## COSC 311/317 — Fall 2014 Homework 4 - Due Sept. 19

1. What are Polya's steps in problem solving? Name them and describe each in a sentence or two.

For each of the following, you are to prove the theorem, but show how you have developed your proof by the naming the methods (ForwardBackward, Construction, Choose, Specialization) ${ }^{1}$ that you are using and labeling the steps $\mathrm{A} 1, \mathrm{~A} 2, \ldots, \mathrm{~B} 1, \mathrm{~B} 2, \ldots$ as we have done in class. You will not receive full credit if you do not identify the methods and label the steps!
2. The equation $x^{2}-5 x / 2+3 / 2=0$ has a real solution.
3. If $a, b$, and $c$ are real numbers with $a \geq 0$, then the function $f(x)=a x^{2}+b x+c$ satisfies the property that for all real numbers $x$ and $y, f(x) \geq f(y)+(2 a y+b)(x-y)$.

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[^0]:    ${ }^{1}$ For a review, see the file "Summary of proof techniques from Solow" on the course website.

