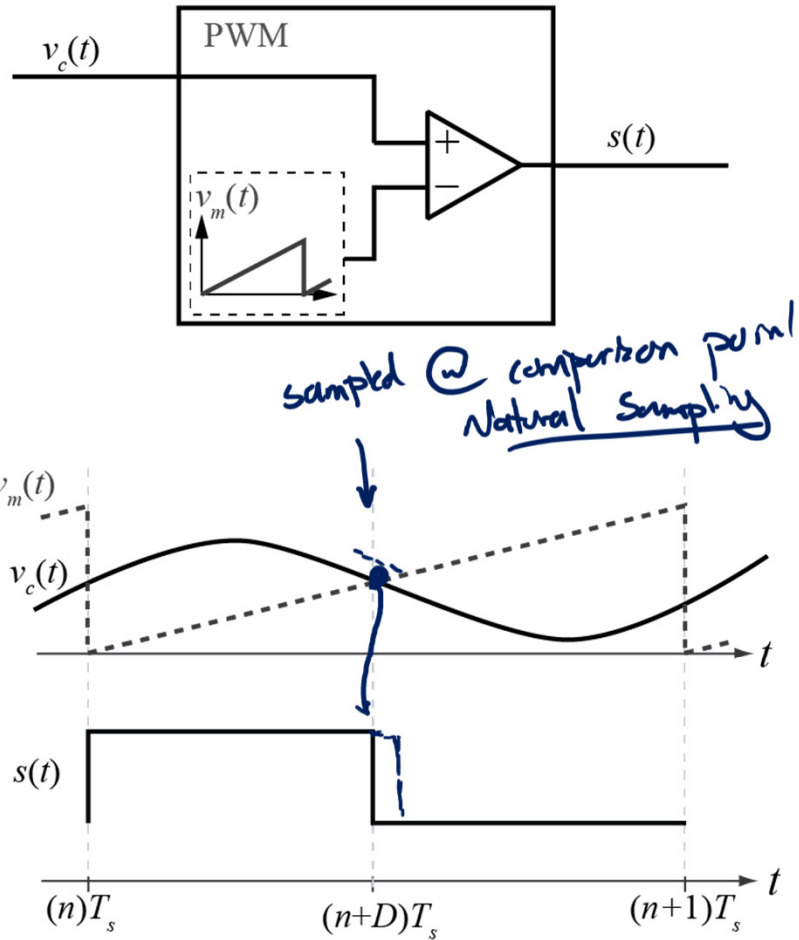
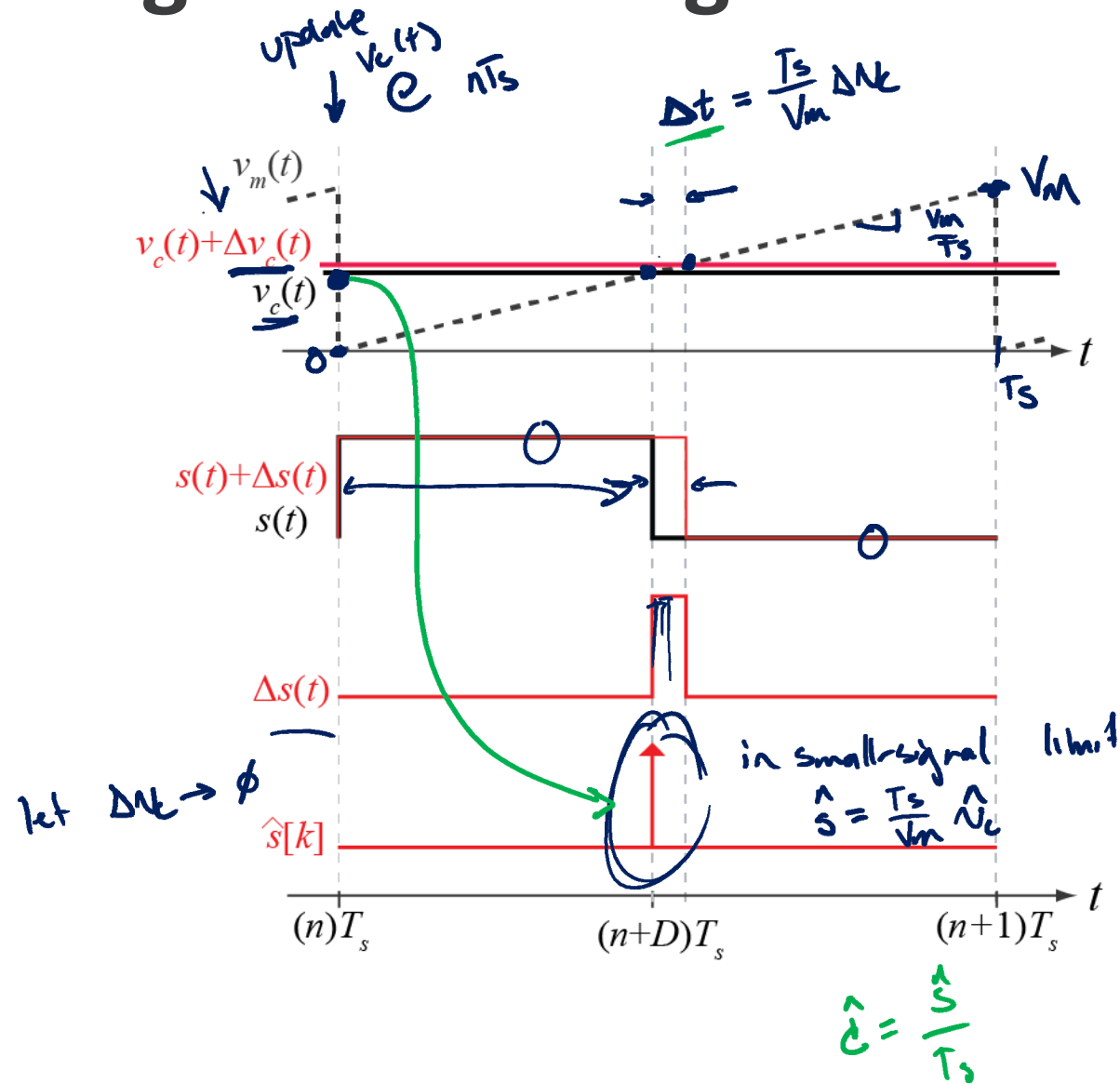


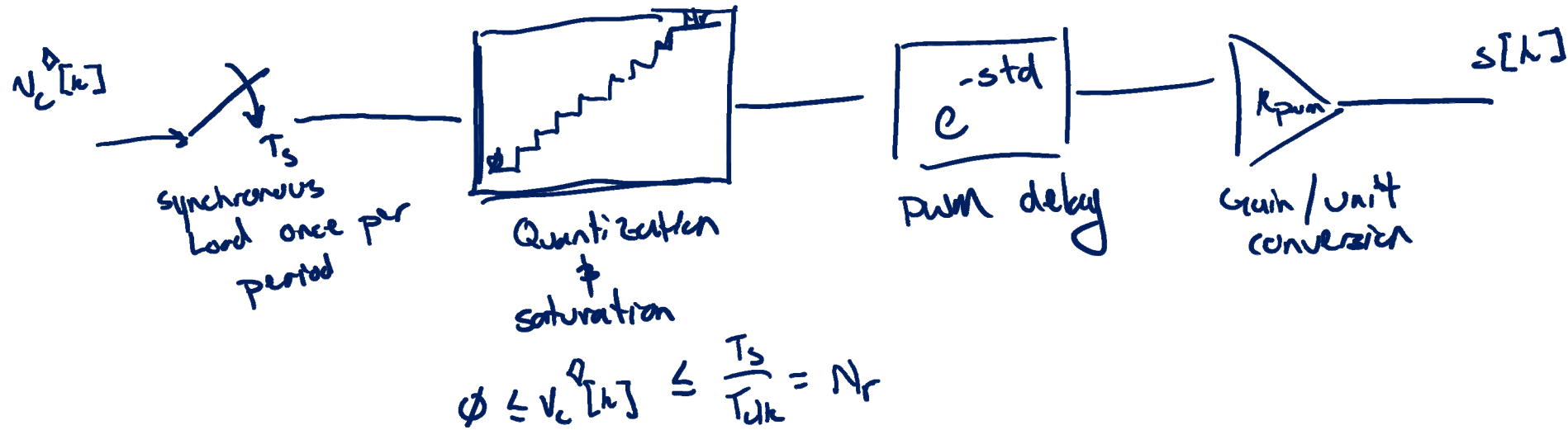
Sampling in Modulators



PWM Small Signal Modeling



PWM Model



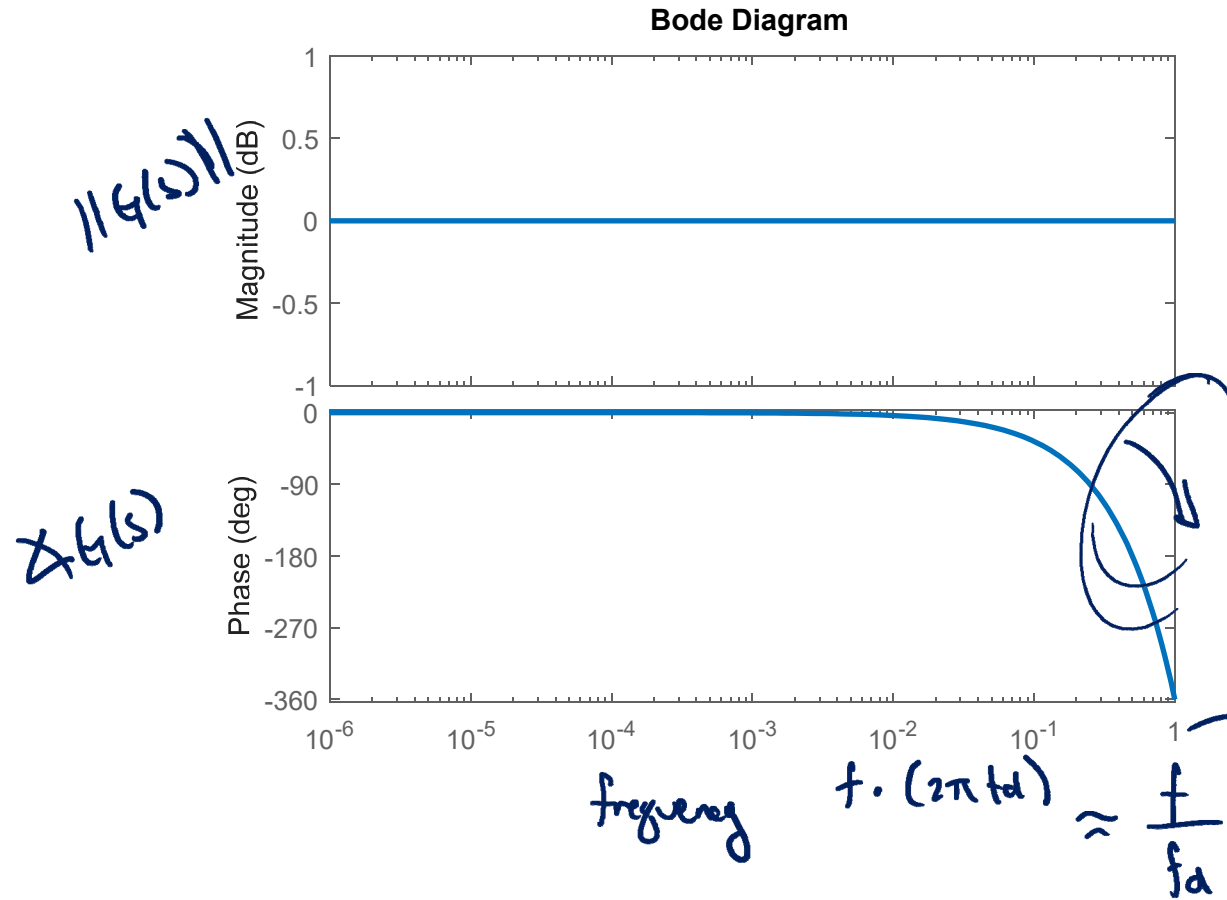
$t_d \rightarrow$ depends on implementation

DPWM Implementations

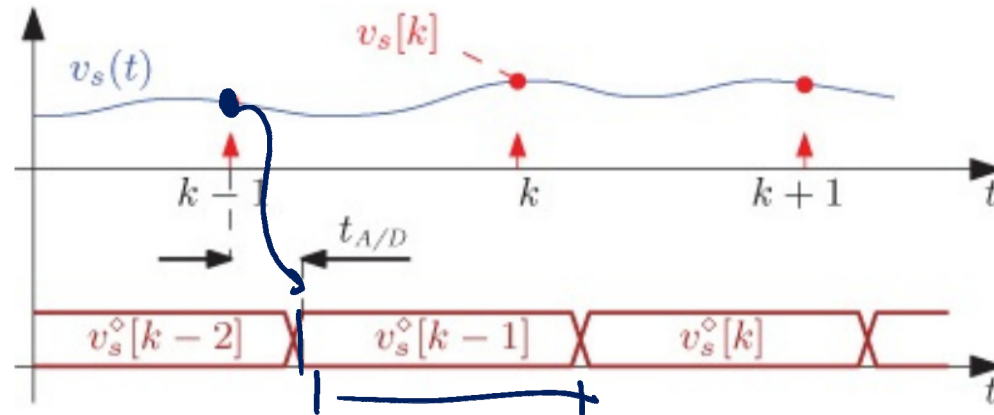
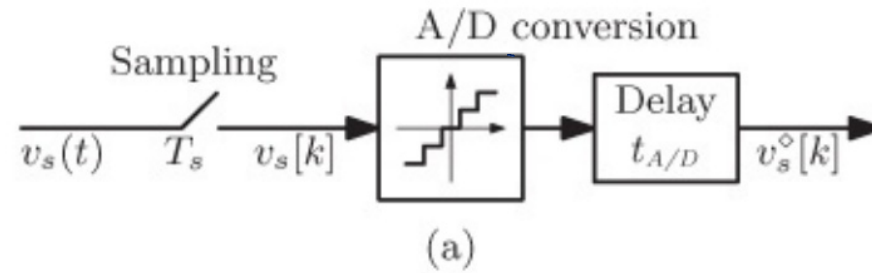
Modulation Type	Frequency Response
<p>Trailing-edge</p>	<p>$t_d = D T_s$</p> $G_{PWM,TE}(j\omega) = \frac{e^{-j\omega D T_s}}{N_r}$
<p>Leading-edge</p>	<p>$t_d = (1-D) T_s$</p> $G_{PWM,LE}(j\omega) = \frac{e^{-j\omega(1-D) T_s}}{N_r}$
<p>Symmetrical / dual-edge</p>	<p>$t_d \approx \frac{T_s}{2}$</p> $G_{PWM,Sym}(j\omega) = \frac{\cos(\omega D T_s / 2)}{N_r} e^{-j\omega \frac{T_s}{2}}$ $\approx \frac{e^{-j\omega \frac{T_s}{2}}}{N_r}$

Delay Transfer Function

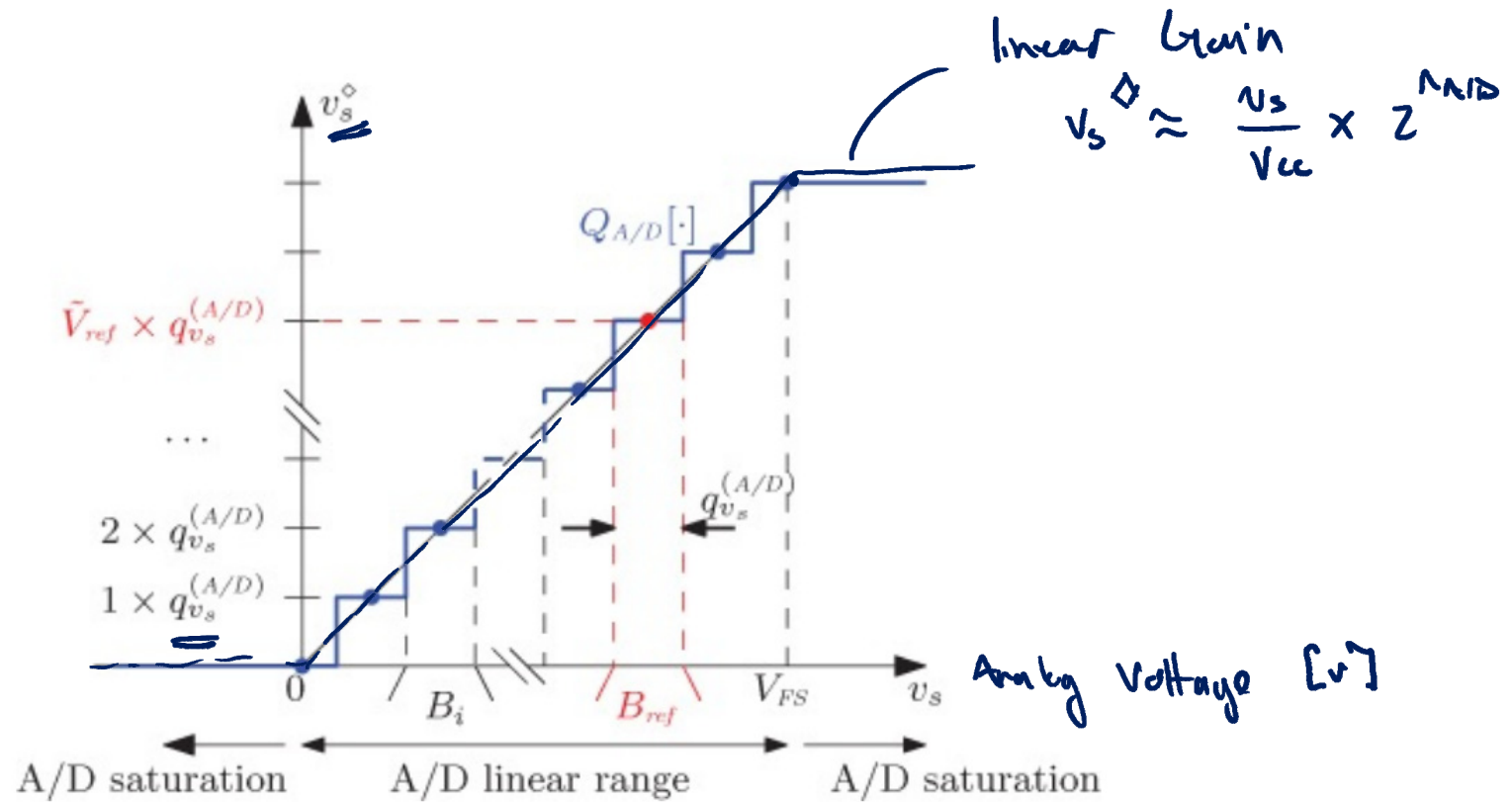
$$G(s) = \underline{\underline{e^{-s t_d}}}$$



ADC Modeling



ADC Quantization



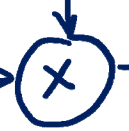
$$q_{v_s} = \frac{V_{CC}}{2^{N_{A/D}}}$$

$N_{A/D}$ = # of bits in ADC

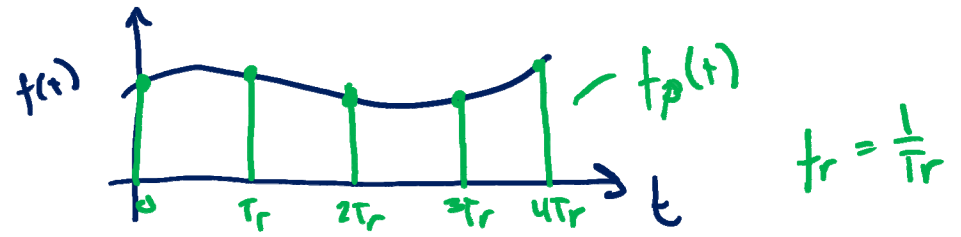
Aliasing Review

$$\sum_{k=-\infty}^{\infty} \delta(t - kT_r) = \delta_T(t)$$

$f(t)$



$$f_p(t) = f(t) \times \delta_T(t) = \sum_{k=-\infty}^{\infty} f(kT_r) \delta(t - kT_r)$$



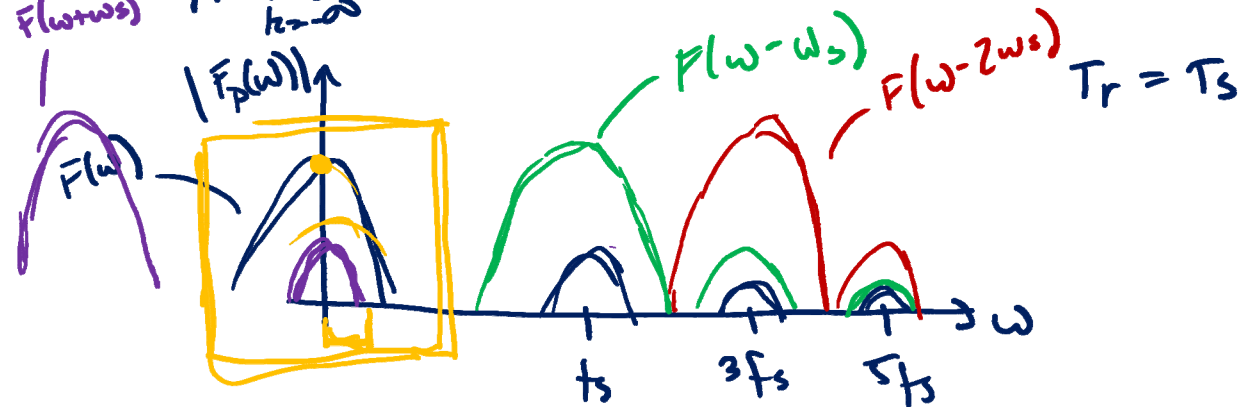
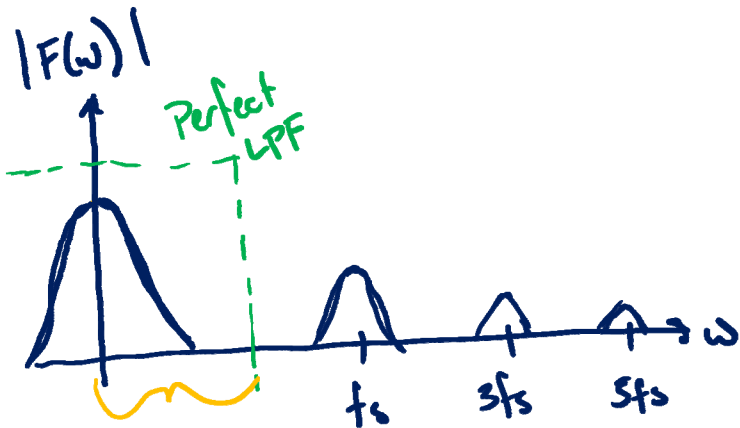
Fourier Transform:

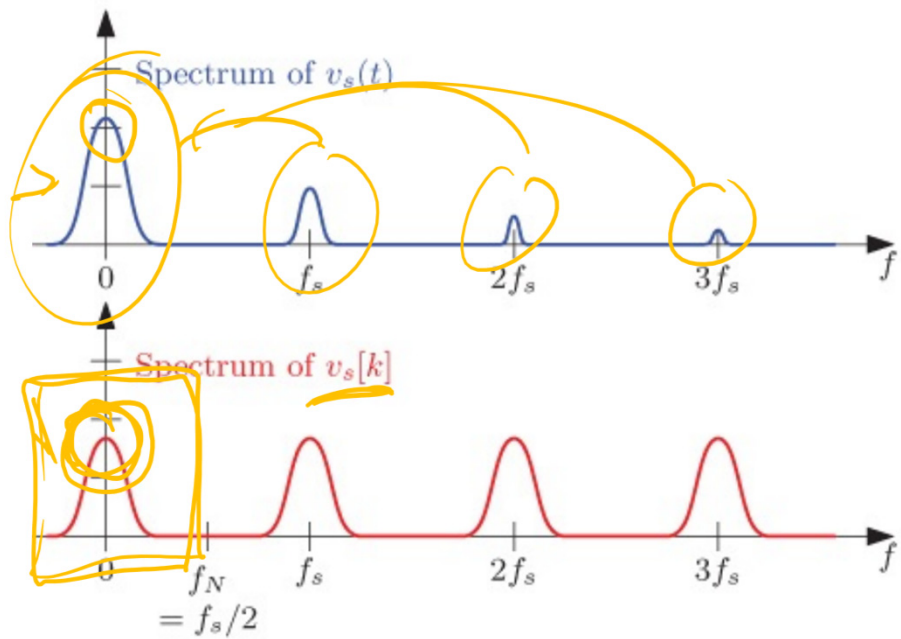
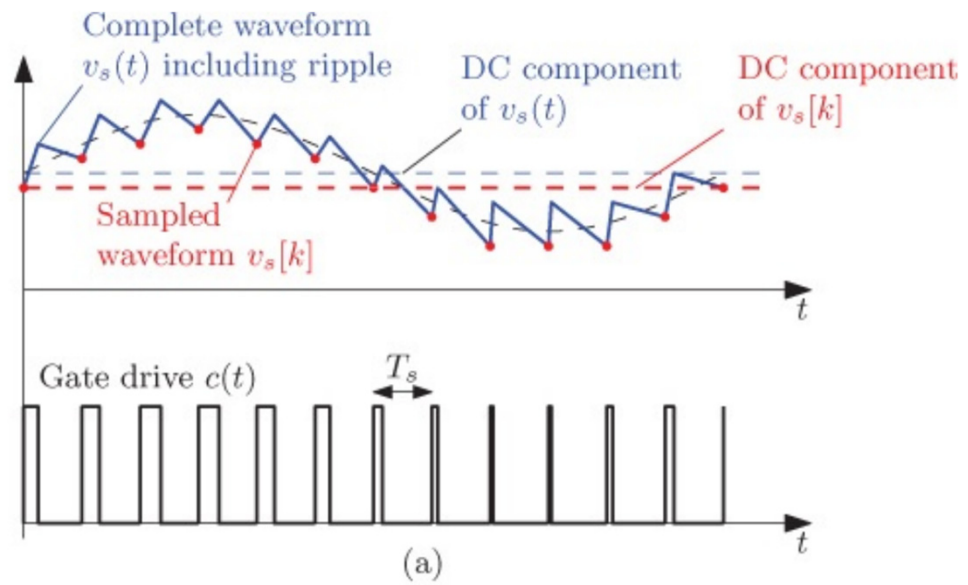
$$\mathcal{F}[\delta_T(t)] = \omega_r \sum_{k=-\infty}^{\infty} \delta(\omega - k\omega_r)$$

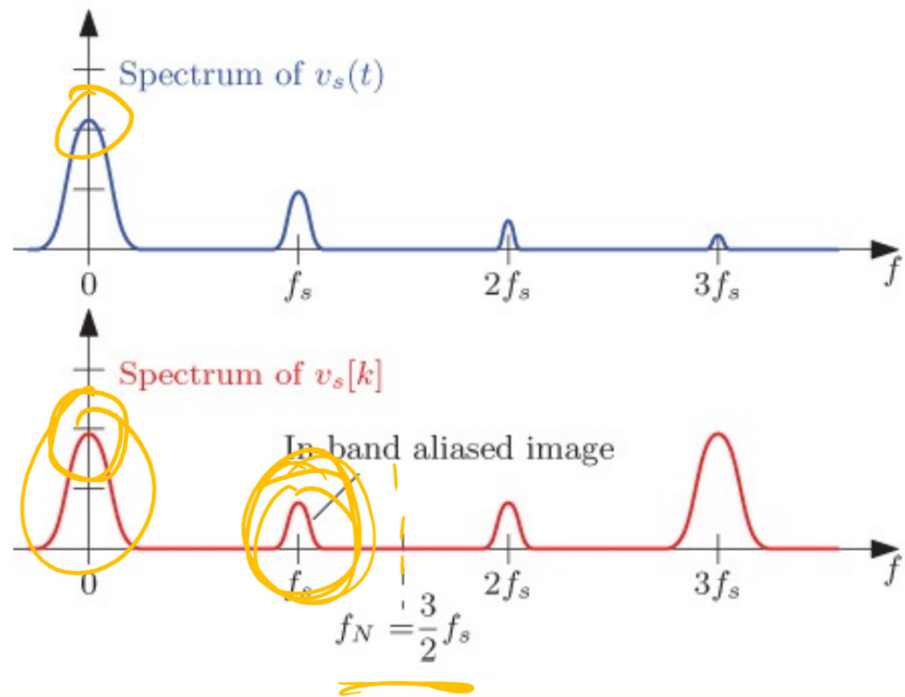
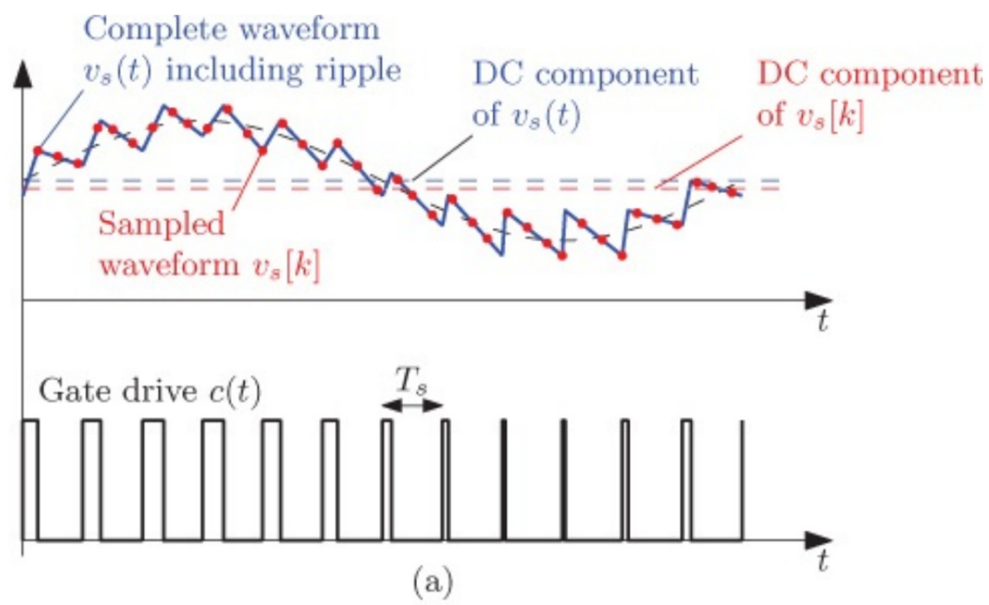
$$\mathcal{F}[f_p(t)] = \frac{1}{2\pi} \mathcal{F}[f(t)] * \mathcal{F}[\delta_T(t)]$$

$$\mathcal{F}[f(t)] = F(\omega)$$

$$= \omega_r \sum_{k=-\infty}^{\infty} F(\omega - k\omega_r)$$







DC Aliasing

