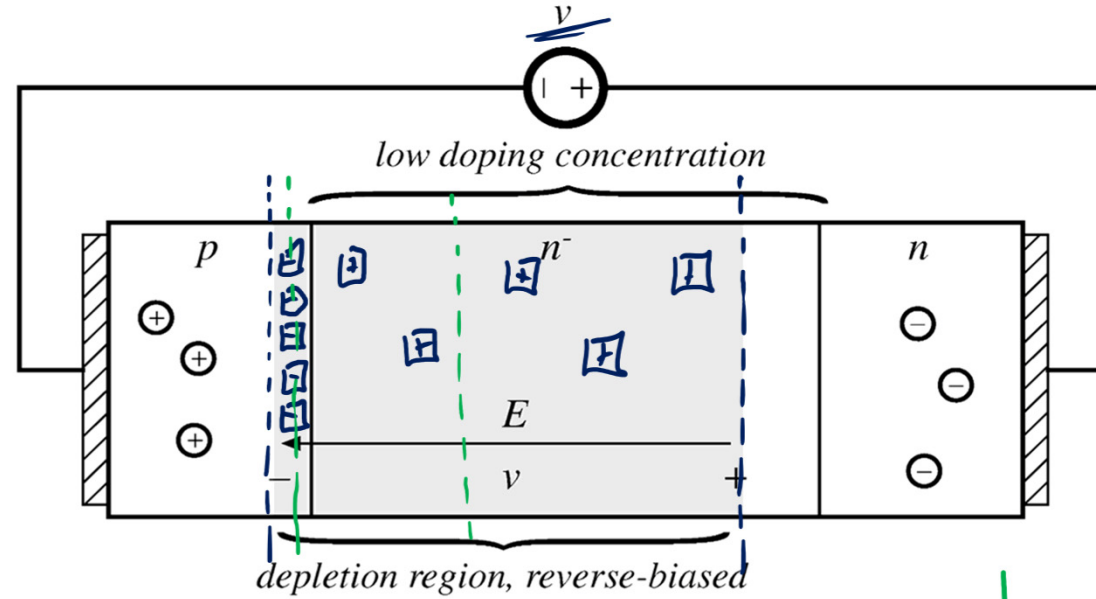
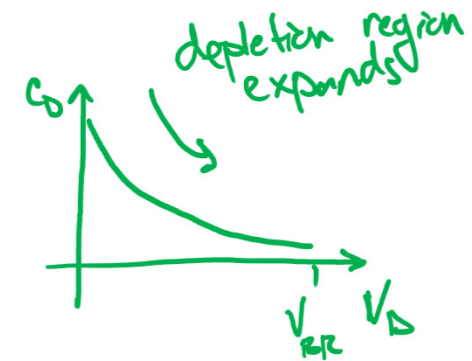
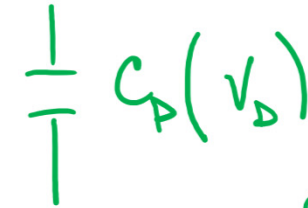


# Reverse Biased Diode



↳ looks like



# Diode Stored Charge

The diode equation:

$$q(t) = Q_0(e^{\lambda v(t)} - 1)$$

Charge control equation:

$$\frac{dq(t)}{dt} = i(t) - \frac{q(t)}{\tau_L}$$

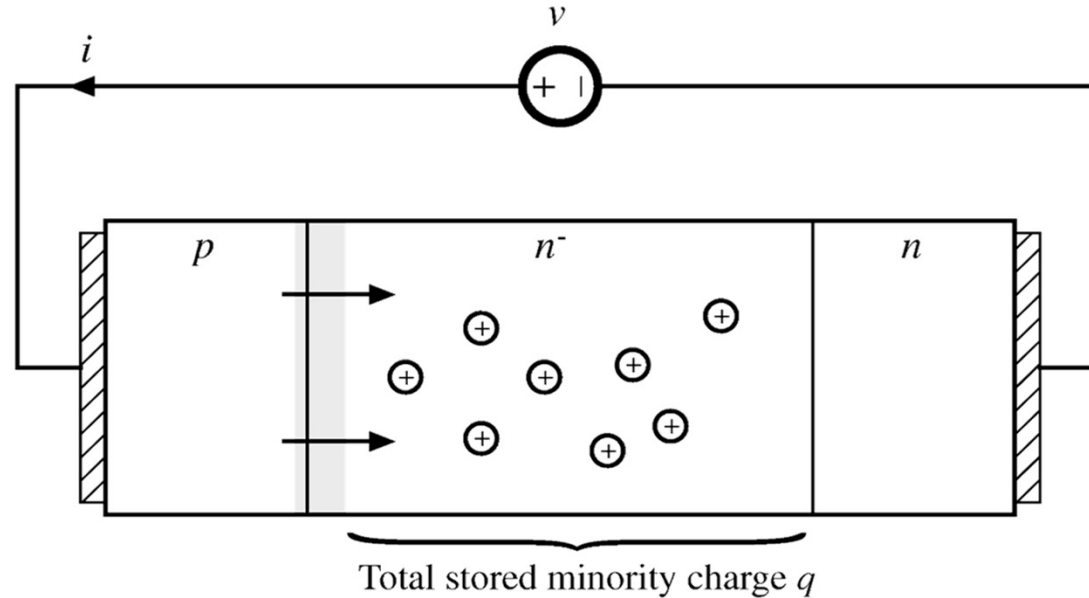
With:

$\lambda = 1/(26 \text{ mV})$  at 300 K

$\tau_L =$  minority carrier lifetime ≈ ms

(above equations don't include current that charges depletion region capacitance)

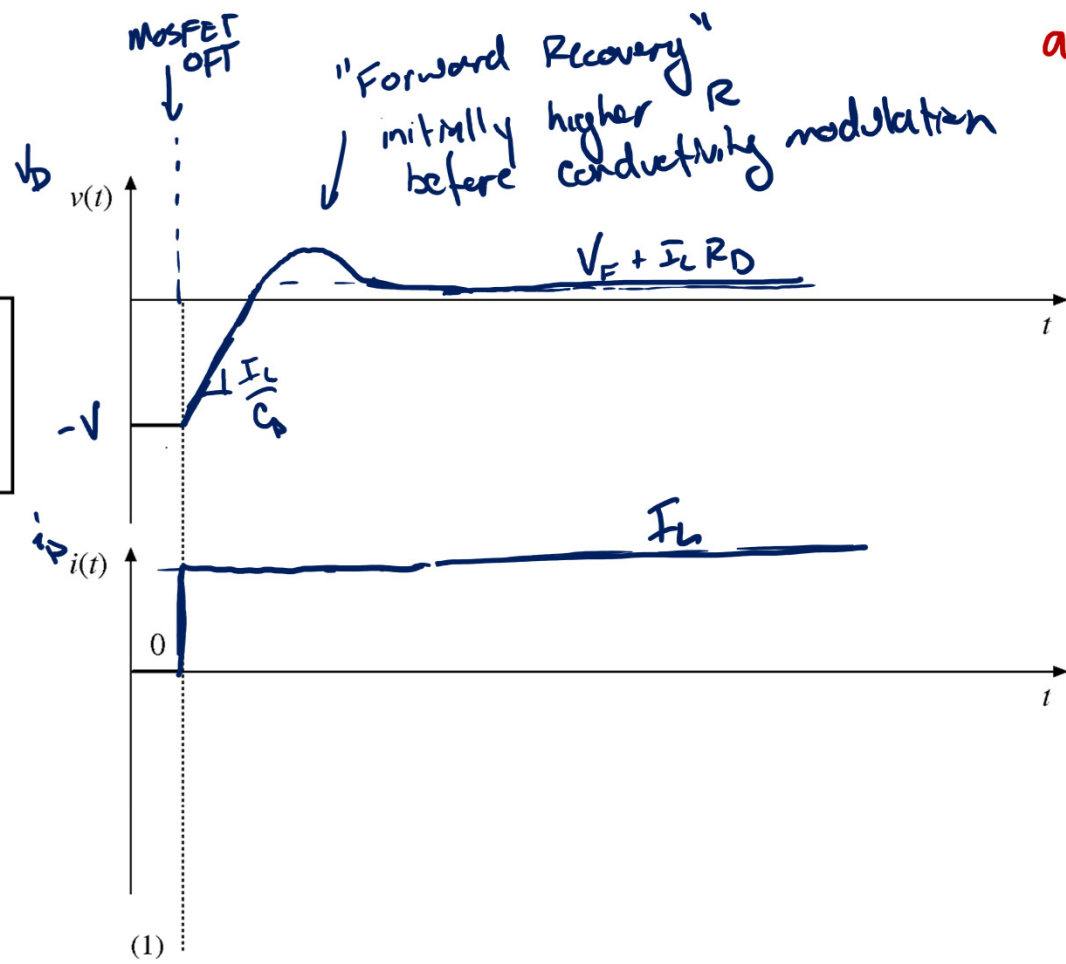
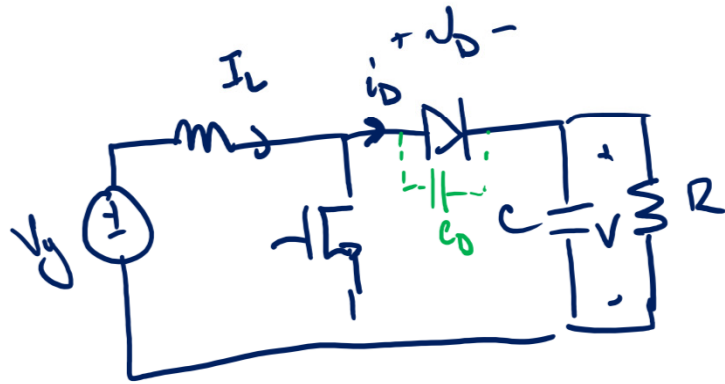
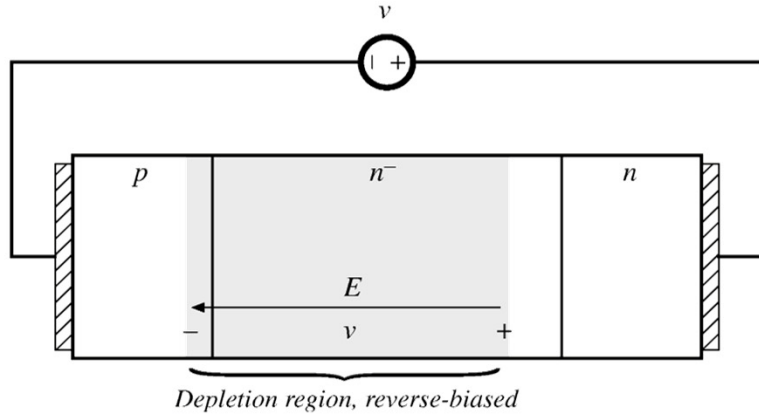
*Fundamentals of Power Electronics*



In equilibrium:  $dq/dt = 0$ , and hence

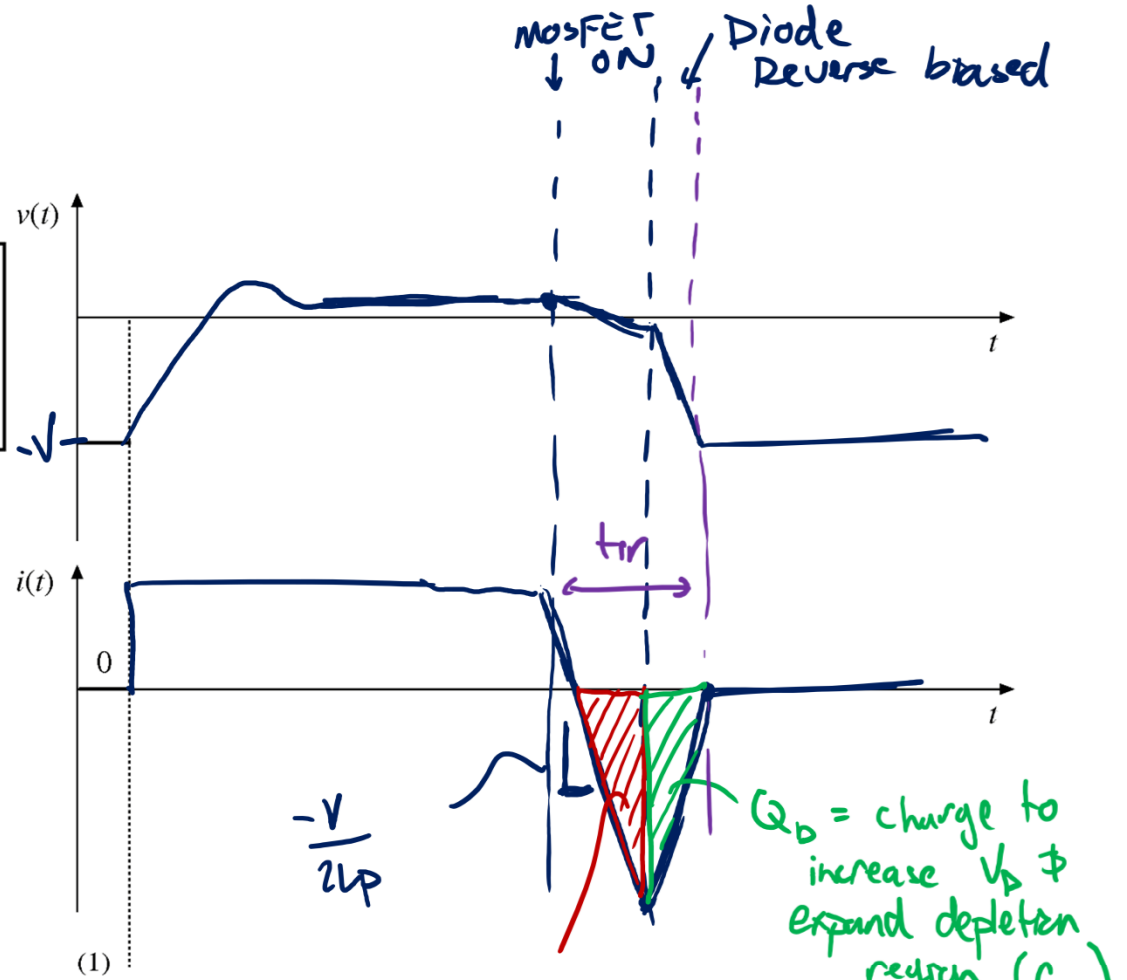
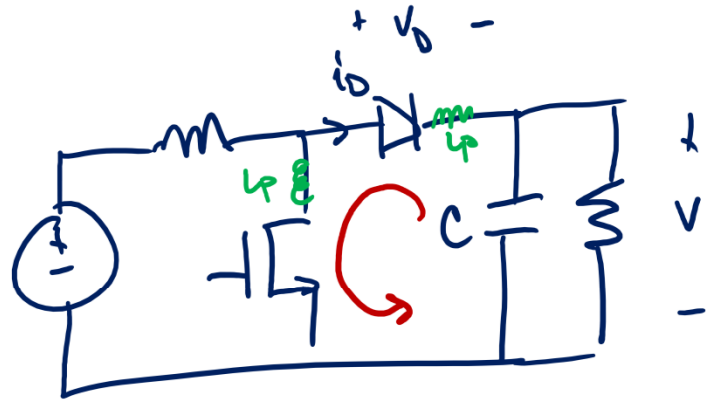
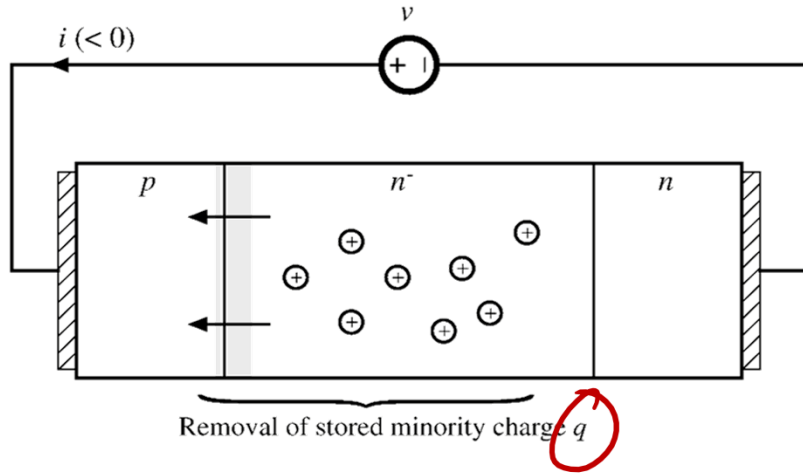
$$i(t) = \frac{q(t)}{\tau_L} = \frac{Q_0}{\tau_L} (e^{\lambda v(t)} - 1) = I_0 (e^{\lambda v(t)} - 1)$$

# Diode Turn-On



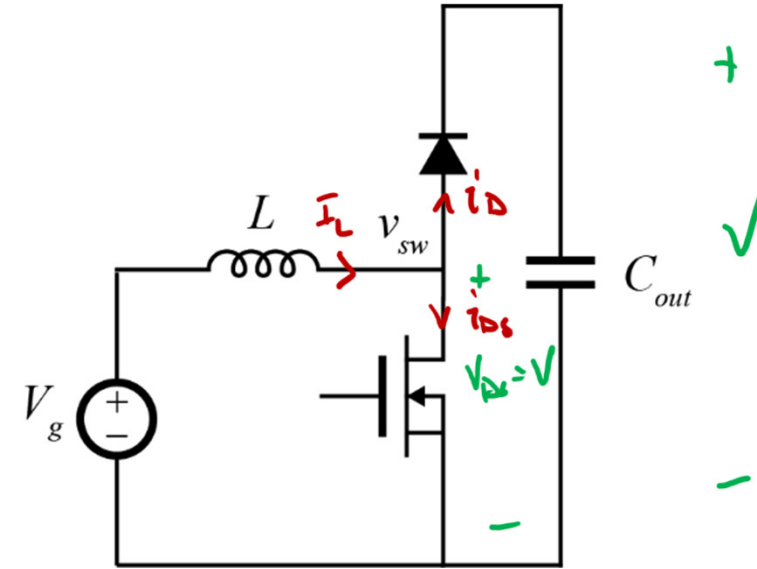
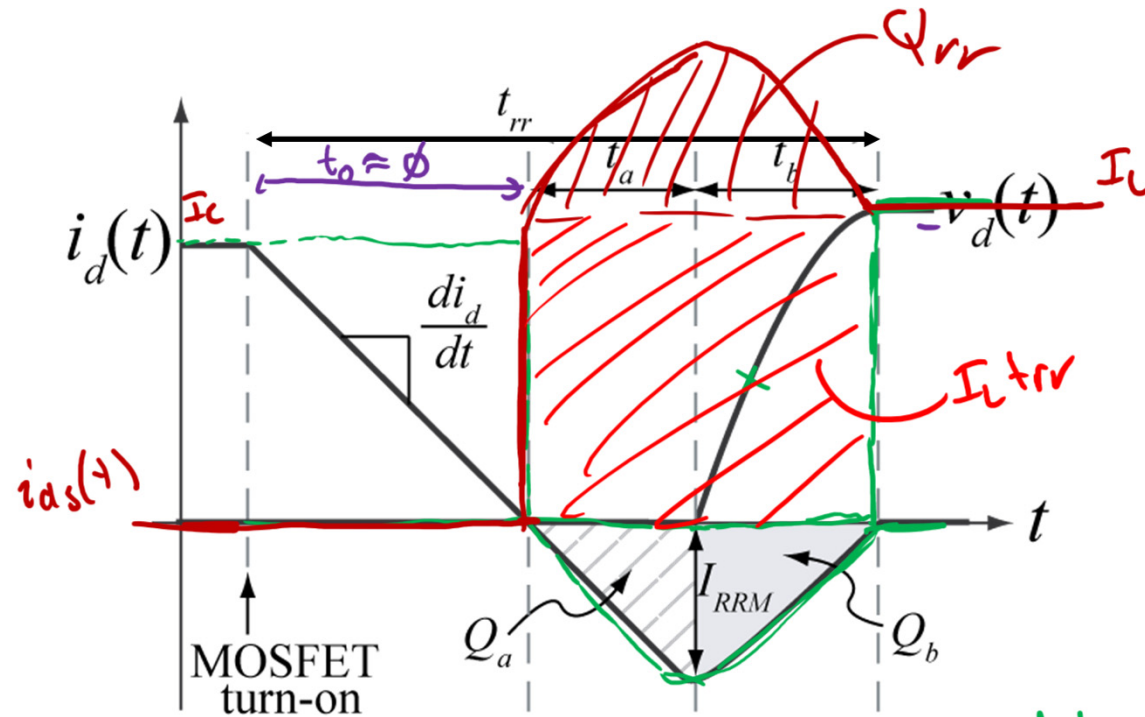
almost always neglected

# Diode Turn-Off



$$Q_{rr} = Q_a + Q_b$$

# Diode Reverse Recovery



Assume  $t_0 = \phi$   
 & diode voltage during forward bias is negligible wrt  $V$

Under approximated waveforms

$$E_D = \int V_D i_D dt = \phi$$

$$E_T = \int V_{DS} i_{DS} dt = V (I_L trr + Q_{rr})$$

$$P_T = E_T f_s$$

# Datasheet RR Characteristics

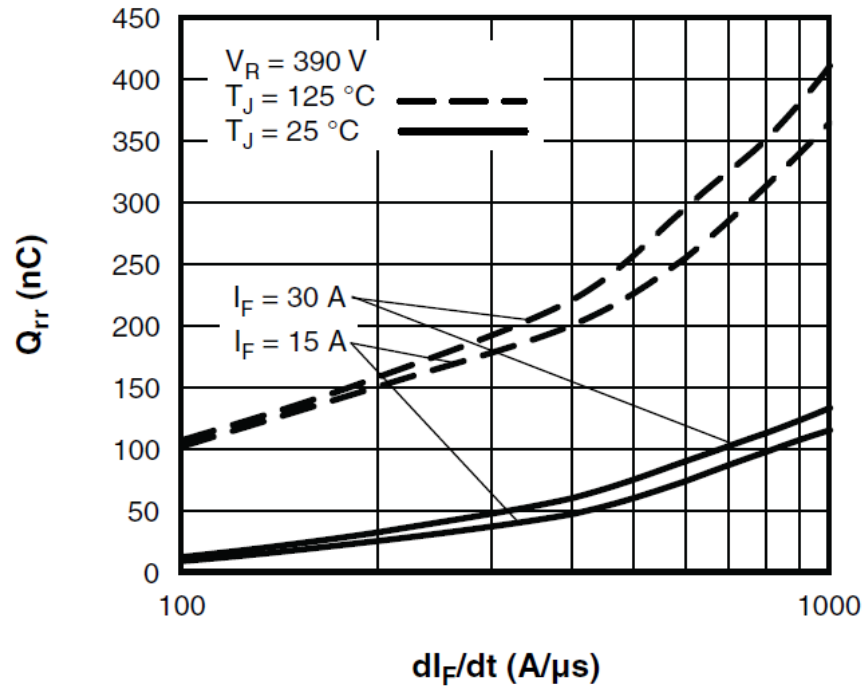


Fig. 10 - Typical Stored Charge vs.  $di_F/dt$

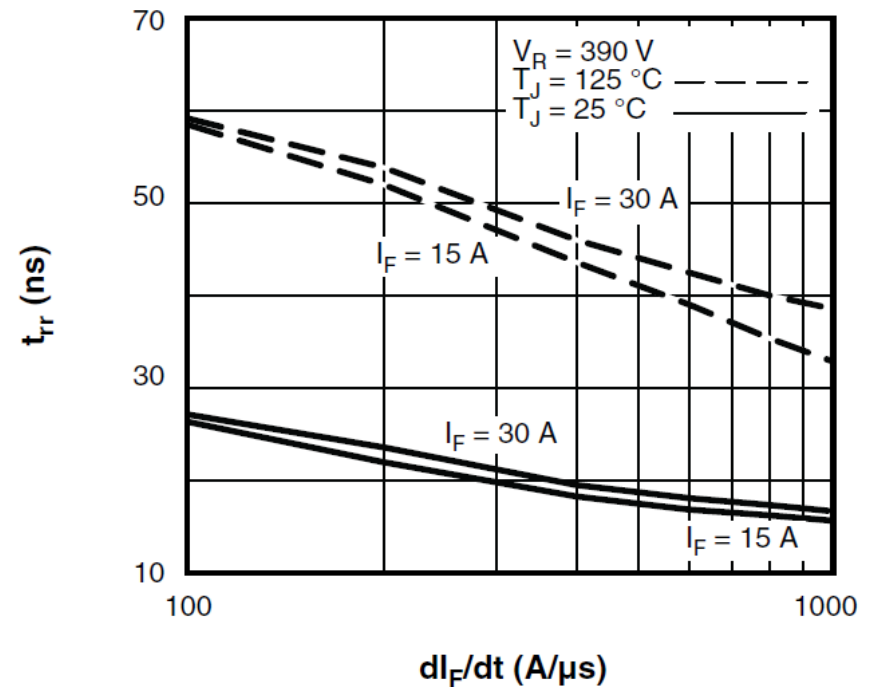
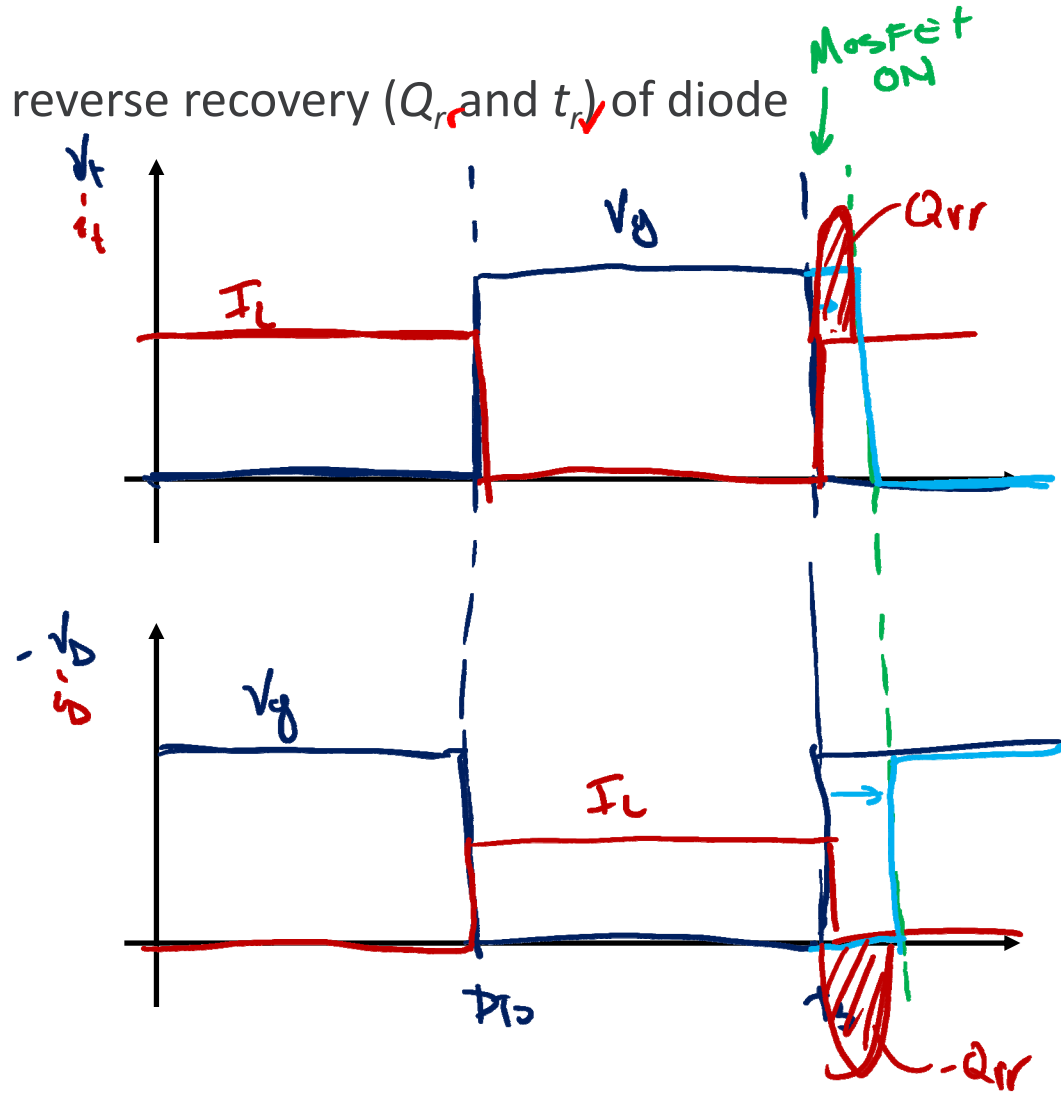
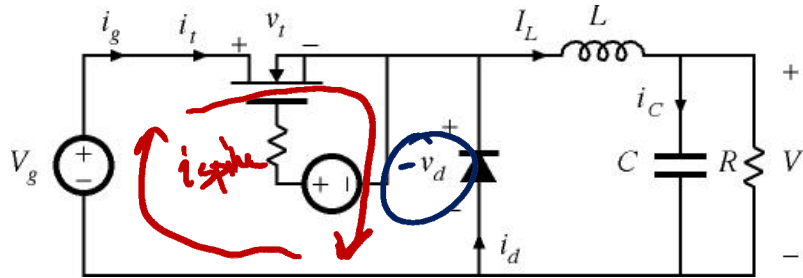


Fig. 9 - Typical Reverse Recovery Time vs.  $di_F/dt$

# Buck Converter Example

- All elements ideal except for reverse recovery ( $Q_{rr}$  and  $t_{r\checkmark}$ ) of diode



# Buck Average Model with RR

$$\langle i_g \rangle = I_g = D\bar{I}_L + \frac{1}{T_s} [t_{rr}I_L + Q_{rr}]$$

$$\langle v_L \rangle = \phi = Dv_g - V$$

$$\langle i_L \rangle = \phi = \bar{I}_L - \frac{V}{R}$$

