

Power MOSFET: Conclusions

- · A majority-carrier device: fast switching speed
- Typical switching frequencies: tens and hundreds of kHz
- · On-resistance increases rapidly with rated blocking voltage
- Easy to drive
- The device of choice for blocking voltages less than 500V
- 1000V devices are available, but are useful only at low power levels (100W)
- Part number is selected on the basis of on-resistance rather than current rating

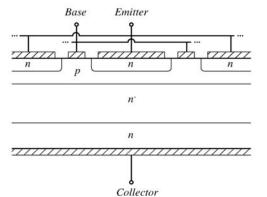
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Chapter 4: Switch realization



Bipolar Junction Transistor



- · Interdigitated base and emitter contacts
- · Vertical current flow
- npn device is shown
- minority carrier device
- · on-state: base-emitter and collector-base junctions are both forward-biased
- on-state: substantial minority charge in p and n regions, conductivity modulation

Chapter 4: Switch realization

BJT: Conclusions

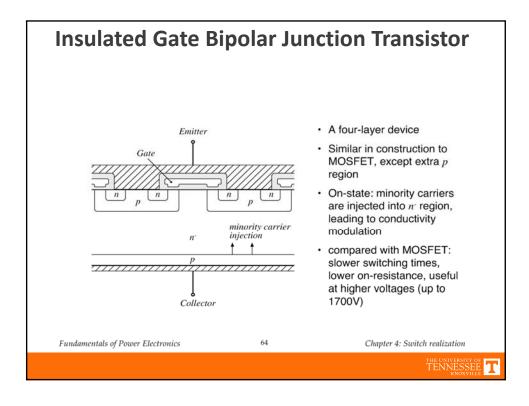
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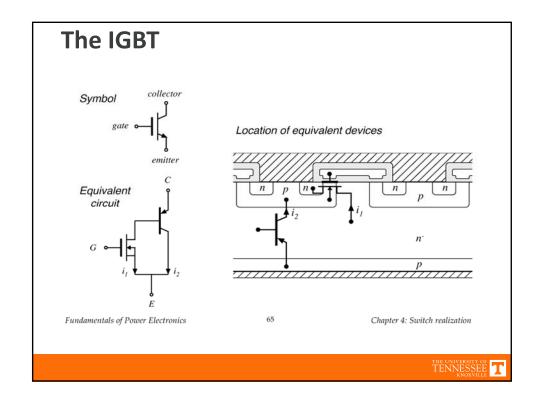
- BJT has been replaced by MOSFET in low-voltage (<500V) applications
- BJT is being replaced by IGBT in applications at voltages above
- A minority-carrier device: compared with MOSFET, the BJT exhibits slower switching, but lower on-resistance at high voltages

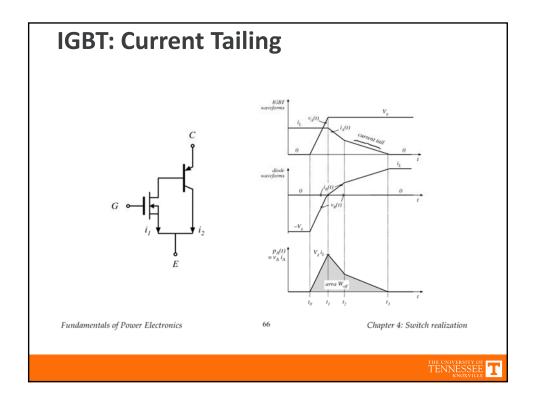
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Chapter 4: Switch realization









Conclusions: IGBT

- Becoming the device of choice in 500 to 1700V+ applications, at power levels of 1-1000kW
- Positive temperature coefficient at high current —easy to parallel and construct modules
- Forward voltage drop: diode in series with on-resistance. 2-4V typical
- Easy to drive -similar to MOSFET
- Slower than MOSFET, but faster than Darlington, GTO, SCR
- Typical switching frequencies: 3-30kHz
- IGBT technology is rapidly advancing:
 - 3300 V devices: HVIGBTs
 - 150 kHz switching frequencies in 600 V devices

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Chapter 4: Switch realization



Averaged Equivalent Circuit Model – Switching Loss

- The methods of Chapter 3 can be extended to include switching loss in the converter equivalent circuit model
 - · Include switching transitions in the converter waveforms
 - · Model effects of diode reverse recovery, etc.
- To obtain tractable results, the waveforms during the switching transitions must usually be approximated
- Things that can substantially change the results:
 - · Ringing caused by parasitic tank circuits
 - · Snubber circuits



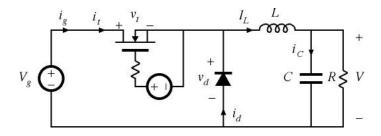
The Modeling Approach

- Sketch the converter waveforms
 - Including the switching transitions (idealizing assumptions are made to lead to tractable results)
 - In particular, sketch inductor voltage, capacitor current, and input current waveforms
- The usual steady-state relationships:
 - $\langle v_L \rangle = 0, \langle i_C \rangle = 0, \langle i_g \rangle = I_g$
- Use the resulting equations to construct an equivalent circuit model, as usual



Buck Converter Example

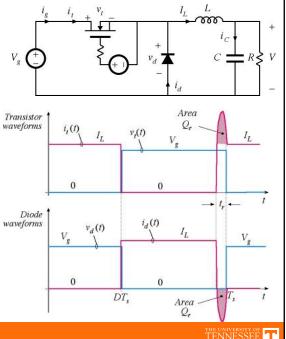
- Ideal MOSFET, p-n diode with reverse recovery
- Neglect semiconductor device capacitances, MOSFET switching times, etc.
- Neglect conduction losses
- Neglect ripple in inductor current and capacitor voltage



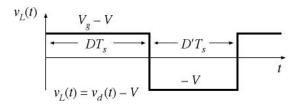
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Assumed waveforms

- Diode recovered charge Q_r reverse recovery time t_r
- These waveforms assume that the diode voltage changes at the end of the reverse recovery transient
 - a "snappy" diode
 - · Voltage of soft-recovery diodes changes sooner
 - Leads to a pessimistic estimate of induced switching loss



Inductor volt-second & Cap-Charge balance

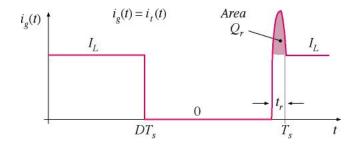


As usual: $\langle v_L \rangle = 0 = DV_g - V$

Also as usual: $\langle i_C \rangle = 0 = I_L - V/R$

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Average input current



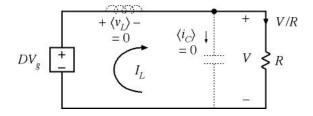
 $\langle i_g \rangle = I_g = (area\ under\ curve)/T_s$

$$= (DT_s I_L + t_r I_L + Q_r)/T_s$$

$$=DI_L + t_r I_L / T_s + Q_r / T_s$$

Construction of Equivalent Circuit Model

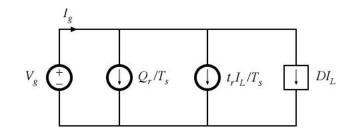
From inductor volt-second balance: $\langle\ v_L\ \rangle=0=DV_g-V$ From capacitor charge balance: $\langle\ i_C\ \rangle=0=I_L-V/R$



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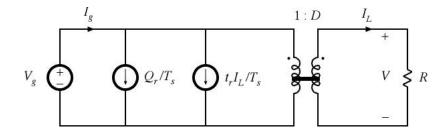
Input port of model

 $\langle i_g \rangle = I_g = DI_L + t_r I_L / T_s + Q_r / T_s$



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Combine for complete model



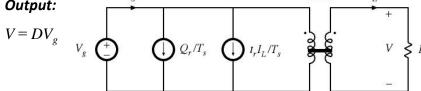
The two independent current sources consume power

$$V_g \left(t_r I_L / T_s + Q_r / T_s \right)$$

equal to the switching loss induced by diode reverse recovery

Solution of model

Output:



Efficiency: $\eta = P_{out}/P_{in}$

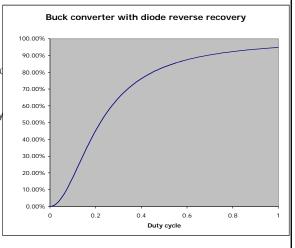
$$P_{out} = VI_L \qquad P_{in} = V_g \left(DI_L + t_r I_L / T_s + Q_r / T_s \right)$$

Combine and simplify:

$$\eta = 1 \, / \, [1 + f_s (t_r/D + Q_r R/D^2 V_g)]$$

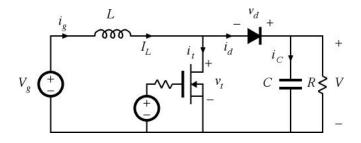
Predicted Efficiency vs Duty Cycle

- Switching frequency 100 kHz
- Input voltage 24 V
- Load resistance 15 Ω
- Recovered charge 0.75 μCoul
- Reverse recovery time 75 nsec
- (no attempt is made here to model he inductor current)
- Substantial degradation of efficiency
- Poor efficiency at low duty cycle

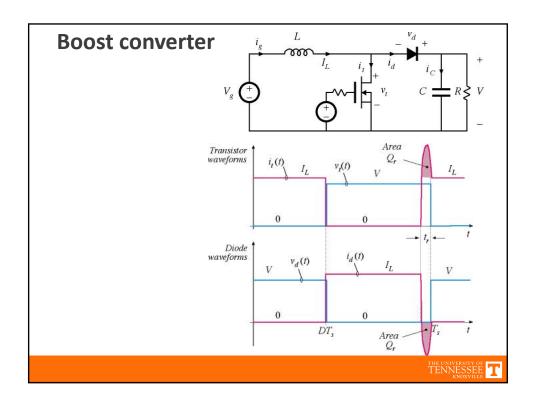


Boost Converter Example

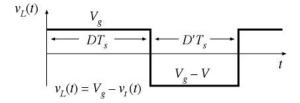
- Model same effects as in previous buck converter example:
- Ideal MOSFET, *p*–*n* diode with reverse recovery
- Neglect semiconductor device capacitances, MOSFET switching times, etc.
- Neglect conduction losses
- Neglect ripple in inductor current and capacitor voltage



TENNESSEE 1

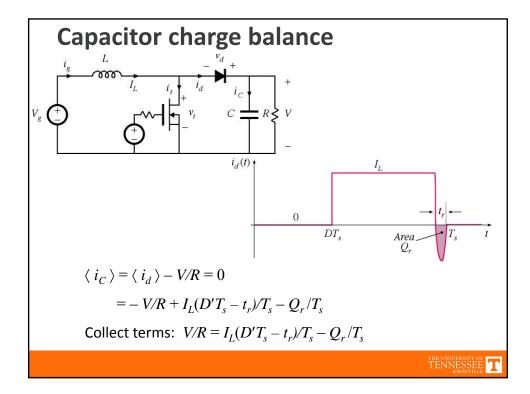


Inductor volt-second balance and average input current



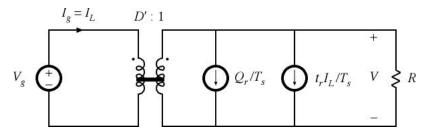
As usual: $\langle v_L \rangle = 0 = V_g - D'V$

Also as usual: $\langle i_g \rangle = I_L$





The result is:



The two independent current sources consume power

$$V\left(t_rI_L/T_s+Q_r/T_s\right)$$

equal to the switching loss induced by diode reverse recovery

Predicted M vs duty cycle

- Switching frequency 100 kHz
- Input voltage 24 V
- Load resistance 60 Ω
- Recovered charge 5 μCoul
- Reverse recovery time 100 nsec
- Inductor resistance $R_L = 0.3 \Omega$
- (inductor resistance also inserted into averaged model here)

