

# Announcements

- Homework solutions moved to “Pages” section of Canvas
- Homework Scanning – Check Quality
- Experiment 1 posted

# Schedule

L12 - Feb. 19

Phasor Analysis Examples  
LTSpice and MATLAB Phasor Analysis



L15 - Feb. 26

Maximum Power Transfer  
Impedance Matching *Sections 11.3 & 11.6*

L18 - Mar. 4

Mar. 11

Spring Break

L21 - Mar. 18

L13 - Feb. 21

Phasor Power: Average and RMS  
*Sections 11.1-11.2*

L16 - Feb. 28

Quiz 2: Phasor Circuit Analysis

L19 - Mar. 6

Midterm Exam 1

Mar. 13

Spring Break

L22 - Mar. 20

L14 - Feb. 23

Phasor Power  
Complex, Reactive, and Apparent Power  
Power Factor  
*Sections 11.3-11.5*

Homework 4 Due  
*Complete Experiment 1 Prelab*

L17 - Mar. 1

Homework 5 Due  
*Experiment 1 Due*

L20 - Mar. 8

*Complete Experiment 2 Prelab*

Mar. 15

Spring Break

L23 - Mar. 22

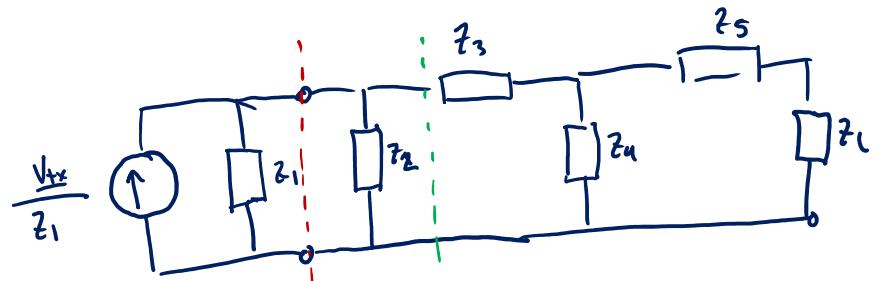
Homework 6 Due  
*Experiment 2 Due*

# Experiment 1

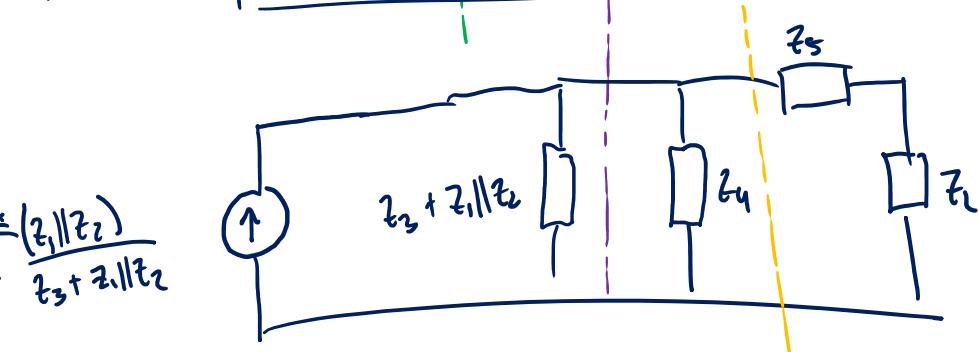
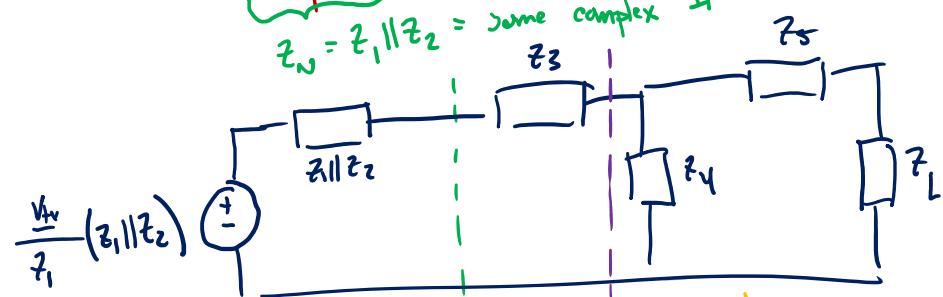
- Prelabs: Individual Submissions
- Experiment Report: Group Submission
- Equipment Requirements (per *group*)
  - Purchase from MK108 (VolCard only)
    - ECE 201/202 parts kit (\$31.20+)
    - ECE 202 supplement (\$9)
  - Analog Discovery Studio
    - or*
    - Test in MK333

# Upcoming In-Class Assignments

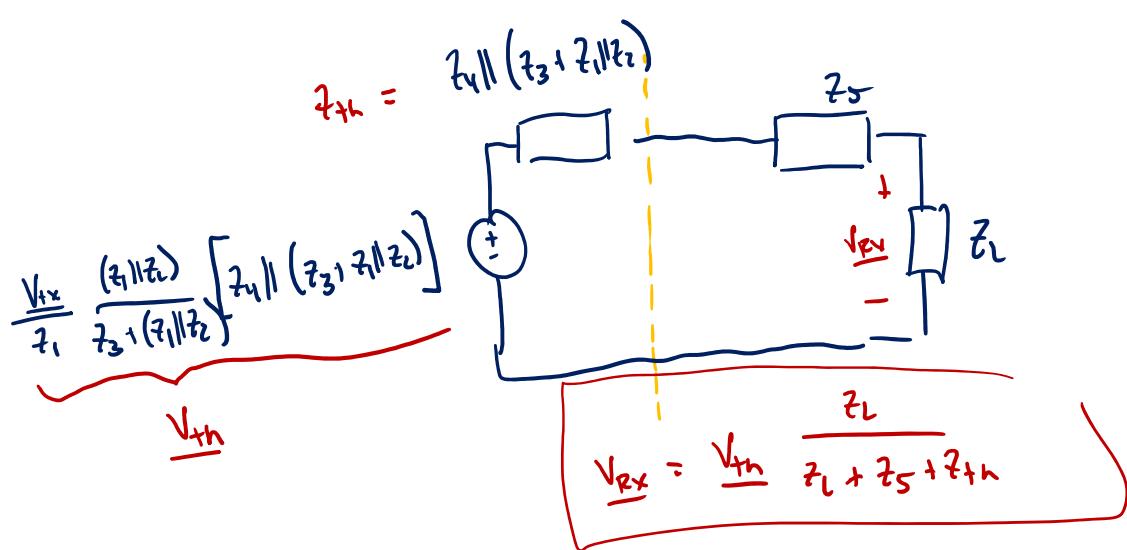
- Quiz 2
  - Phasor Circuit Analysis
    - Chapter 10
    - Homeworks 3 & 4
    - Lectures 7-12



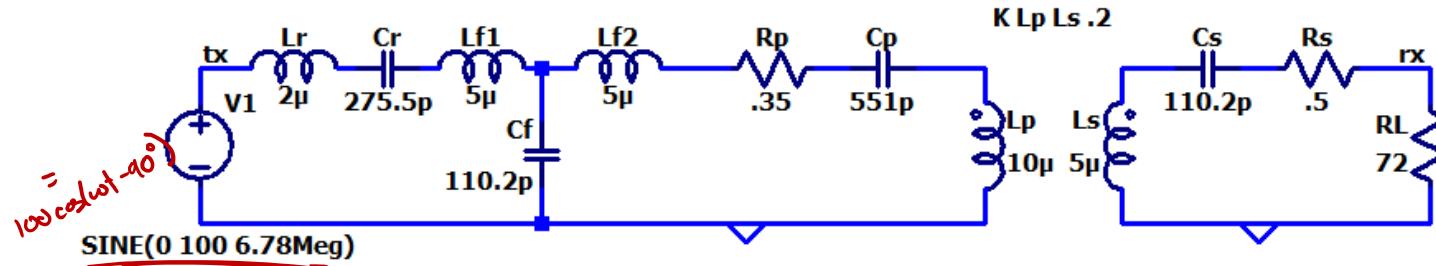
$$Z_N = Z_1 \parallel Z_2 = \text{same complex } \#$$



$$\frac{V_{in}}{Z_1} \left( Z_1 \parallel Z_2 \right)$$



# Numerical Example



MATLAB Code:

```
f = 6.78e6; % Sinusoidal frequency [Hz]
w = 2*pi*f; % Sinusoidal frequency [rad/sec]
VTX = 100*exp(-li*pi/2); % Transmitter Voltage Phasor

Lr = 2e-6;
Cr = 1/w^2/Lr;

Lf1 = 5e-6;
Lf2 = Lf1;
Cf = 1/w^2/Lf1;

Rp = .35;
Lp = 10e-6;
Cp = 1/w^2/Lp;

k = .2;
M = k*sqrt(Lp*Ls);

Ls = 5e-6;
Cs = 1/w^2/Ls;
Rs = .5;

RL = 72;
```

```
Z1 = 1j*(w*Lr + w*Lf1 - 1/w/Cr);
Z2 = -1j/w/Cf;
Z3 = Rp + 1j*(w*Lf2 - 1/w/Cp) + 1j*w*(Lp-M);
Z4 = 1j*w*M;
Z5 = Rs + 1j*w*(Ls-M) -1j/w/Cs;
ZL = RL;

Za = 1/(1/Z4 + 1/(Z3 + (Z1*Z2/(Z1+Z2)))); % Z4 || (Z3 + Z1||Z2)
Va = VTX/Z1 * (Z1*Z2/(Z1+Z2)) / (Z3 + (Z1*Z2/(Z1+Z2))) * Za;

VRX = Va*(RL/(RL+Z5+Za))

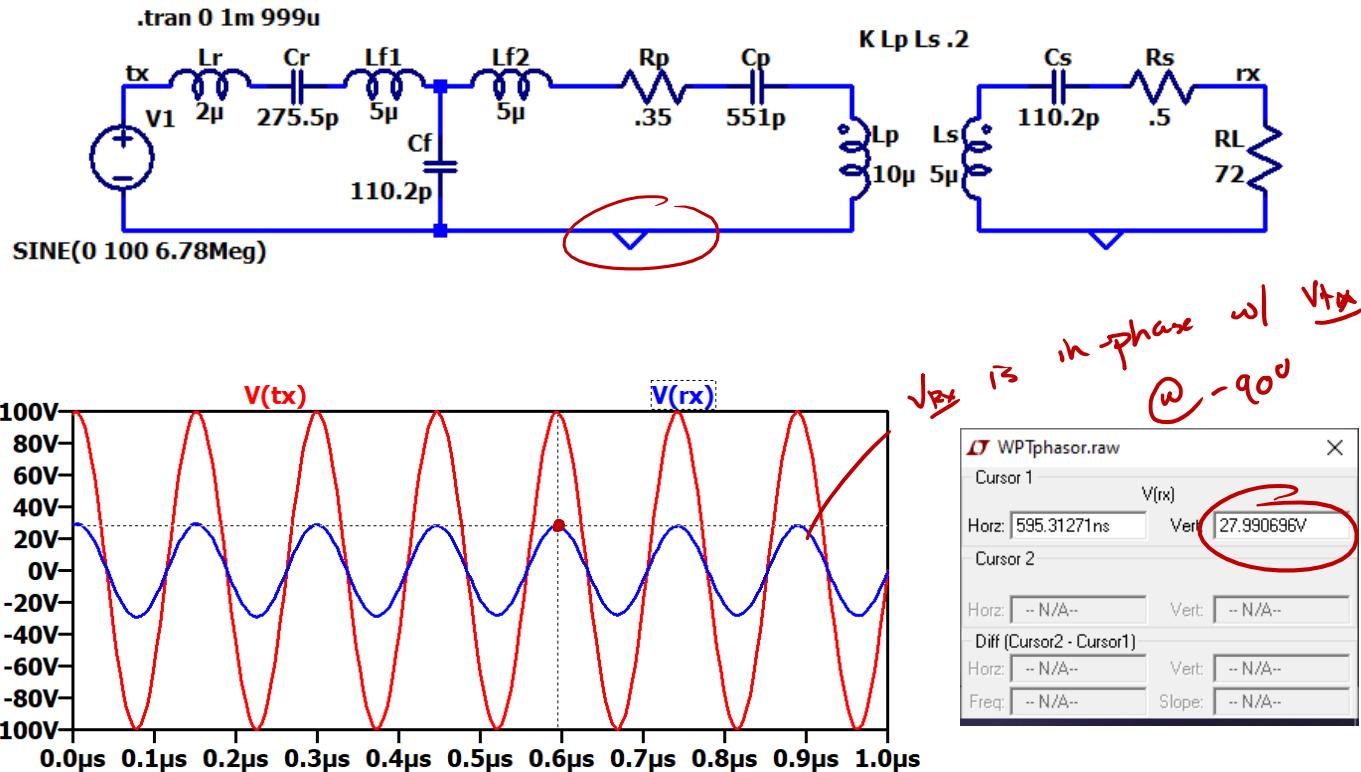
mag = abs(VRX)
phase = angle(VRX)/pi*180
```

mag =  
28.0892

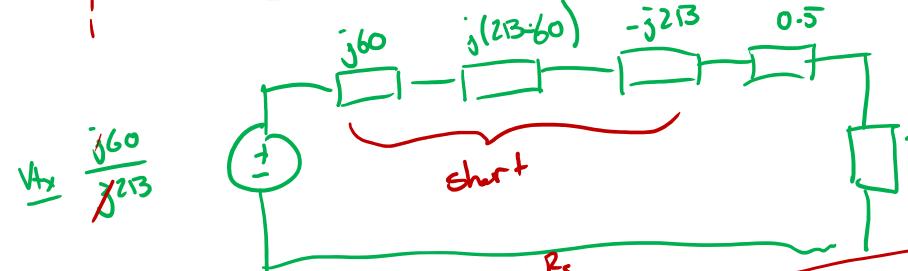
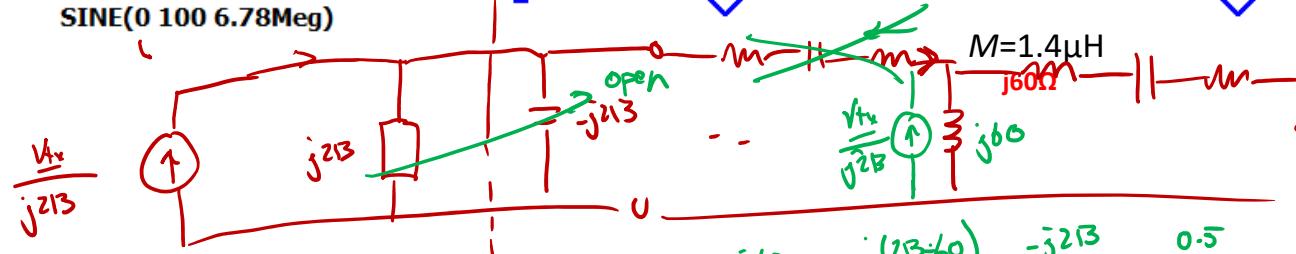
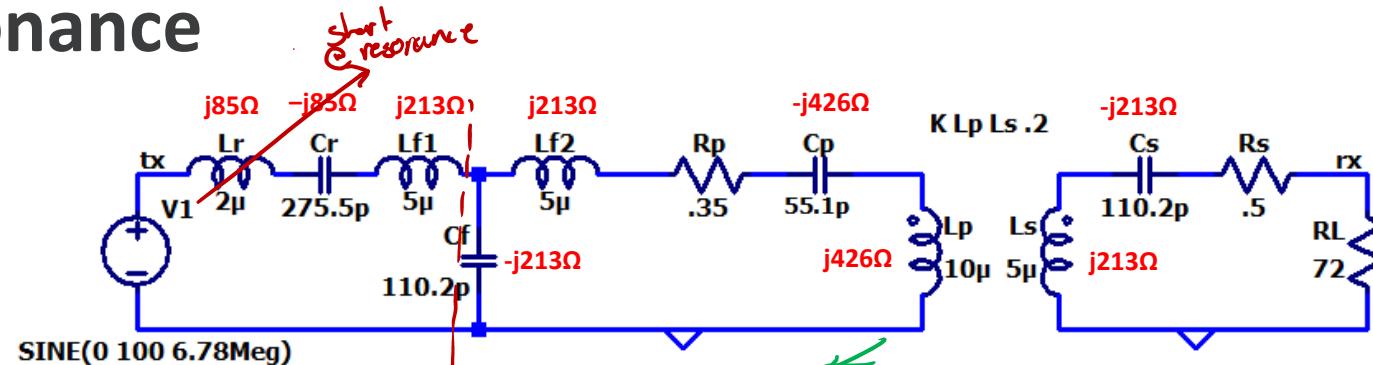
phase =  
-90.0000



# Circuit Simulation



# Resonance

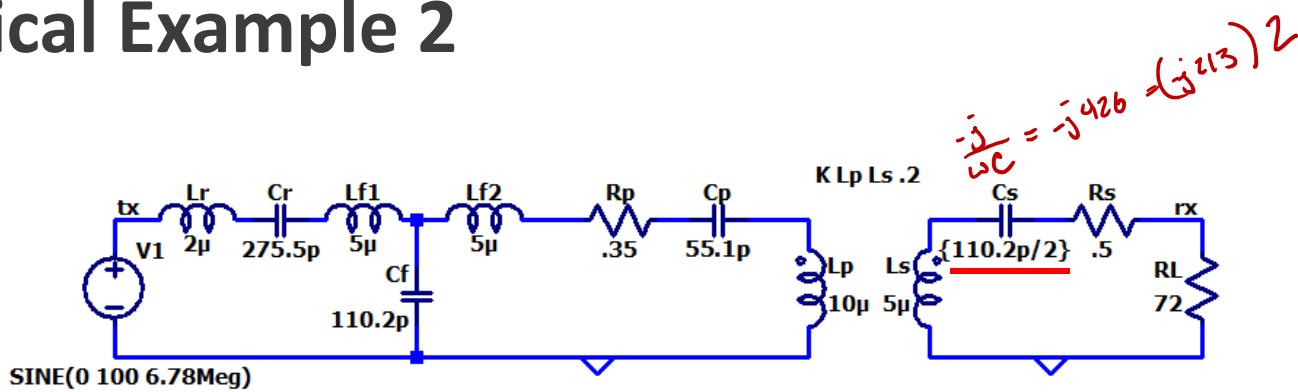


$$V_{tx} = \frac{60}{2B} \left( \frac{R_s}{R_s + R_L} \right) V_{Rx}$$

$$V_{Rx} = V_{tx} \frac{60}{2B} \frac{R_L}{R_s + R_L}$$

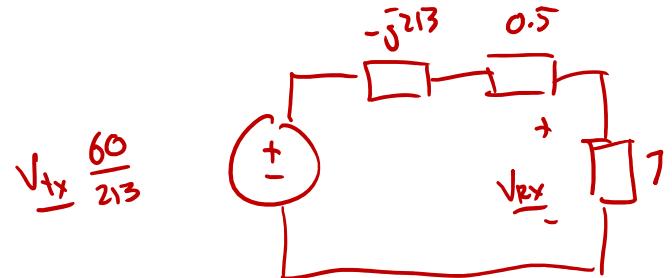


# Numerical Example 2



MATLAB Result:

mag =  
9.06  
phase =  
-18.7973



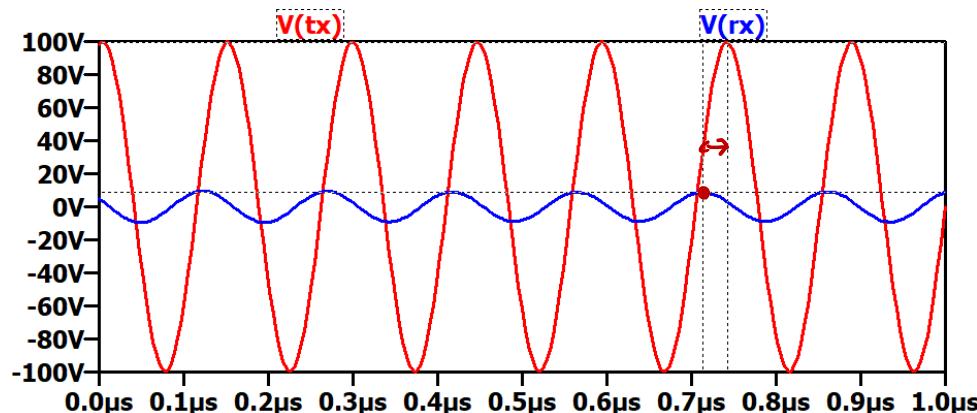
$$V_{rx} = \frac{60}{2\sqrt{3}} \cdot \frac{72}{72 + 0.5 - j2\sqrt{3}}$$

# Circuit Simulation 2

$$\frac{t_{\max,rx} - t_{\max,tx}}{T} = \frac{\varphi_{rx} - \varphi_{tx}}{2\pi} = \frac{\theta_{rx} - \theta_{tx}}{360^\circ}$$

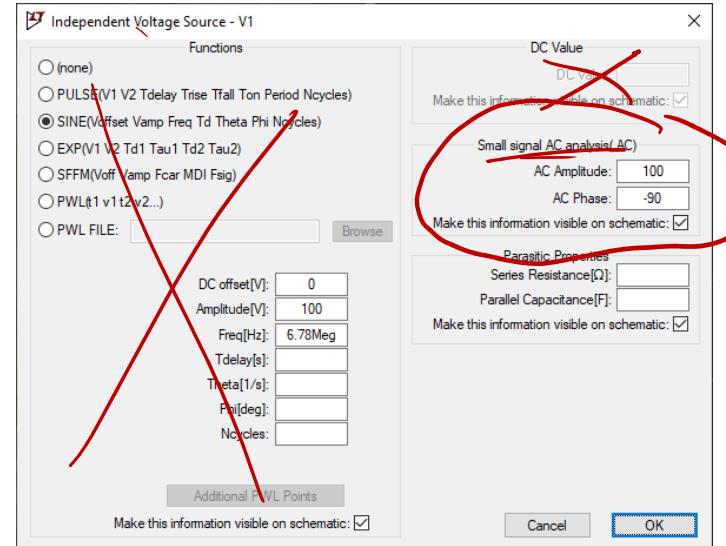
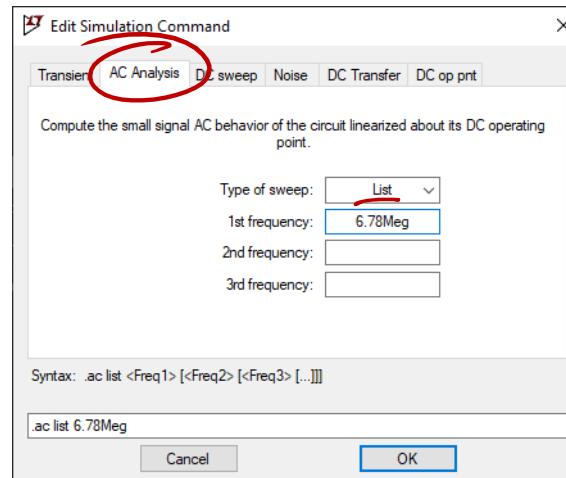
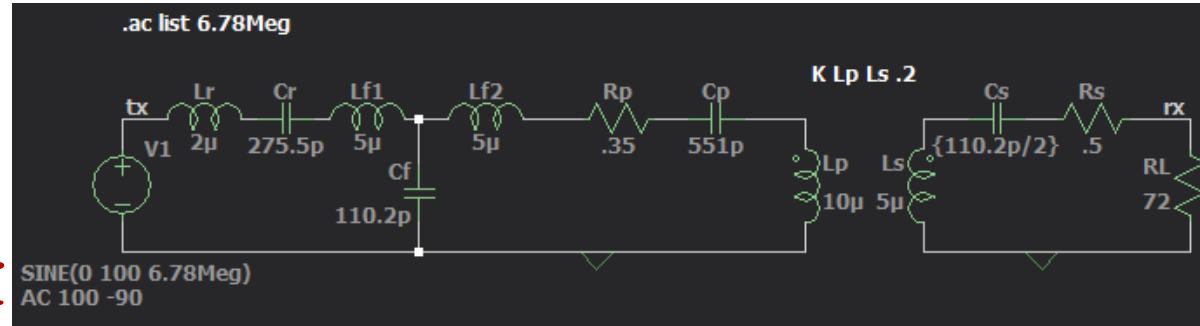
phases in rad  
phases in degrees

$$T = \text{period} = \frac{1}{6.78 \text{MHz}}$$



| WPTphasor.raw          |              |
|------------------------|--------------|
| Cursor 1               | V(tx)        |
| Horz:                  | 742.80534ns  |
| Vert:                  | 99.533096V   |
| Cursor 2               | V(rx)        |
| Horz:                  | 712.84545ns  |
| Vert:                  | 8.8561679V   |
| Diff (Cursor2-Cursor1) |              |
| Horz:                  | -29.959884ns |
| Vert:                  | -90.676929V  |
| Freq:                  | 33.377966MHz |
| Slope:                 | 3.02661e+009 |

# AC Analysis

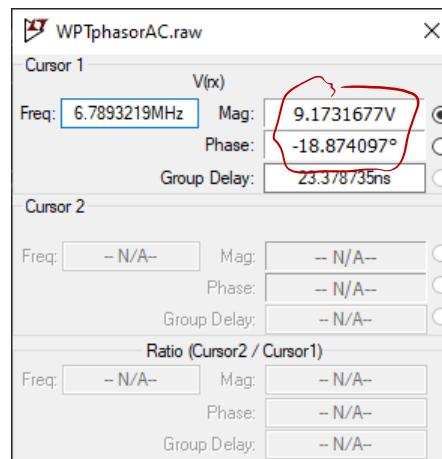
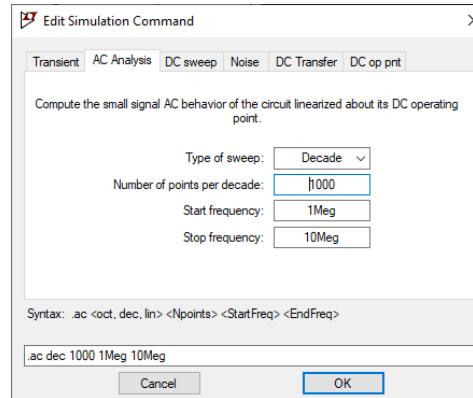
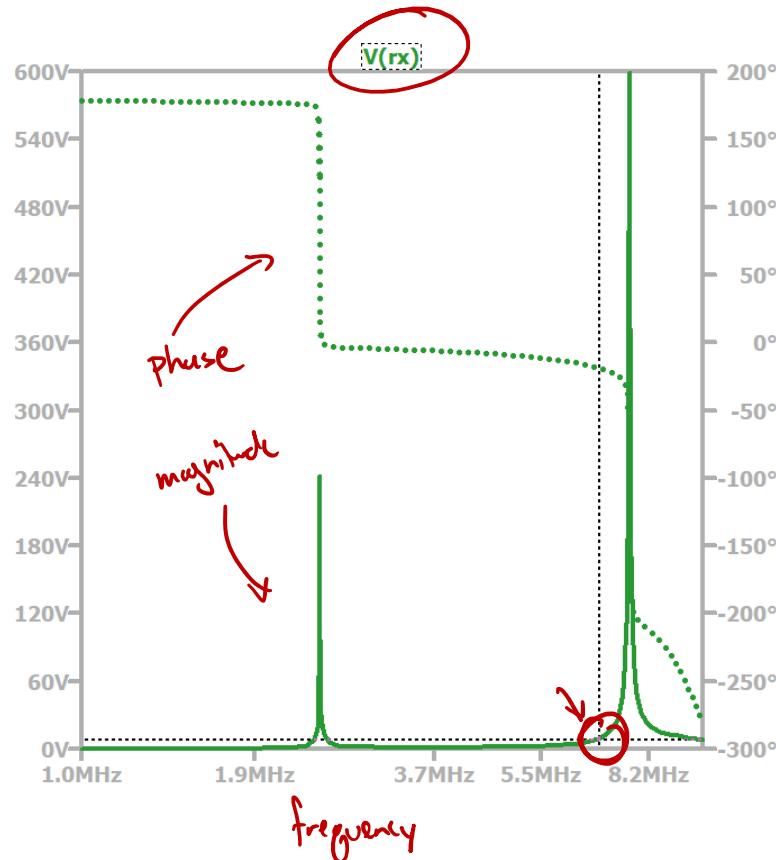


# AC Simulation Results (Single Point)



| --- AC Analysis --- |               |                      |                |
|---------------------|---------------|----------------------|----------------|
| frequency:          | 6.78e+006     | Hz                   |                |
| V(tx):              | mag: 100      | phase: -90°          | voltage        |
| V(n001):            | mag: 174.844  | phase: -90.3419°     | voltage        |
| V(n002):            | mag: 99.9949  | phase: -90.0005°     | voltage        |
| V(n003):            | mag: 287.109  | phase: -90.5205°     | voltage        |
| V(n004):            | mag: 187.14   | phase: -90.798°      | voltage        |
| V(n006):            | mag: 207.132  | phase: -90.6756°     | voltage        |
| V(n007):            | mag: 54.3051  | phase: -99.138°      | voltage        |
| V(n005):            | mag: 187.137  | phase: -90.7477°     | voltage        |
| V(n008):            | mag: 9.11047  | phase: -18.7958°     | voltage        |
| V(rx):              | mag: 0.04764  | phase: -18.7958°     | voltage        |
| I(Cs):              | mag: 0.125662 | phase: -18.7958°     | device_current |
| I(Cp):              | mag: 0.469369 | phase: 179.999°      | device_current |
| I(Cf):              | mag: 1.34784  | phase: 179.48°       | device_current |
| I(Cr):              | mag: 0.878499 | phase: 179.202°      | device_current |
| I(Ls):              | mag: 0.125662 | phase: -18.7958°     | device_current |
| I(Lp):              | mag: 0.469369 | phase: -0.000865793° | device_current |
| I(Lf2):             | mag: 0.469369 | phase: 179.999°      | device_current |
| I(Lf1):             | mag: 0.878499 | phase: -0.798129°    | device_current |
| I(Lr):              | mag: 0.878499 | phase: -0.798129°    | device_current |
| I(Rp):              | mag: 0.469369 | phase: -0.000865793° | device_current |
| I(RL):              | mag: 0.125662 | phase: 161.204°      | device_current |
| I(Rs):              | mag: 0.125662 | phase: 161.204°      | device_current |
| I(V1):              | mag: 0.878499 | phase: 179.202°      | device_current |

# Frequency Sweep



# Form of the solution

$$\sum_{i=0}^N b_i \frac{d^i}{dt^i} v_o(t) = \sum_{i=0}^M a_i \frac{d^i}{dt^i} v_i(t)$$

In phasor domain  $\frac{d}{dt} \rightarrow (j\omega)$

$$\sum_{i=0}^N b_i (j\omega)^i \underline{v}_o = \sum_{i=0}^M a_i (j\omega)^i \underline{v}_i$$

$$\underline{v}_o = \underline{v}_i \left( \frac{\sum_{i=0}^M a_i (j\omega)^i}{\sum_{i=0}^N b_i (j\omega)^i} \right)$$

$\uparrow$   
 $H(\omega)$